

SPATIAL PATTERNS AND MAXIMUM POWER IN ECOSYSTEMS

BY
JOHN R. RICHARDSON

A DISSERTATION PRESENTED TO THE GRADUATE SCHOOL OF THE
UNIVERSITY OF FLORIDA IN PARTIAL FULFILLMENT
OF THE REQUIREMENTS OF THE DEGREE OF
DOCTOR OF PHILOSOPHY

UNIVERSITY OF FLORIDA

1988

Copyright 1988

by

John R. Richardson

ACKNOWLEDGEMENTS

I would like to express my sincere appreciation to Dr. Howard T. Odum, my committee chairman, for the insights and inspiration he gave during the completion of this work. His holistic views and open-mindedness provide an extremely fertile field to develop and pursue ideas in systems ecology. Other members of my committee (Drs. J.F. Alexander, G.R. Best, K.C. Ewel and C.L. Montague) provided useful feedback in class and with this project.

The support and patience of my wife Karen has sustained me while my two children, Matthew and James, have provided joy and purpose for the completion of this dissertation.

Work was done in the Department of Environmental Engineering Sciences, University of Florida, and was supported by graduate research funding from the Graduate School of the University of Florida.

TABLE OF CONTENTS

ACKNOWLEDGEMENTS.....	iii
LIST OF FIGURES.....	vi
ABSTRACT.....	xi
CHAPTER 1 INTRODUCTION.....	1
Historical Perspective.....	2
Previous Models of Pulsing Patterns in Time and Space.....	2
Pattern Formation.....	3
Concepts of Pulsing, Patterns and Power.....	13
Maximum Power in Systems.....	13
Design for Maximum Power.....	14
Pathway Configuration.....	15
Pulsing and Patterns in Ecosystems.....	21
Succession and Disturbance.....	21
Edges.....	23
Hierarchies and Patches.....	24
Models.....	25
Gap Models and Patch Dynamics.....	27
Spatial Systems and Models.....	28
Plan of Study.....	32
Objectives.....	32
Data Site: Luquillo Rain Forest, Puerto Rico.....	33
CHAPTER 2 METHODS and MODELS.....	37
Simulation Procedures and Programs.....	40
Simulation Models.....	41
Minimodel Tests.....	41
Pulse Model.....	53
Pulse Model with Prey-Predator Sectors.....	56
Spatial Model.....	59
Format for Spatial Graphs.....	67
Measurement of Hierarchies at El Verde Site.....	67
CHAPTER 3 RESULTS.....	71
Simulation of Three Path Model.....	71
Individual Pathway Tests.....	71
Frequency Studies.....	86
Simulation of Parallel Production-Consumption Model.....	91
Single Run Simulations.....	91
Multiple Run Simulations.....	100

Initial Conditions and Total Energy Use.....	112
Simulation of Pulse Model.....	117
Single Run Simulations.....	117
Multiple Run Simulations.....	123
Simulation of Pulse Model with Prey-Predator Sectors....	133
Simulation of the Ring Model.....	141
Simulation of Two Dimensional Surface Models.....	151
Rain Forest Gaps and Hierarchies.....	164
Size Class Distributions.....	164
Gap Size Measurements.....	171
Comparison to Models.....	171
CHAPTER 4 DISCUSSION.....	178
Maximum Power Considerations.....	179
Power and Feedback With Paths of Higher Order.....	179
Effect of Hierarchies on Performance.....	181
Power Used as a Function of Input Power.....	182
Threshold for Stable Feedbacks and Pulsing.....	182
Implications for Succession.....	184
Role of Individual Units.....	184
Succession and Pulsing.....	185
Spatial Pattern formation.....	186
Synchronous vs. Asynchronous Systems.....	186
Coupling of Spatial Units by Diffusion Processes....	187
Organization by Higher Level Consumers.....	188
Power Use and Edge Effects.....	190
General Principles.....	190
APPENDIX.....	192
BIBLIOGRAPHY.....	247
BIOGRAPHICAL SKETCH.....	254

LIST OF FIGURES

<u>Figure</u>		<u>Page</u>
1	Spatial patterns based on chemical reaction mechanisms.....	6
2	Hilborn (1979) model.....	8
3	The spatial development of cells based on simple r-pentamino initial condition.....	12
4	Basic autocatalytic model with flow-limited energy source.....	17
5	Basic multiple path model with three input pathways representing differing feedback regimes, linear, autocatalytic, and quadratic....	20
6	Size class distribution of gaps formed in tropical forest at Barro Colorado (Brokaw 1982).....	26
7	Mite predator prey experiment (Huffaker 1958).....	30
8	Size class distribution over time of plot of trees in tropical forest at El Verde (Crow 1980).....	35
9	Energy circuit language symbols (Odum 1983).....	39
10	Three pathway model used to test effects of various energy inputs on kinetic mechanisms.....	43
11	Three pathway model with multiple drain pathways.....	47
12	Three pathway model with individual competing units having single input pathways similar to combined model.....	49
13	Parallel production-consumption model.....	52
14	Pulse model of tropical forest ecosystem model.....	55
15	Pulse model with additional prey-predator sector.....	58
16	Number of edge and center cells as a function of total number of cells in a given square area.....	62

17	Cell geometries possible for spatial models.....	64
18	Format of spatial model display graphs.....	69
19	Steady state power utilization of units in the three path model (Figure 10) as a function of input power (J0).....	73
20	Energy utilization of individual components in the three path model in Figure 10.....	75
21	Steady state energy flows on various pathways and combinations of pathways in the three path model (Figure 10) as a function of input power (J0).....	77
22	Simulation of three path model in Figure 10.....	80
23	Simulation of three path model with multiple drain pathways in Figure 11. Percent power used as a function of energy input (J0).....	82
24	Simulation of three path competition model with various pathways enabled (Figure 12).....	85
25	Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power (J0=500).....	88
26	Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power (J0=2000).....	90
27	Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power (J0=10000).....	93
28	Simulation of the parallel production-consumption model in Figure 13. Model base run.....	96
29	Simulation of the parallel production-consumption model in Figure 13.....	99
30	Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with available power increasing from 50 to 300.....	102
31	Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with percent power used for entire run vs input power.....	104

32	Simulation of the parallel production-consumption model in Figure 13. Run with available power increasing from 50 to 300 and the initial value of the consumer (Q4) equal to 50 (10x base run in Figure 28).....	107
33	Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with available power held constant (J0=100, base run value) and the initial value of the consumer (Q4) varied from 1 to 6.....	109
34	Simulation of the parallel production-consumption model in Figure 13. Total percent power used for entire run as a function of the initial value of the consumer (Q4).....	111
35	Simulation of the parallel production-consumption model in Figure 13. The initial value of weed species (Q3) was varied from 0 to .5 and input power was held constant (J0=100, base run value).....	114
36	Steady state values of percent power used as a function of input energy and state variable initial conditions for multiple simulation runs of parallel production -consumption model (Figure 13).....	116
37	Simulation for pulse model (Figure 14) with base run coefficients.....	119
38	Simulation of pulse model (Figure 14) without a quadratic pathway (K7, K8, K9 = 0.0).....	122
39	Simulation of pulse model (Figure 14) without a feedbacks into Q4 (K6, K8 = 0.0).....	125
40	Multi-run simulation of the pulse model (Figure 14) with variation in input energy. (J0 varied from 0 to 250).....	127
41	Multi-run simulation of pulse model (Figure 14) with variation in total carbon in model....	130
42	Multi-run simulation of pulse model (Figure 14) with variation in turnover time of pulsing consumer. (K12 varied from .01 to .5).....	132

43	Multi-run simulation of pulse model (Figure 14) with variation in quadratic pathway (K9 varied from $0.5E-6$ to $0.53E-5$ with K7 and K8 varied proportionately).....	135
44	Multi-run simulation of pulse model (Figure 14) with variation in linear pathway (K11 varied from 0.0 to $0.12E-2$ and K5 and K6 varied proportionately) with quadratic pathway held at zero.....	137
45	Simulation of pulse model with prey-predator sectors (Figure 15).....	139
46	Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and diffusion between consumers of each cell in ring (DK=.1). Initial conditions of consumers were set to near zero except for one "seed" consumer at lower left corner of matrix which was set to 100.....	143
47	Simulation of pulse model (Figures 14 and 18) with cells in a linear ring but without diffusion. Initial conditions of producers and consumers were set to random distribution around ring.....	146
48	Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and a high level of diffusion between consumers of each cell (DK=.1) and random distribution of producers and consumers around ring.....	148
49	Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and a low level of diffusion between consumers of each cell (DK=.001) and random distribution of producers and consumers around ring.....	150
50	Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18) without diffusion and with a constant energy source.....	153
51	Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source hierarchically is distributed from center outward and no diffusion between cells.....	155

52	Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is hierarchically distributed from center outward and diffusion is between consumers of each cell (DK=.001).....	158
53	Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is randomly distributed and diffusion is between consumers of each cell (DK=.001).....	160
54	Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is randomly distributed and diffusion between nutrient storages (Q4) of each cell is set to high level (DK=.1).....	163
55	Simulation of the pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Moving consumer model with search length set to one cell, no diffusion and hierarchical energy distribution.....	166
56	Simulation of the pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Moving consumer model with search length set to five cells, no diffusion and hierarchial energy distribution.....	168
57	Size class distribution of trees at El Verde radiation site (November 1964).....	170
58	Size distribution of Cecropia gaps in tropical rainforest at El Verde.....	173
59	Size distribution of gaps in tropical rainforest pulsing model simulation (Figures 14 and 18) at time =760.....	177
60	Character set for displaying spatial graphs on GIGI computer terminal for use with screencopy to printer.....	196

Abstract of Dissertation Presented to the Graduate School
of the University of Florida in Partial Fulfillment of the
Requirements for the Degree of Doctor of Philosophy

SPATIAL PATTERNS AND MAXIMUM POWER IN ECOSYSTEMS

by

John R. Richardson

April, 1988

Chairman: Howard T. Odum

Major Department: Environmental Engineering Sciences

Studies of dynamic systems have shown that oscillations in time and space are related, both being generated by non-linear, pulsing behavior that is derived from the mathematics of energy processing. Similar mathematics exist in chaos theory, bifurcation theory, and catastrophe theory. Production-consumption models that simulate pulsing properties of ecological systems are of this class. This dissertation examines the spatial patterns and energetics of autocatalytic and pulsing models as a paradigm for ecological and general systems. Configurations were tested with steady or varying resource availability for ability of the model systems to maximize power as the criterion for utility and success. The spatial distribution of gaps generated by simulations was compared to that observed in rain forests.

Models studied included (a) aggregated, single-compartment autocatalytic designs; (b) parallel production-consumption design; (c) production-consumption-recycle

designs; and (d) multiple cell spatial models each with a unit model but interconnected in different ways.

Models with autocatalytic feedbacks utilized more power than the same models with only linear pathways. Percent power used increased with increasing available power.

Production-consumption models show multiple steady states with pulsing behavior as a transition between two steady states. Localized maxima of power use occur during pulsing but the overall power use is related to input power.

Spatial patterns of production and consumption in spatial models were related to input energy patterns, the degree of connectivity between the individual cells in the model, and the hierarchical level of intercell connections. Large variations in patterns were accompanied with small changes in power utilized.

Edges of a spatial system can act as a source or sink for energy depending on the relationship between available energy inside and outside the boundaries and the degree of connectivity along the edges.

Basic autocatalytic production-consumption-recycle models with different spatial conditions organize different spatial patterns while generating near total utilization of available power. The wide variety of spatial patterns results from dynamic adaptations for maximizing power for different spatial conditions. The simulation results resemble patterns in nature often attributed to random indeterminacy.

CHAPTER 1

INTRODUCTION

Ecosystems develop patterns in time and space. Some of these patterns are generated by pulsing oscillatory processes. What sorts of interactions, organization and structure in an ecosystem lead to pulsing behavior, and how does this behavior affect the use of energy? What types of spatial patterns develop when ecosystems are influenced by pulsing in time and space? What are the energy implications of different pattern forming processes in ecosystems? What are the effects of pulsing on succession, competition, frequency response of producers and consumers, and coupling with external pulses?

This dissertation uses general systems models to analyze the effects of pulsing on pattern formation and overall power use as systems develop, build structure and organize in time and space. Simulation models using general systems principles and based on real ecosystems were used to test the role of pulsing behavior of consumers in organizing ecosystems over time and space. Data from a tropical ecosystem were used to calibrate pulsing and spatial models.

Historical Perspective

Previous Models of Pulsing Patterns in Time and Space

In many fields from chemistry, physics, and biology to astronomy, there are a variety of models, methods and techniques to describe and study systems that have discontinuities or other rapid fluctuations in their behavior. Some of these are catastrophe theory (Thom 1975), bifurcation theory, synergetics (Haken 1977a, 1977b, 1979), dynamical system theory (Rosen 1970), chaos and order (Prigogine 1980, 1984, and Schaffer and Kot 1985), pulsing (Lotka 1920 and Odum 1982), pattern recognition, and morphogenesis (Meinhardt 1982). In all of these, processes being described are parts of nonlinear thermodynamically open systems. Energy constraints on these types of systems have not previously been well studied.

In the past, efforts to describe systems using classical thermodynamics centered on closed systems near equilibrium or open systems near steady state. In such systems, available energy is small. These approaches using equilibrium thermodynamics could not account for the behavior of many systems (Odum 1983, Prigogine 1984, Schaffer and Kot 1985).

Data with statistical anomalies are often difficult to analyze and methods are sometimes used to minimize fluctuations (Platt and Denman 1975). Systems that have aperiodic behavior, a great deal of noise, or time dependent changes in variance are not well suited to the normal

statistical methods. These 'unusual events' can be important in understanding how a system works (Weatherhead 1986).

Frequency analysis has been used for some time to study periodic behavior of systems (Platt and Denman 1975, and Emanuel, West and Shugart 1978). Fourier transformations decompose the output or behavior of a system into an additive series of sinusoidal processes. The variance is partitioned into a set of frequencies that when combined gives the output being measured. Aperiodic behavior or systems with known nonlinear components may also be studied with these techniques, but the results are often not useful. Some nonlinear systems with behavior described as 'chaotic' have frequency domain variance as noisy as the time domain variance (Abraham and Shaw 1984a, 1984b).

Pattern Formation

Patterns in natural systems range from the smallest molecular patterns of motion to the placement of the stars and galaxies in the universe. One of the most intriguing aspects of pattern formation is the similarity of patterns at differing time scales and sizes. From a systems point of view this would lead one to suspect that the processes are similar at each scale.

Chemically reacting systems give rise to various types of patterns (Bray 1921, Nicolis and Prigogine 1969, Winfree 1973, Haken 1977a, 1977b). The Belousov-Zhabotinski reaction, which makes fascinating patterns, is a simple

oxidation-reduction reaction involving malonic acid, bromate and a cerium catalyst (Winfree 1973). An example of the time and spatial development of this reaction is shown in Figure 1a.

Morphological development in biological systems has been studied and modeled by Meinhardt (1982). Patterns form when autocatalytic growth in a system is combined with lateral inhibition (negative spatial feedbacks). Once autocatalytic activity starts, there must be a longer range negative feedback (spatial inhibition of the spread of this autocatalysis) or the whole system will pulse in a burst of autocatalytic consumption. This sets up spatial chemical gradients along which morphogenesis is thought to occur (Figure 1b).

Hilborn (1979) experimented with predator-prey models based on an aquatic ecosystem. Hilborn's model had 100 spatial cells arranged in a linear chain with the ends connected to form a circle. Both predators and prey were allowed to diffuse across cell boundaries. The model was simulated with initial conditions set so that all cells had prey but only one cell had a predator. The model (Figure 2a) was allowed to iterate for 1000 time intervals, generating the pattern seen in Figure 2b. Further experiments showed that there was no tendency towards equilibrium in longer runs of the model.

The spatial development of insect eyes and insect legs has been modelled by Ransom (1981) using an autocatalytic

Figure 1. Spatial patterns based on chemical reaction mechanisms.

(a) Spatial patterns generated by Belousov-Zhabotinski chemical reaction (Prigogine 1980).

(b) Spatial patterns generated by simulation model used to describe morphogenesis (Meinhard (1982).

Figure 2. Hilborn's (1979) spatial model.

(a) Energy diagram of individual cell model

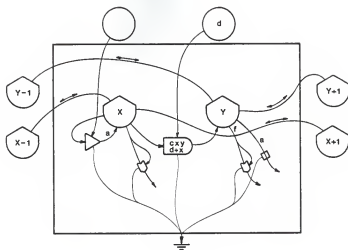
Equations for simulation model.

$$\begin{aligned} dX(i) = & a * X(i) - b * X(i) * X(i) - (c * X(i) * Y(i) / (d + X(i))) \\ & + h * X(i+1) + h * X(i-1) - 2 * h * X(i) \end{aligned}$$

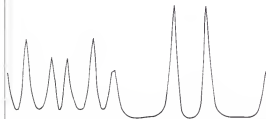
$$\begin{aligned} dY(i) = & -e * Y(i) - f * Y(i) * Y(i) + (g * X(i) * Y(i) / (d + X(i))) \\ & + k * Y(i+1) + k * Y(i-1) - 2 * k * Y(i) \end{aligned}$$

where i is the number of the subsystem in a linear loop.

(b) Simulation results of linear series of unit models showing level of predator vs distance around loop.



NUMBER OF PREDATORS



SPATIAL LOCATION

model. By allowing cells in the model to divide and migrate within given constraints, the model developed patterns similar to those in real insects. The model allowed simple random cell division with movement constrained to a hexagonal direction away from the center of the cell division.

Sergin (1978, 1979, 1980) studied the oscillatory behavior of long term climate variations using models that combine linear and nonlinear interactions of the heat capacities of the oceans and polar ice sheets. The period of the climatological events in these models is on the order of 10,000 to 100,000 years. The model of global temperatures varies in its behavior from steady state to oscillations based on small changes in areal coverage of continental ice sheets.

Pattern formation based on digital, rule based systems has been used to model biological systems. Examples such as cellular automata (Turing 1952 and Wolfram 1984) and a 'game of life' (Gardner 1970 and Poundstone 1985) generate complex spatial patterns from simple rules. The 'game of life' is generated on an $N \times N$ matrix where

1. Every active cell with two or three neighboring cells survives to the next generation.
2. Each active cell with four or more neighbors 'dies' from overpopulation. Every active cell with one or no neighbors 'dies' from isolation.
3. Each empty cell adjacent to three 'live' neighbors gives birth to a new cell.

Figure 3 is an example of the patterns generated from a simple five cell seed (R-pentomino) during 512 iterations. This pattern stabilizes (no more deaths and no more births) after 1103 iterations, although it is an oscillating steady state. Individual subsets of the final stable pattern oscillate.

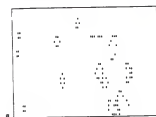
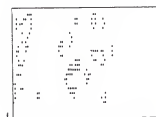
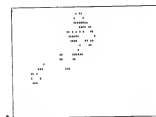
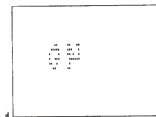
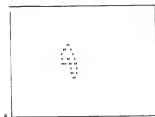
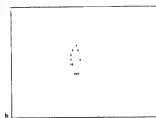
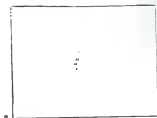
The 'game of life' model has some of the features of autocatalysis (or cooperative behavior). Two or three live cells are required for survival or birth of new cells. It also has the feature of diffusive inhibition because individual cells that move out from a population center can become isolated and die. This rule-based system has no energy constraint that governs development and thus gives no energy basis for pattern formation.

The common theme that runs through these examples is one of combined interactions of autocatalytic growth with some form of inhibition, diffusion or other mechanism for preventing the autocatalytic growth from spreading too rapidly. A concept that is sometimes misunderstood or misinterpreted is that the terms fluctuation (Prigogine 1980, 1984) and bifurcation theory (Pacault 1977) refer to a change in the kinetics of reacting components of a system. This change in kinetics gives rise to the oscillations or pulses in the output.

The models in this dissertation also use combinations of autocatalytic and diffusion (linear) pathways to study

Figure 3. The development of spatial patterns among cells based on simple r-pentamino initial condition (a) in 'a game of Life' simulation.

- (a) Time = 0
- (b) Time = 8
- (c) Time = 16
- (d) Time = 32
- (e) Time = 64
- (f) Time = 128
- (g) Time = 256
- (h) Time = 512



the possible mechanisms and energy consequences of pattern formation in ecosystems.

Concepts of Pulsing, Patterns and Power

Maximum Power in Systems

Although in the last century Podalinsky, Ostwald and Boltzman suggested energy use controlled system performance (Martinez-Alier 1987), Lotka (1922) made a more definitive statement. He stated that evolution proceeded in such a direction as to make the total energy flux through the system a maximum compatible with the constraints on the system. He related this to Ostwald's (1892) idea of all possible energy transformations, that one takes place which brings about the maximum transformation in a given time.

A theory of minimum entropy generation was put forth by Prigogine (Prigogine and Wiaume 1946) that a system evolved toward a stationary state characterized by the minimum entropy production compatible with the constraints on the system. He has since called this a failure and probably a special case of systems near equilibrium (Prigogine 1984). Prigogine (1978, 1980, 1982; Prigogine and Stengers 1984) now deals with systems far from equilibrium that have dynamic and oscillatory behavior. He has not postulated any definite theory about the energetic consequences of these types of systems.

Odum and Pinkerton (1955) proposed that natural systems tend to operate at that efficiency which produces a

maximum power output, a general restatement of Lotka's original idea of maximum energy flow but with an important distinction. Odum (1971, 1982, 1983a, and 1983b) further clarifies maximum power as useful power where 'use' is feedback of the product of energy use to amplify other pathways.

In describing cycles of life, death and regeneration, Calow (1978) has found that although Lotka's principle holds, there seem to be no a priori grounds for placing restrictions on how this use of energy should be achieved. He further stated that selection would have shifted in the course of time from one of maximizing speed to maximizing efficiency. This is a restatement of the strategy of ecosystem development utilizing r and K growth (Odum 1969).

Jantsch (1980) suggests that maximum engagement in matter (i.e., energy storage) and maximum process intensity (i.e., entropy production) are criteria for ecosystem stability. Non-equilibrium structures thus come about by fluctuations in the mechanisms which result in modifications of the kinetic behavior of these structures.

Design for Maximum Power

The important question here is how do systems build structure in order to maximize utilization of available power. Odum's theory (1971 and 1983) is that by feeding back energy (derived from structure that is being built) reinforcement occurs that increases efficiencies and energy

flow into the structure. Mechanisms must develop that build structure to capture the most energy possible. These feed-back structures then have a prior energy use embodied in them (energy, after embodied energy, of a structure has been defined as the total amount of energy used in developing these structures (Odum 1983 and 1986)). This dissertation looks at some of the possible kinetic pathways that feed back to process energy and the energetics of these pathways.

Pathway Configuration

A simple model demonstrates several ways in which useful power can be increased (Figure 4, see description of symbols in Figure 9). This model is a single storage with autocatalytic production drawing on a flow-limited energy source (an energy source with constraints on the pathway, limiting the amount of energy that can be delivered).

The efficiency of a pathway can be increased if less energy is fed back to gain more energy. For a simple autocatalytic system (Figure 4a and 4b) this can be done by either using less energy to gain the same inflow (changing the value of K_2 in the model) or by increasing the inflow for the same feedback (increasing K_1 while concurrently decreasing K_3). Because there are thermodynamic limits on any process, it may not be possible to improve designs to increase energy flows beyond thermodynamic limits.

The first law of thermodynamics requires the conservation of energy. This implies the following constraint on the production process of the model (Figure 4).

Figure 4. Basic autocatalytic model with flow-limited energy source.

(a) Diagram with kinetic terms

$$dQ = K1*JR*Q - K2*JR*Q - K4*Q$$

$$JR = J0 / (1+K0*Q)$$

(b) Diagram with flow terms

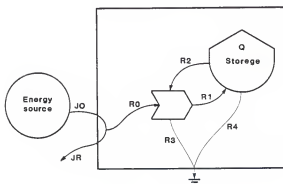
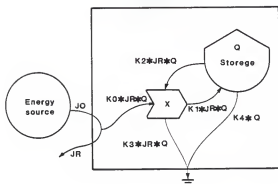
$$R0 = K0*JR*Q$$

$$R1 = K1*JR*Q$$

$$R2 = K2*JR*Q$$

$$R3 = K3*JR*Q$$

$$R4 = K4*Q$$



$$K0*Jr*Q + K2*Jr*Q = K1*Jr*Q + K3*Jr*Q \quad (1)$$

Substitute R (flow) terms as abbreviations for terms in equation (1):

$$R0 + R2 = R1 + R3 \quad (2)$$

Inputs of energy of any process must equal the outputs. Efficiency is defined as:

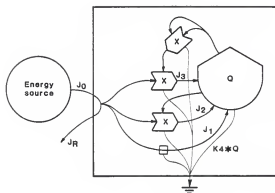
Efficiency = (Output of useful power)/Inputs
or in terms of our equation:

$$\text{Efficiency} = R1/(R0+R2) \quad (3)$$

where R3 is waste heat generated in the process (required by the second law of thermodynamics). Because R3 cannot be zero, there is a natural upper limit to the efficiency of any process.

Another method to increase energy flow from a flow limited source is to have multiple pathways capture available energy, each effective at a different energy level (Figure 5). Multiple pathways (J1,J2,J3) use stored energy to build structures to capture available energy. A linear, donor-controlled pathway (J1) requires little structure and employs no feedback in order to capture energy, but has severe limitations (its efficiency cannot change) due to the dependency on the energy source. An autocatalytic pathway (J2) feeds back embodied energy (structure built by the system) to draw in more energy. The quadratic pathway (J3) is a co-operative phenomenon in which the structure of the system is interacting with itself to feed back embodied energy to draw in more power. A system that develops such

Figure 5. Basic multiple path model. Three input pathways represent different feedback regimes: linear (J1), autocatalytic (J2), and quadratic (J3).



higher order feedback pathways may exhibit a greater rate of use of available energy.

This added quadratic pathway is available to utilize any energy left after the efficiency is raised to the upper limit for the autocatalytic pathway. This is a mechanism that can draw in energy that would normally be unavailable to the system. The quadratic pathway may have a high cost to develop and maintain this pathway but it enhances overall use of that extra energy by the whole system. This may give a competitive edge in some circumstances over systems without higher order pathways, particularly when available energy may be fluctuating. Available power will be increased by switching from one pathway to the other depending on the energy source. Some pathways are more efficient at low energy levels while others are more efficient at high energy levels, thus allowing such systems to efficiently utilize fluctuating power sources.

Pulsing and Patterns in Ecosystems

Succession and Disturbance

Any climax state is eventually interrupted by disturbances that generate patches in which succession is re-initiated. The gaps in a forest may be generated by local outbreaks of consumers within the forest, tree mortality, or outside disturbances such as fires, hurricanes, volcanic activity, and landslides (Runkle 1985). The role of the landslide as a gap-forming mechanism has been described in

both temperate forests (Oliver 1981, and Veblin 1985) and tropical forests (Garwood 1979, and Leigh et al. 1982).

Disturbances (i.e., pulses) to an ecosystem can be generated from within or can come from outside the boundaries of an ecosystem and may vary in frequency and amplitude. The ability of an ecosystem to utilize available resources and adapt to these disturbances depends on the storages, structures and interactions within an ecosystem (Odum 1983). Hierarchical mechanisms may develop that capture and process energy at various levels and result in utilization of energy over a wider variety of input levels. Some mechanisms of interaction between parts of the ecosystem were studied in this dissertation to understand how systems may converge energy transformations and feedback controls to organize for higher productivity.

No unified theory of succession presented to date can be regarded as widely accepted (Anderson 1986). Horn (1976) wrote 'The sweeping generalization that can be safely made about succession is that it shows a bewildering variety of patterns.' Even the definitions of succession are widely varying. In this dissertation succession is regarded as a dynamic process in which the composition of an ecosystem changes through time, building structure and processing energy. This process eventually stabilizes in a climax from which there is a regression or loss of that structure due to disease, fire, treefall or other events. Seeding from another ecosystem or from storages in the soil from the

previous ecosystem regenerates a facsimile of the original ecosystem through a sequence of unidirectional stages that reaches a steady state system called a climax. This climax may be arrested at some point and in some cases succession may cycle between several stages. This definition is broader than most but is an attempt to describe the whole process instead of the more narrow 'growth-phase' definition.

Regression from a climax state may occur in several ways. In some cases it comes about as a pulse of consumption from within the ecosystem boundaries such as tree-falls, landslides or disease outbreaks. It can also come about from disturbances from larger outside events such as hurricanes or drought. The frequency and amplitude of these disturbances tend to be inversely correlated: larger disturbances occur less frequently than smaller ones. This phenomenon is referred to as a hierarchy of disturbances (Bennett and Chorley 1978). The interaction of these disturbances along with the internal fluctuations may lead to the 'bewildering variety of patterns' to which Horn refers.

Edges

Ecosystems can generally be broken up into subsystems that have uniform characteristics. These subsystems have boundaries where the composition changes from one particular type to another. The development of these edges may occur where differing types of energy interact with ecosystem components to generate patches and zones of transition. The

presence of many spatially distributed patches may be due to the production-consumption pulsing of components in the ecosystem.

Hierarchies and Patches

The frequency of disturbance based on internal cycles has been shown to be from 200-500 years in a variety of ecosystems (Emanuel, West and Shugart 1978, Runkle 1985). Distribution of disturbances over time varies from fairly constant low amplitude disturbances to long-period, high amplitude disturbances. The successional changes due to disturbances may be related to the size and scale of the disturbance (Peet and Christensen 1980, Peet 1981).

Brokaw (1982a, 1982b, and 1985a) found a hierarchical distribution in gap sizes in a tropical rain forest at Barro Colorado Island (Figure 6a). The area per size class is plotted vs. the size class (Figure 6b). This relationship may be important in determining patch dynamics. Brown (1980) suggested that size class distributions may be related to the emergy per size class (the emergy per size class is also related to the area per class). Brokaw calculated the turnover rate for the forest, based on the gap formation, to be from 85 to 128 years depending on the minimum size of the lowest class used.

Models

The simulation models used to study ecosystem behavior generally fall into two classes (Shugart 1984). One of these

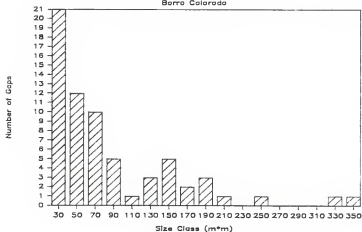
Figure 6. Size class distribution of gaps formed in tropical forest at Barro Colorado (Brokaw 1982).

(a) Distribution of gaps by diameter of gap.

(b) Distribution of gaps by area in gap.

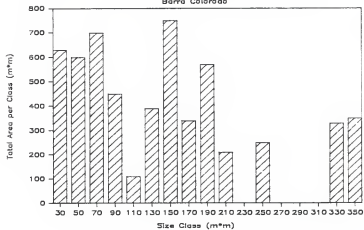
Gap Distribution

Barro Colorado



Gap Distribution

Barro Colorado



is based on the nonlinear 'Lotka-Volterra equations' and generally does not include outside influences. The other uses forced linear systems of differential equations and does have inputs from outside the system. Neither of these methods typically contains any spatial considerations and both deal with systems near equilibrium. Systems near equilibrium tend to move toward that equilibrium and are characterized by spatial uniformity (Prigogine 1984 and Field 1985).

In this study, open non-equilibrium models are developed that combine non-linear and oscillatory interactions between production and consumption with outside forcing functions that provide resource controls. A pulsing, hierarchical model of production and consumption is used to generalize about succession and regression. Spatial interactions generated by this model are studied to understand the energetic and kinetic basis for pattern formation in ecosystems.

Gap Models and Patch Dynamics

Several previous studies based ecosystem models on disturbance gaps. The JABOWA forest simulator model by Botkin, Janak and Wallis (1972) keeps track of the birth, growth, and death of a group of trees from seedlings on to maturity within a certain gap size. Subroutines are used for crowding, shading, and response to individual nutrients and energy sources. The simulation then allows the gap to

develop a distribution of trees based on all of the input parameters. These gap models generally do not account for any outside disturbances that generate gaps.

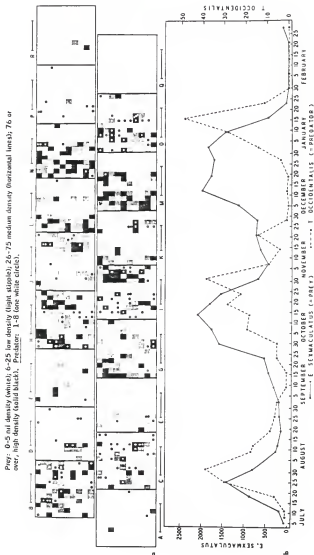
Various gap models (Phipps 1979, Shugart and West 1980, Shugart, Mortlock, Hopkins, and Burgess 1980, Shugart and Noble 1981, Doyle 1982, Doyle, Shugart, and West 1982, Shugart 1984, and Pickett and White 1985) have been utilized to study forested ecosystems around the world. These models have various gap sizes ranging from 100m^2 to 833m^2 .

Spatial Systems and Models

A spatial predator-prey insect microcosm was used by Huffaker (1958) to study two species of mites. The prey mite fed on oranges while the predator mite fed on the prey. In one set of experiments, the oranges were distributed in a 10×12 grid with partial barriers between the oranges and one prey placed on each of the 120 oranges. Five days later 27 predators were dispersed on the oranges. The resulting dynamics in populations both over time (8 months) and space are shown in Figure 7. In other experiments with oranges in different arrangements, the oscillatory behavior was not seen. Huffaker concluded that the predator-prey oscillation would only occur when there was migration from the outside or a sufficiently complex spatial arrangement of prey and barriers to allow localized growth of the prey followed by consumption by the predator.

Figure 7. Mite predator prey experiment (Huffaker 1958).

- (a) Spatial distribution.
Prey concentration is shown by intensity of small blocks (darker is higher density) and predator locations are marked with small circles.
- (b) Time series of total predators and prey in spatial area. Letters on graph refer to the time series for the spatial display next to the letter.



In high altitude balsam fir forests in the northeastern United States, waves of tree loss and regeneration are thought to be formed by an interaction of the prevailing wind with the larger mature trees that are exposed along the gap-wave (Sprugel and Bormann 1981, and Sprugel 1984). The wind in this case acts to organize the disturbance cycle that occurs normally in this type of forest into a spatial wave pattern instead of randomly occurring patches.

The 'ohi'a dieback phenomenon in the rain forests of Hawaii (Mueller-Dombois 1980) is a case of localized loss of trees in the forest not due to disease or insect pest. It was postulated that the effects were due to local soil moisture loss arising from some climate instability. Reproduction of the 'ohi'a was adequate enough to regenerate the forest after the dieback, thus providing a way for this shade intolerant species to become the primary canopy species without further succession. Climatic variability was thus used to an adaptive advantage.

Spatial modelling of ecosystems can be done in several different ways. By using a model based on the FORET simulation model (Shugart and West 1977) and spatially distributing the output of the model according to flooding conditions and hydroperiod, Pearlstine, McKellar and Kitchens (1985) suggested possible species changes due to changes in the hydroperiod caused by a river diversion in South Carolina. In this case the number of individual subcell models was kept small and the spatial distribution was based

on a combination of terrain relief, hydrology, and correlated output from the simulation model.

Another approach to spatial modelling is to divide the area into individual cells with a representative model in each cell with some interaction terms among the individual cells. This is the approach Costanza (1979) used in modelling the economic development of South Florida.

Simulations with individual models for each cell have certain advantages, because the interaction of neighboring cells influences the outcome. A serious disadvantage where the number of cells is large is the immense amount of computer time required for the simulations. By making the cell size larger this can be avoided, but loss of spatial detail occurs as the cell size increases. The sub-cell distribution modelling technique used by Pearlstine et al. (1985) has just the opposite advantages and disadvantages. The time requirements for simulation do not necessarily increase as the area of cells is increased, but individual intercell interactions are lost.

Plan of Study

Objectives

This study of energy use and pattern formation with production consumption models has several parts:

First, the energetics of different pathway configurations were tested using a series of minimodels. These models were manipulated to determine the energy use of

systems with different production and consumption kinetics and different combinations of components.

Second, a generalized production-consumption minimodel calibrated with tropical rainforest data was used to study the energetics of pulsing behavior.

Third, spatial pattern formation was investigated using the pulsing production-consumption model as subunits in a spatially distributed format. The spatial effects and energy implications of various patterns of energy inputs, edges, and lateral connectivity were determined.

These spatial simulations included several types of inter-block exchange. Hierarchical relationships are represented in these models when each consumer component interacts with more than one producer unit. The distribution of gaps developed by simulations was compared with gaps in the tropical rainforest in Puerto Rico.

Finally, insights and hypotheses were developed about behavior of ecological systems.

Data site: Luquillo Rainforest, Puerto Rico

Data from the Lower Montane Rainforest in the Luquillo Mountains of Puerto Rico were used to compare some of the spatial simulations of pulsing and patches. Extensive studies on this forest were published previously (Odum and Pigeon, 1970).

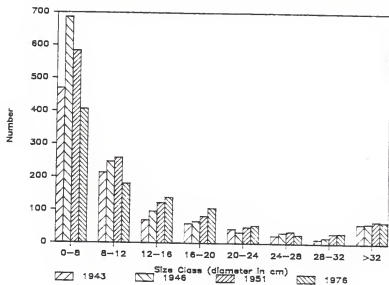
Changes in structure and composition of a plot of tropical rain forest near El Verde in Puerto Rico over a period of 30 years were reported by Crow (1980). Data

included size class distributions taken in 1943, 1946, 1951 and 1976 (Figure 8). It can be seen that there is a shift over time in the different size classes. The peak year for the 0-8 cm class is 1946 while the peak in the 8-12 cm class occurs in 1951 and the peak in the next three size classes occurs in 1976. The smallest number in the lower two classes also occurs in 1976. The last severe hurricane struck Puerto Rico in 1932, and this movement through the size classes appears to be the growth and development of an age class of trees that grew back after the hurricane. The hurricane in this case acts as an organizing disturbance to reset succession of patches on a large scale.

The models simulated include the main integrative mechanisms observed in ecosystems for coupling production and consumption of spatially distributed units. Energy use of these configurations was obtained from the simulations to test the hypothesis that commonly observed organizational designs with a successional regime that alternates production and consumption, tend to maximize system power in the long run.

Figure 8. Size class distribution over time of plot of trees in tropical forest at El Verde (Crow 1980).

Distribution of trees over time















CHAPTER 2

METHODS AND MODELS

Ecosystem concepts, configurations, and models were represented with energy circuit language from which simulation programs were derived. The energy circuit language, developed by H. T. Odum (Odum 1971, Odum and Odum 1981 and Odum, 1983), is a symbolic language for modelling ecosystems and their components. Elements of storages, flows, and interactions in this symbolic language keep track of the laws of energy conservation. The energy diagrams also show the correct kinetic interaction between parts of the system. The level of aggregation or disaggregation that is needed to understand and model a system for a particular purpose can be achieved by drawing and revising diagrams using this energy circuit language. A diagram of most of the important symbols with a brief description of each is presented in Figure 9.

One of the benefits of using the energy circuit language is that it is possible to go from a conceptual model to the development of the differential equations needed to simulate the model in a few steps. Each of the pathways on the diagram represents a flow that in turn can be represented by terms in the differential equations that

Figure 9. Energy circuit language symbols (Odum 1983).

	Energy circuit	A pathway whose flow is proportional to the quantity in the storage or source upstream.
	Source	Outside source of energy delivering forces according to a program controlled from outside; a forcing function.
	Tank	A compartment of energy storage within the system storing a quantity as the balance of inflows and outflows; a state variable.
	Heat sink	Dispersion of potential energy into heat that accompanies all real transformation processes and storages; loss of potential energy from further use by the system.
	Interaction	Interactive intersection of two pathways coupled to produce an outflow in proportion to a function of both; control action of one flow on another; limiting factor action; work gate.
	Consumer	Unit that transforms energy quality, stores it, and feeds it back autocatalytically to improve inflow.
	Switching action	A symbol that indicates one or more switching actions.
	Producer	Unit that collects and transforms low-quality-energy under control interactions of high-quality flows.
	Self-limiting energy receiver (Chapter 10).	A unit that has a self-limiting output when input drives are high because there is a limiting constant quantity of material reacting on a circular pathway within.
	Box	Miscellaneous symbol to use for whatever unit or function is labeled.
	Constant-gain amplifier	A unit that delivers an output in proportion to the input I but changed by a constant factor as long as the energy source S is sufficient.
	Transaction	A unit that indicates a sale of goods or services (solid line) in exchange for payment of money (dashed). Price is shown as an external source.

describe the changes in storage compartment (tank) values over time.

Simulation Procedures and Programs

The majority of the simulations in this dissertation were done in FORTRAN-4-PLUS on a Digital Equipment Corporation (DEC) PDP 11/34 with RSX-11M operating system. The graphical outputs of the simulations were displayed on a DEC VK-100 graphics terminal (General Image Generator and Interpreter or GIGI) connected to a Barco color monitor and DEC LA-34 Decwriter. The GIGI terminal has a 760x240 pixel resolution and can display up to eight colors on a color monitor. In order to facilitate the graphics programming needed in my simulation models, I developed a set of FORTRAN subroutines with a more natural calling sequence to execute the ReGIS (Remote Graphics Instruction Set use by the GIGI terminal) commands from the programs. This library of routines (GGLIB) is listed and documented in the Appendix.

Some of the goals of this dissertation were to examine the structure and function of systems in time and space and to determine how variation in coefficients may affect energy flows and storages of the systems. Graphical display programs were developed to project a simulated 3-D surface of the output of various state variables over time and over a range of input conditions. A special 3-D graphics display program was written to display the output of these model simulations (program PLOTZ, Appendix).

The spatial models are broken down into cells that show the concentration of a given parameter in the individual cell as a color block. For display on the color monitor this provides dramatic views of the model changes over time and space. In order to make hardcopy printouts a display character set was designed so the density of the dots in an individual cell was correlated to the color of the cell. This provided a way of screen-dumping the images to paper and achieving patterns on paper that were similar to the ones on the video screen (See Appendix for a listing of the character set).

Simulation Models

Minimodel Tests

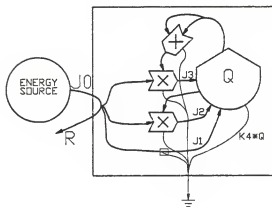
First a group of minimodels were simulated to relate energy use to basic pathway designs. Then spatial models with these configurations were studied for energy use and pattern formation.

Three path minimodel

In order to understand how a system processes variable energy inputs, builds structure, and regulates or maximizes energy flows, a simple single tank model was simulated. The model is similar to the one described by Odum (1982) that has parallel pathways of different types competing for available energy (Figure 10). The model has a flow limited source connected to a single storage (tank) by three different pathways; a linear pathway (J1), an autocatalytic

Figure 10. Three pathway model used to test effects of various energy inputs on kinetic mechanisms.

$$\begin{array}{ll}\text{Linear input:} & J1=K1*R \\ \text{Autocatalytic input:} & J2=K2*Q*R \\ \text{Quadratic input:} & J3=K3*Q*Q*R \\ \\ dQ=J1+J2+J3-K4*Q & \\ R=J0-J1-K0*R*Q-K5*R*Q*Q & \end{array}$$



pathway (J2), and a quadratic pathway (J3). The tank has a linear drain.

The model represents a system that can change its use of three functional pathways to get energy. The linear pathway represents the energy flow that a system can receive without any feedback in this pathway, only pathway resistance to the flow. Because it is a donor controlled pathway, the system has no control on the flow. Diffusion pathways are an example of this type of energy flow. The linear pathway is very efficient because it takes almost nothing to receive the energy.

The autocatalytic pathway has a feedback from the system storage for interacting with an energy source to facilitate the capture of more energy. If energy is available to support the storage this pathway may lead to a competitive advantage over the linear pathway. The efficiency of the autocatalytic pathway depends on the energy source, the storage and the pathway coefficient. A pathway of this type has the capability of capturing more available energy.

The quadratic pathway has a self-stimulating feedback (see equation on Figure 10) from the storage to capture available energy. Examples of cooperative feeding that may fit this model are common in ecosystems such as pack hunting by some carnivores, cell and organ system interactions and the cooperative work by humans in developed nations.

This model was simulated in BASIC (program THREEPATH in Appendix) on a Digital Equipment Corporation (DEC) PDP 11/34 using a DEC VK-100 graphics terminal (GIGI). Measurements were made of the percent of the input power used while applying various levels of input power and varying the frequency of input power. Simulation runs were also made with one or more of the three pathways set to zero to determine the impact of the various pathways on the overall system behavior and power utilization.

In conjunction with the three path model in Figure 10, a similar model with the same inputs but with additional higher order drain pathways was simulated to determine the effects on total power usage (Figure 11). In any system that has crowding effects or high storage costs, these drain pathways may determine how the system processes energy. The model has a linear drain, an autocatalytic drain and a quadratic drain.

The basic three path model was tested for the effects of size and turnover time on the percent power used for various power inputs by varying the drain coefficient (K_4 on Figure 10) in multiple simulation runs.

The percent power used when the three path model competes with individual storages with single pathways (Figure 12) was also simulated to see how the various pathways may help or hinder a system. The competitors are individual tanks with single pathways corresponding to the three pathways in the three path model.

Figure 11. Three pathway model with multiple drain pathways. Used to test effects of higher order drain pathways on threepath model.

Linear input:	$J1 = K1 * JR$
Autocatalytic input:	$J2 = K2 * Q * JR$
Quadratic input:	$J3 = K3 * Q * Q * JR$
Linear drain:	$J4 = k4 * Q$
Autocatalytic drain:	$J5 = K5 * Q * Q$
Quadratic drain:	$J6 = K6 * Q * Q * Q$
$dQ = J1 + J2 + J3 - J4 - J5 - J6$	
$JR = J0 - J1 - K2' * J2 - K3' * J3$	

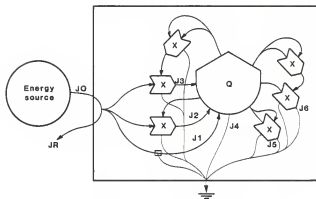


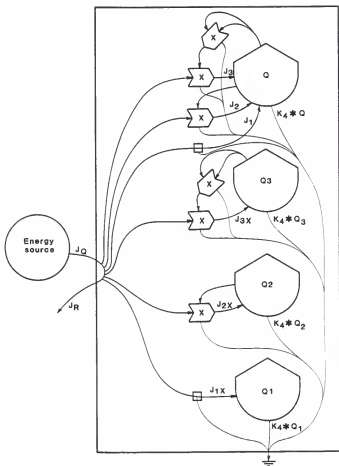
Figure 12. Three pathway model with individual competing units having single input pathways similar to combined model. Coefficients in Appendix.

Combination tank:

$$\begin{aligned}
 &\text{Linear input:} & J1 &= K1 * JR \\
 &\text{Autocatalytic input:} & J2 &= K2 * Q * JR \\
 &\text{Quadratic input:} & J3 &= K3 * Q * Q * JR \\
 & & dQ &= J1 + J2 + J3 - K4 * Q
 \end{aligned}$$

Single tanks:

$$\begin{aligned}
 &\text{Linear input:} & J1X &= K1' * JR \\
 & & dQ1 &= J1X - K4 * Q1 \\
 &\text{Autocatalytic input:} & J2X &= K2' * Q2 * JR \\
 & & dQ2 &= J2X - K4 * Q2 \\
 &\text{Quadratic input:} & J3X &= K3' * Q3 * Q3 * JR \\
 & & dQ3 &= J3X - K4 * Q3 \\
 & & JR &= J0 - J1 - K2' * J2 - K3' * J3 - J1X - K2' * J2X - K3' * J3X
 \end{aligned}$$



For any system to survive over the long term, it must fit into a regime of disturbances or catastrophic events from sources outside its own boundaries. The system must be tuned to the frequencies of those systems that influence it in order to maximize power and survive. The three path model was simulated with various frequencies of power input to see how the various pathways process power at different frequencies and amplitudes.

Parallel production-consumption minimodel

A model with producers in parallel was used to study the effects of competition among producers (Figure 13). The model had three producers, all having the same structure, with one aggregate consumer that was consuming all three and feeding back as a multiplier on the production function of each. It is a basic predator-prey model with competition among the different producers, along with feedback control and energy constraints in the form of a flow limited source. Instead of having combinations of pathways that can vary, this model had combinations of producers that could vary.

The producers had different turnover times and coefficients so that Q1, Q2, and Q3 represented climax, mid-successional (shrub) and early successional (weed) species. The coefficient of consumption (the percent of each producer the consumer eats per unit time) for each producer was different. The weed species had a higher value than the shrub species, which was higher than the climax species

Figure 13. Parallel production-consumption model.

Individual rate equations

$$R1 = K1*Q1*JR*Q4$$

$$R2 = K2*Q2*JR*Q4$$

$$R3 = K3*Q3*JR*Q4$$

$$R4 = D1*Q1$$

$$R5 = D2*Q2$$

$$R6 = D3*Q3$$

$$R7 = K7*Q1*Q4$$

$$R8 = K8*Q2*Q4$$

$$R9 = K9*Q3*Q4$$

$$R10 = F1*(K1*Q1*JR*Q4 + K2*Q2*JR*Q4 + K3*Q3*JR*Q4)$$

$$R11 = K0*(K7*Q1*Q4 + K8*Q2*Q4 + K9*Q3*Q4)$$

$$R12 = D4*Q4$$

$$JR = J0/(1 + L1*Q1*Q4 + L2*Q2*Q4 + L3*Q3*Q4)$$

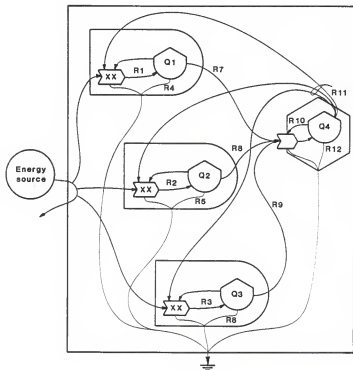
Rate equations for state variables

$$dQ1 = R1 - R4 - R7$$

$$dQ2 = R2 - R5 - R8$$

$$dQ3 = R3 - R6 - R9$$

$$dQ4 = R11 - R12 - R10$$



(Odum 1969). A list of coefficients is given in Appendix Table 3.

Several variations of this basic model were written in FORTRAN and BASIC computer languages and simulated on both a PDP 11/34 and on a Heathkit H8. The source listing for the standard parallel production-consumption model (SUC10) is presented in the Appendix.

Pulse Model

A general pulsing ecosystem model (Figure 14) was designed to test various hypotheses about energy flows and pulsing, hierarchical organization, and spatial development of ecosystems. Some of the structure of the model was derived after the tests of the three[✓]path model and the parallel production-consumption model. The model had many characteristics of ecosystems such as:

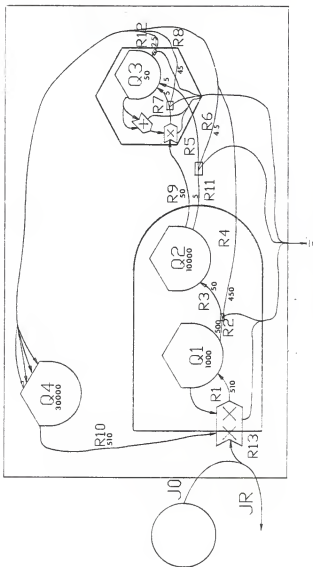
1. Flow limited resources (representing solar based energy resources).
2. Nutrient storage within the boundaries of the model.
3. Units of production, consumption and storage.
4. Feedback of consumers on production through nutrient recycle.
5. Consumption at low maintenance rates and at high pulsing rates.
6. Production through a fast turnover storage into a long turnover biomass storage.

The basic pulsing ecosystem model was tested for different flow rates, initial storages and energy inputs. From this, a baseline understanding of the dynamic behavior of the model and energy processing capabilities (as percent power used) was developed.

The pulse model (Figure 14) was similar to the one in Richardson and Odum (1981) with some changes in coefficients

Figure 14. Pulse model of tropical forest ecosystem model.

Individual rate equations:	Rate equations for state variables:
$R1 = K1*Q1*Q4*JR$	$dQ1 = R1 - R2$
$R2 = K2*Q1$	$dQ2 = R3 - R9 - R11$
$R3 = K3*Q1$	$dQ3 = R7 + R5 - R12$
$R4 = K4*Q1$	$dQ4 = R12 + R8 + R6 - R10 + R4$
$R5 = K5*Q2$	$JR = J0/(1 + K13*Q1*Q4)$
$R6 = K6*Q2$	
$R7 = K7*Q2*Q3*Q3$	
$R8 = K8*Q2*Q3*Q3$	
$R9 = K9*Q2*Q3*Q3$	
$R10 = K10*Q1*Q4*JR$	
$R11 = K11*Q2$	
$R12 = K12*Q3$	
$R13 = K13*Q1*Q4*JR$	



and flows to calibrate it to a tropical rain forest ecosystem. The original model was run on an Electronics Associates Incorporated model 2000 Analog/Hybrid computer. The models presented in this dissertation were simulated on a DEC PDP 11/34. The multiple simulations of the pulse model were generated with a version of the program that would run 25 simulations while varying a coefficient or initial condition over those 25 runs and generate data files that were then displayed with the FORTRAN program PLOTZ (See Appendix). The source listing of the FORTRAN pulse program is in the Appendix.

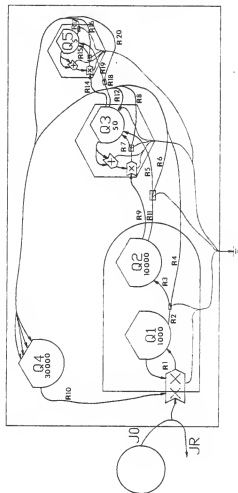
The pulse model was calibrated with tropical forest ecosystem values for carbon flows and storages (Jordan and Drewry 1969, Odum and Pigeon 1970, and Brown, Lugo, Silander and Liegel 1983). The energy diagram of the model is given in Figure 14 and the equations, coefficients and initial conditions of the state variables are given in Appendix Table 4.

Pulse Model With Prey-Predator Sectors

An additional higher trophic level consumer was added to the pulsing consumer model (Figure 14) in order to test the relationship of turnover time and hierarchical matching of consumers (Figure 15). The extra consumer added to the model had the same structure as the lower level pulsing consumer (Q3), with both linear and quadratic pathways. This model was tested by varying the turnover time of the

Figure 15. pulse model with additional prey-predator sector.

Individual rate equations:	Rate equations for state variables:
$R1 = K1*Q1*Q4*JR$	$dQ1 = R1 - R2$
$R2 = K2*Q1$	$dQ2 = R3 - R9 - R11$
$R3 = K3*Q1$	$dQ3 = R7 + R5 - R12 - R18 - R14$
$R4 = K4*Q1$	$dQ4 = R4 + R5 + R12 + R12 - R10$
$R5 = K5*Q2$	$+ R16 + R17 + R20$
$R6 = K6*Q2$	$dQ5 = R15 - R17 + R19$
$R7 = K7*Q2*Q3*Q3$	$JR = J0/(1 + K13*Q1*Q4)$
$R8 = K8*Q2*Q3*Q3$	
$R9 = K9*Q2*Q3*Q3$	
$R10 = K10*Q1*Q4*JR$	
$R11 = K11*Q2$	
$R12 = K12*Q3$	
$R13 = K13*Q1*Q4*JR$	
$R14 = K14*Q3*Q5*Q5$	
$R15 = K15*Q3*Q5*Q5$	
$R16 = K16*Q3*Q5*Q5$	
$R17 = K17*Q5$	
$R18 = K18*Q3$	
$R19 = K19*Q3$	
$R20 = K20*Q3$	



highest level consumer (Q5) and measuring the percent power used and the level of the other storages in the system.

Spatial Models

The models previously discussed were time domain models with no spatial effects. However, because ecosystems develop through time and space and spatial variations can be at least as important as variations in time, spatial models were developed and simulated to test hypotheses concerning spatial development of ecosystems such as energy processing and pattern formation and hierarchical control of pattern formation.

The basic spatial model was a collection of subunits, each one a pulsing consumer model (Figure 14). These subunits were organized in a spatial format. When this simple model was simulated in a spatial format, size effects, edge effects and the consumer range of influence can become important. Intercell interactions between individual producers, consumers, nutrients, and energy sources may be important in energy utilization and pattern formation.

Effects of edges in the spatial model were of interest in pattern formation and energy use. Special boundary conditions were defined for the model cells along the edge. These boundary cells were manipulated in the simulation model in order to study the effects of edges on energy use and pattern formation. The boundary cells were also manipulated to minimize the effect of edges in certain runs of the model.

Any ecosystem can be divided into edge and non-edge (center) parts. The amount of edge in an ecosystem is a function of the size and number of the individual patches within it. For a given area, as the number of subunits increases the percent of the subunits on the edge decreases (see Figure 16).

A 10x10 matrix was used in the spatial simulations, giving 36% of the total in edge cells and 64% in non-edge cells. This size model was chosen to reduce the edge and yet be small enough to simulate in a reasonable time. Computer runs for this model lasted approximately 3 hours on a PDP 11/34. A model with a center to edge ratio of 10:1 would need approximately 20 times as many cells. In order to test the effects of edges on the model, a single layer of cells was added around the outside edges of the 10x10 matrix, giving it a 12x12 total area (Figure 17). The outer layer was not acted as a buffer to approximate conditions of an edgeless system.

Arrangements of cells

In simulating a spatial model, many arrangements of cells can be used. The simplest form used was a linear array with cells arranged in a linear ring. For two dimensional models the cell geometry chosen was a square. This was done for several reasons:

Figure 16. Number of edge and center cells as a function of total number of cells in a given square area.

EDGE EFFECT

Perimeter and Center

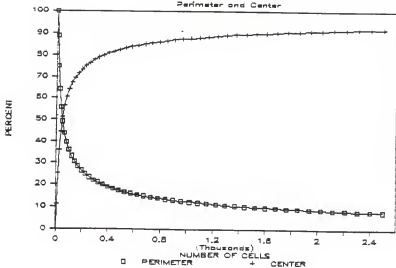
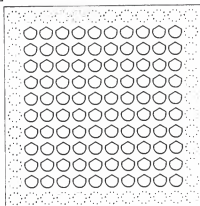


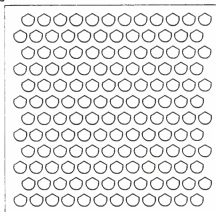
Figure 17. Cell geometries considered for spatial models.

- (a) Square matrix with each cell having 4 side and 4 corner neighbors. Active 10×10 matrix embedded in a 12×12 matrix. This one was chosen for the spatial simulations.
- (b) Hexagonal matrix with each cell having 6 side neighbors.

a



b



1. It simplified programming the model because two dimensional arrays in FORTRAN are set up in rows and columns.
2. It simplified writing the graphics routines to display the cells on a graphics terminal.
3. It reduced the edge effects of the model.

Ring model

A modified version of the two dimensional spatial model was used to simulate a one dimensional case. The standard spatial pulse model was connected head to tail in a ring of 36 cells.

Two dimensional models

The simplest spatial implementation was the basic pulse model repeated over the 10x10 matrix with no interactions between individual cells. This model (program DSPl) was then simulated with three different energy forcing functions:

1. The energy source was hierarchically distributed (highest energy input at the center of the matrix).
2. The energy source was evenly distributed.
3. The energy source was randomly distributed.

Energy inputs were scaled so the mean input over the whole matrix could be held constant for all energy types. Overall energy input could be varied to test pattern development and energy use with various energy levels.

Two different initial conditions were tested. A successional sequence was simulated with the initial values of

stored production (biomass, Q2 in Figure 14) set to a low level. A steady state configuration was also used in which Q2 was set to a value just below the pulse threshold. The nutrient tank (Q4) in each case was balanced to contain the remainder of carbon available in each cell.

This model tested different conditions and inputs.

1. Diffusion was allowed between nutrient tanks (Q4) of each subunit. The base model (DSP1) allowed nutrients to diffuse between cells at various diffusion rates. The outer layer of non-reacting cells (see Figure 17) had constant values for Q4 to allow tests of total diffusion into and out of the cell matrix (diffusion along the edges).

2. Diffusion was allowed between consumer tanks (Q3) of each subunit (program DSP1Q3). The outer non-reacting cell layer was set to a constant value or was allowed to float (program DSP1QZ) at the average of the inner 10x10 matrix to simulate a continuous sheet.

Simulations were run in which the consumer had a larger area or territory than the producer. A model variation (program DSP1C) was tested in which all of the consumer tanks were clumped into one tank that aggregated consumption over the 10x10 matrix simultaneously. This version also had three different input energy patterns available, and allowed diffusion between nutrient (Q4) tanks.

The final variation was a model with production compartmentalized as before in individual cells but with free roaming consumers, not constrained by cell boundaries. One consumer was allowed to consume and move about the matrix according to a set of constraints. When the consumer grew above a preset size, it was split into two equal halves and each half was allowed to consume, move and split again. An upper limit of 100 was placed on the total number of consumers that could be generated during the run (the total in the 10x10 matrix of the previous model versions). This model also had three different energy inputs and diffusion of nutrients (Q4).

Format for Spatial Display Graphs

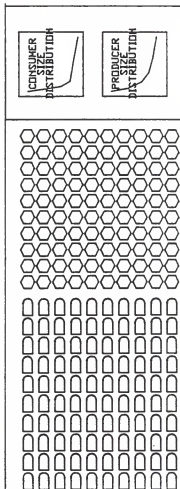
Data from the spatial pulsing model were displayed using the format shown in Figure 18. The spatial distributions of the producers and consumers were shown at various times during the run (usually 50 years apart). The values of producers and consumers in individual cells were represented by the density of dots in the cell. The producer density increment was 2000 g/m² with a range of 0-16,000 g/m² while the consumer was represented by an increment of 50 g/m² and a range of 0-400 g/m².

Measurement of Hierarchies at El Verde Site

In order to compare hierarchical relationships that were generated in the model with those occurring in the

Figure 18. Format of spatial model display graphs.

PRODUCER MATRIX CONSUMER MATRIX



tropical rain forest at El Verde, several measurements were made from data sets from the tropical rain forest study at El Verde (1963-1967) in the Luquillo Mountains of Puerto Rico (Odum and Pigeon 1970).

A data set (2048 samples) characterizing the forest at the radiation site was generated by the U. S. Army Corps of Engineers (Rushing 1970). At the radiation site, every plant 1.8 m. or taller was enumerated within a radius of 30 m. from the center of the site. Each plant was recorded with the species name, height, diameter, crown diameter, exact location, and various other parameters.

Black and white negatives of aerial views of the radiation site (taken November 1963 before the radiation treatment) were printed as 8x10 inch photographs. Individual gaps characterized by the presence of Cecropia peltata (an early successional species) were digitized from the photographs using a personal computer, Complot digitizer and digitizing program written especially for this purpose (Measure3 in Appendix).

CHAPTER 3

RESULTS

Simulation of Three Path Model

Individual Pathway Tests

The amount of energy flowing through each of the pathways in the three path model (Figure 10) depends on the total energy input to the model. As input power (J_0) was increased (Figure 19) steady state flows for each of the pathways changed. Each pathway predominates at certain times. The linear path had the largest power flow when input power was low, while the quadratic pathway had the highest flow at higher power inputs.

When input power was increased through time (Figure 20), there was no steady state, but, like Figure 19 when power increased, the energy flow shifted from the linear pathway to the autocatalytic and finally to the quadratic path. The fraction of energy remaining (J_r/J_0) also decreased over time. As input power increased, a greater fraction of the input power was utilized.

The model was run with different pathway combinations (Figure 21) and with various power inputs. Each curve on the graph represents a steady state value for various combinations of pathways present in the simulation. Power used

Figure 19. Steady state power utilization of units in the three path model (Figure 10) as a function of input power (J_0).

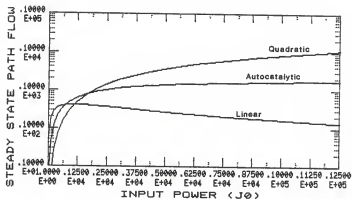


Figure 20. Energy utilization of individual components in the three path model in Figure 10. Input power is increasing through time.

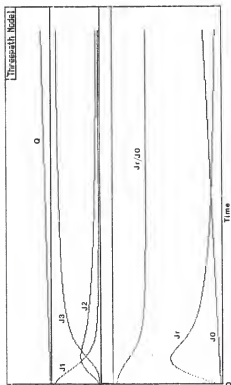
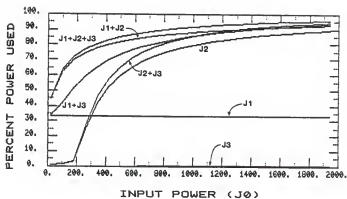


Figure 21. Steady state energy flows on various pathways and combinations of pathways in the three path model (Figure 10) as a function of input power (J_0).

Linear pathway:	$J_1 = K_1 \cdot R$
Autocatalytic pathway:	$J_2 = K_2 \cdot Q \cdot R$
Quadratic pathway:	$J_3 = K_3 \cdot Q \cdot Q \cdot R$



at any given input was highest with all three pathways present. For any combination of pathways that contained the quadratic path ($J1+J2+J3$ or $J2+J3$ or $J1+J3$), power used increased with power input to reach the same asymptote (>95% power used). A slightly lower level was reached for pathways dominated by the autocatalytic pathway ($J2$ or $J2+J1$). This asymptote was approximately 90% power used with increasing power input. With only the linear pathway enabled, no change occurred in percent power used with increasing power.

A unique situation occurred when the quadratic pathway ($J3$) existed alone. A low initial storage (Q) did not provide enough feedback on the $J3$ pathway to allow growth. Percent power used was never significant. The simulation with only $J2$ and $J2+J3$ showed zero percent power used at low input levels, then rose quickly at higher input power.

The size of the storage (Q) was varied to see the effects on energy usage (Figure 22). This was achieved by varying the depreciation coefficient ($K4$) in multiple run while increasing power input in the three path model. At high values of $K4$ (fast turnover times), increases in percent power used at steady state with increasing power were small. With decreasing values of $K4$ (slower turnover times), percent power used increased for the initial and final values of input power.

The addition of multiple drains with different structures (Figure 11) did not have as great an effect on the

Figure 22 Simulation of three path model in Figure 10.
Percent power used as a function of energy input and size of
drain coefficient (K_4 varied from .02 to 2.0).

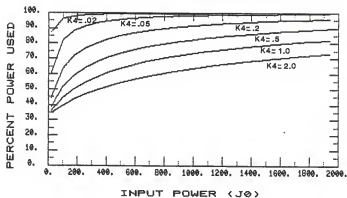
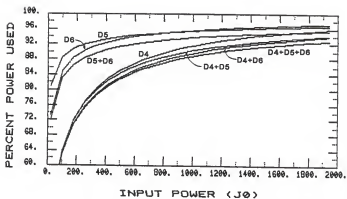


Figure 23. Simulation of three path model with multiple drain pathways in Figure 11. Percent power used as a function of energy input (J0).

Linear drain:	$D4=k4*Q$
Autocatalytic drain:	$D5=K5*Q*Q$
Quadratic drain:	$D6=K6*Q*Q*Q$

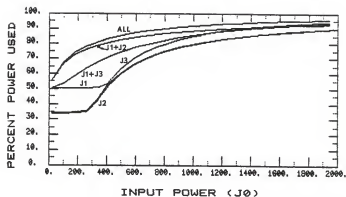


model as multiple inflow pathways. The percent power used was lowest when all combinations of drain pathways were enabled (Figure 23). Percent power used increased with increasing input power. The highest value for percent power used was achieved when only the original linear drain was present. Any combination with the linear drain used less power at low power inputs than the nonlinear pathways alone or in combination. The higher order drains enabled the system to draw more power at low levels than when combined with linear pathways. This effect was opposite from that with input pathways at very low power where the nonlinear pathways did not function well (see Figure 21).

The effects of adding competition pathways to the model (Figure 12) can be seen in Figure 24. In this case, each of the competing pathways (single tanks Q1, Q2, and Q3 with individual pathways) were left on throughout the simulations. Here again the various pathways were disabled and simulations run with varying power inputs. The results were similar in some ways to those in Figure 21 where at high power inputs the percent power used approached one of two asymptotes. The greatest percentage of power utilization occurred when all pathways were enabled and the lowest power utilization occurred when only J2 or J3 were enabled. The addition of the extra competing storages increased the percent power used in each of the pathway combinations compared to Figure 21. These extra pathways were always there to use

Figure 24. Simulation of three path competition model with various pathways enabled (Figure 12). Percent power used as a function of energy input (J0).

Linear pathway:	$J1 = K1 \cdot R$
Autocatalytic pathway:	$J2 = K2 \cdot Q \cdot R$
Quadratic pathway:	$J3 = K3 \cdot Q \cdot Q \cdot R$



whatever power may be left over (particularly the linear path).

Frequency Studies

The basic three path model (Figure 10) was also used to test the effects of different frequencies of input power on the model at three different power levels. At the lowest power level ($J_0=500$, Figure 25) the differences between pathways in percent power used was the greatest. The greatest frequency response occurred at low frequencies. The frequency response was flat with only the linear path enabled. When all pathways were present, the percent power used was highest with a peak at approximately 2 cycles. A peak of power utilization also occurred with the combinations of J_1+J_2 and J_1+J_3 . The pathways that showed a minimum in the frequency response were composed of J_2+J_3 (the two nonlinear pathways combined) and J_2 . The quadratic pathway alone did nothing since no power was used (compare with Figure 21).

When the input power was increased to 2000 (Figure 26), the linear pathway showed no change in output with change in frequency and the quadratic pathway had no output. The combination of J_1+J_2 here again had a slight maximum at about 2 cycles while J_2 alone had a maximum at zero cycles. The combination of all of the pathways ($J_1+J_2+J_3$) and J_1+J_3 had a slight minimum of power utilization at about 8 cycles, while the combination of J_2+J_3 showed a slight minimum at about 2 cycles.

Figure 25. Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power ($J_0=500$).

Linear pathway:	$J_1=K_1 \cdot R$
Autocatalytic pathway:	$J_2=K_2 \cdot Q \cdot R$
Quadratic pathway:	$J_3=K_3 \cdot Q \cdot Q \cdot R$

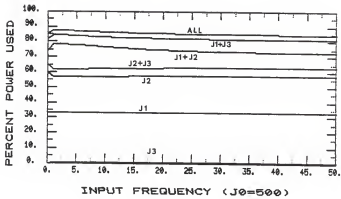
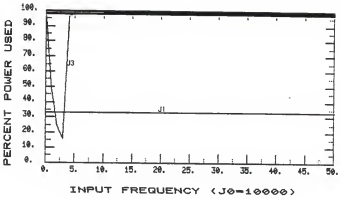


Figure 26. Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power ($J_0=2000$).

Linear pathway:	$J_1=K_1 \cdot R$
Autocatalytic pathway:	$J_2=K_2 \cdot Q \cdot R$
Quadratic pathway:	$J_3=K_3 \cdot Q \cdot Q \cdot R$



When the input power was raised to 10000 (Figure 27) the percent power used went up for all combinations of pathways except the linear path. The quadratic pathway was operational at this high power level but with a significant minimum at 2 cycles per run. Other combinations had small minima and maxima that are hard to see at the scale of this graph.

The response of the model to various frequencies and power input is shown in Table 1. Simulation runs with pathway J1+J2 had a maximum in percent power used at all three power inputs while the combination of J2+J3 had a minimum in percent power used at all three power inputs. The combination of all pathways (J1+J2+J3) has a peak of maximum percent power utilization at low power and low frequency input. At higher power levels percent power utilization (with all three pathways enabled) was lower with some shifting in the frequency at which this occurs.

Simulation of Parallel Production-Consumption Model

Single Run Simulations

The parallel production model showed a successional pattern with the initial dominant species (Q3, with the fastest turnover) growing up, then declining as Q2 became the dominant species and finally Q1 (with the slowest turnover) reached a maximum and then dropped back to a slightly lower steady state (Figure 28). The consumer (Q4, with the

Figure 27. Simulation of the three path model in Figure 10. Percent power used as a function of frequency of the input power ($J_0=10000$).

Linear pathway:	$J_1=K_1 \cdot R$
Autocatalytic pathway:	$J_2=K_2 \cdot Q \cdot R$
Quadratic pathway:	$J_3=K_3 \cdot Q \cdot Q \cdot R$

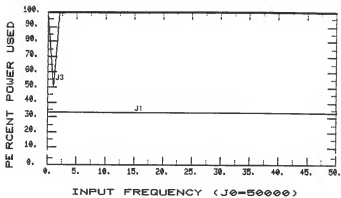


Table 1. Frequency response (minimums and maximums) of three path model (Figure 10) with varying input power.

Pathway combination	INPUT POWER		
	J0=500	J0=2000	J0=10000
J1+J2+J3 (All)	MAX (2)	MIN (8)	MIN (3)
J2+J3	MIN (2)	MIN (2)	MIN (2)
J1+J3	MAX (2)	MIN (8)	MIN (3)
J1+J2	MAX (2)	MAX (2)	MAX (2)
J1	N/R	N/R	N/R
J2	MIN (2)	MAX (0)	MAX (0)
J3	N/O	N/O	MIN (2)

Numbers in parenthesis are the frequencies at which the maximum or minimum occurs.

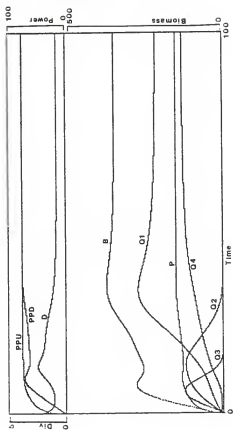
N/R signifies there was no frequency response for this set of pathways.

N/O signifies there was no power uses at these inputs

Figure 28. Simulation of the four sector succession model in Figure 13. Model base run.

Legend:

PPU = Percent power used
 PPD = Percent power drained
 D = Diversity
 B = Total biomass
 P = Productivity
 Q1 = Climax species
 Q2 = Mid successional species
 Q3 = Early successional species
 Q4 = Consumer



longest turnover time per unit) also rose to a steady state value. During this time, the productivity climbed to a local maxima, then dropped slightly, finally climbing to a slightly higher steady state. The percent power used for the whole run was 95.5%.

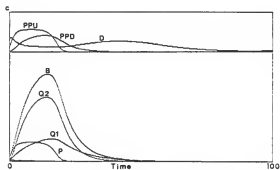
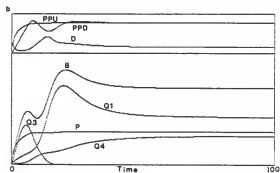
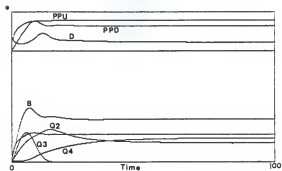
In order to test the role of each of the producers early in the simulation, a series of runs were made with the initial condition of one of the producer species set to zero (Figure 29 a,b,c). With no initial climax species (Q1) present (Figure 29a) the shrub species (Q2) became dominant in the final steady state. The percent power used for the run was 94.7%, slightly less than the base run configuration. This configuration did not support as high a level of consumer (Q4) compared to the base model run (75.2 vs. 90.8).

When the shrub species (Q2) was absent (Figure 29b), the percent power used for the run and steady state values for the consumers were similar to the base run. Without the shrub species present to compete during the middle period, the final climax species (Q1) peaked earlier and higher than in the base run.

When the weed species (Q3) was initially absent (Figure 29c), the system was not self sustaining. The primary reason was that during the early part of the simulation, the consumer (Q4) was dependent on the weed species (Q3). With no Q3 present, the consumer crashed very quickly. The whole system then crashed because the consumer feeds back in

Figure 29 Simulation of the parallel production-consumption model in Figure 13. See Figure 28 for legend and ordinate scale.

- (a) Simulation run with initial value of climax species (Q1) set equal to zero.
- (b) Simulation run with initial value of intermediate species (Q2) set equal to zero.
- (c) Simulation run with initial value of weed species (Q3) set equal to zero.



the production function of all of the producers in the system.

When the model was simulated with no initial consumer (Q4), it crashed even faster (not shown) than in Figure 29c because of the feedbacks in the model from the consumer to the producers.

Multiple Run Simulations

The behavior of the parallel production model with varying input power is seen in Figure 30a-f. In this set of runs the base model was run for 100 time units. For each successive run, the input power (J0) was increased, varying from 50 to 300. As the energy input increased, the peaks of the producers were higher (Q1-Q3), with Q3 (the weed species) showing the most change in amplitude (Figure 30c). The climax species (Q1) peaked sooner as the input power increased.

The simulation of succession to a climax was thus speeded up by increasing the energy input at lower levels, but at higher levels the increase in energy had little effect on the transition to dominance of the climax species.

The effect of increasing energy input was also seen in the level of the consumer (Q4 in Figure 30d). With increasing power, the consumer was maintained at a proportionately higher steady state.

For this set of simulations, as the input power increased, the percent power used increased asymptotically (Figure 31). There was a diminishing return on the input

Figure 30. Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with available power increasing from 50 to 300.

- (a) Climax species (Q1)
- (b) Intermediate producer species (Q2)
- (c) Weed species (Q3)
- (d) Consumer species (Q4)
- (e) Percent power used $(J0-Jr)/J0$
- (f) Total biomass

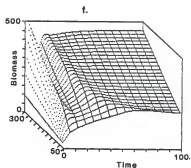
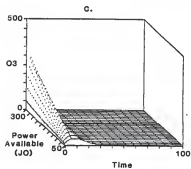
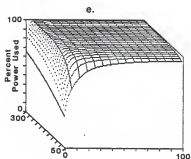
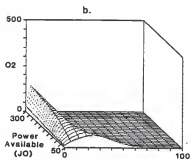
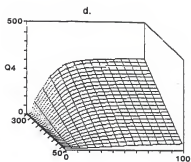
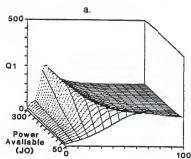
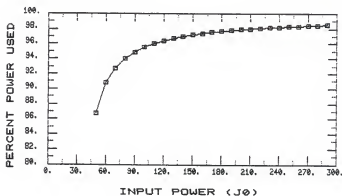
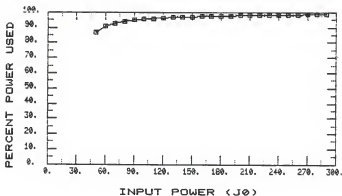


Figure 31. Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with percent power used for entire run vs input power. See Figure RS3a-f.



power as the effect was greater at low power than it was at higher levels of power.

When the input power was varied as in the previous example (50 to 300) but the initial condition of the consumer was started at a higher level ($Q4INIT=50$, 10x base run value) the results were similar to the previous run but damped (Figure 32a-f). The shift in time of the peak of the climax species ($Q1$) was less than before and the amplitudes of the initial peaks of $Q2$ and $Q3$ were less. Percent power used per time increment also was higher in the earlier stages of this run compared to the previous run (compare Figure 32e with 30e). With higher initial levels of the consumer, the model generated more power earlier through the feedback of the consumer on the producers.

When the input power was held constant ($J0=100$) and the initial condition of the consumer ($Q4$) varied, the model displayed two different behaviors (Figure 33a-f). With few consumers initially, the system crashed, unable to proceed through the normal growth sequence. When the initial quantity of the consumers ($Q4$) was above a critical level, the system grew and went through a normal growth sequence. A sharp transition occurred in the percent power used as $Q4INIT$ was increased (Figure 34).

Because the consumer ($Q4$) was feeding back as a multiplier to the producers, some minimum critical value must exist for the consumer population to stabilize this model.

Figure 32. Simulation of the parallel production-consumption model in Figure 13. Run with available power increasing from 50 to 300 and the initial value of the consumer (Q4) equal to 50 (10x base run in Figure 28).

- (a) Climax species (Q1)
- (b) Intermediate producer species (Q2)
- (c) Weed species (Q3)
- (d) Consumer species (Q4)
- (e) Percent power used $(J0-Jr)/J0$
- (f) Total biomass

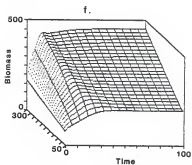
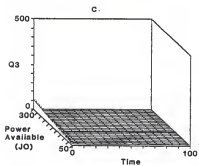
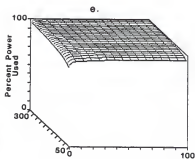
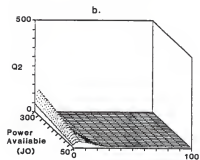
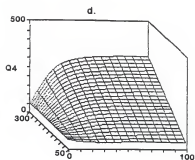
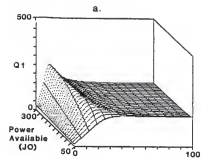


Figure 33. Simulation of the parallel production-consumption model in Figure 13. Multiple simulations of the model with available power held constant ($J_0=100$, base run value) and the initial value of the consumer (Q_4) varied from 1 to 6.

- (a) Climax species (Q_1)
- (b) Intermediate producer species (Q_2)
- (c) Weed species (Q_3)
- (d) Consumer species (Q_4)
- (e) Percent power used $(J_0 - J_r)/J_0$
- (f) Total biomass

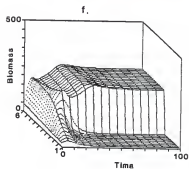
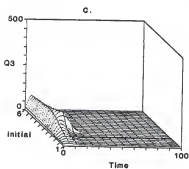
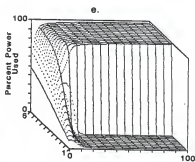
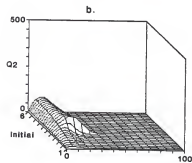
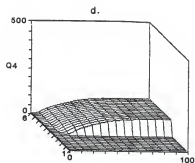
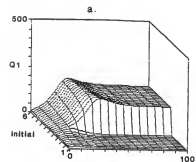
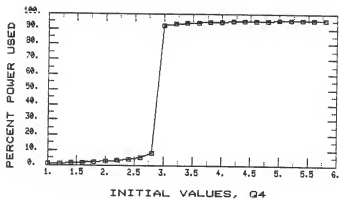


Figure 34. Simulation of the parallel production-consumption model in Figure 13. Total percent power used for entire run as a function of the initial value of the consumer (Q4). This represents a cross section of Figure 33e.



Either immigration or a temporary auxiliary support system is necessary to start a system of this class.

Similarly, when the input power was held constant ($J_0=100$) and the initial condition of the weed species (Q_3) was varied (Figure 35a-f), the system crashed at low levels of Q_3 , but at higher levels it was stable (see Figure 29c for a single run with $Q_3=0$).

The system response was different with changes in the initial conditions of Q_1 and Q_2 (refer to Figures 29a and 29b) because the consumer was not as dependent upon them for its survival early in the simulation.

Initial Conditions and Total Energy Use

The behavior of the parallel production-consumption model with different initial conditions for the state variables (Q_1 , Q_2 , Q_3 , and Q_4) and input power was tested. In this set of simulations, the total percent power used was measured for each simulation run while varying the input power and the initial condition of the state variables one at a time (Figure 36).

In all four cases when J_0 was low, the model was unable to utilize the energy available to it. When the input power was above a certain point then the model was able to utilize the input energy with two exceptions. When Q_3 (weed species) was very low, the percent power used rose to a plateau then fell when the input energy went above a certain level. The model was unstable under these conditions.

Figure 35. Simulation of the parallel production-consumption model in Figure 13. The initial value of weed species (Q3) was varied from 0 to .5 and input power was held constant ($J_0=100$, base run value).

- (a) Climax species (Q1)
- (b) Intermediate producer species (Q2)
- (c) Weed species (Q3)
- (d) Consumer species (Q4)
- (e) Percent power used $(J_0 - J_r)/J_0$
- (f) Total biomass

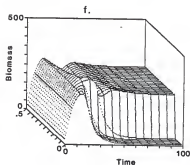
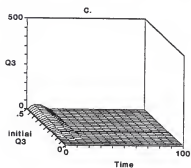
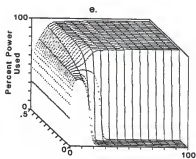
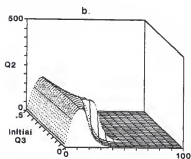
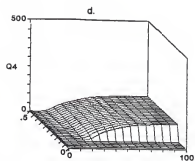
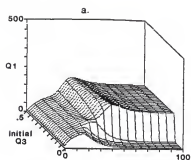
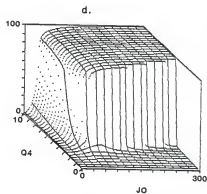
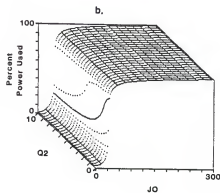
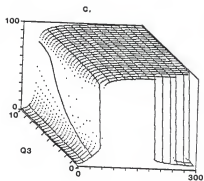
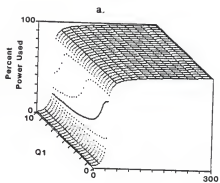


Figure 36. Steady state values of percent power used as a function of input energy and state variable initial conditions for multiple simulation runs of parallel production-consumption model (Figure 13).

- (a) Vary input energy and Q1 (Climax species)
- (b) Vary input energy and Q2 (Intermediate producer)
- (c) Vary input energy and Q3 (Weed Species)
- (d) Vary input energy and Q4 (Consumer)



When Q4 was below a certain threshold the system could not be sustained regardless of the input energy. After an initial threshold level of consumers was reached, the system was stable, similar to that described above for Q3. Since Q4 has a direct feedback on Q1, Q2, and Q3, the interaction of these in the production term can determine whether or not the system was stable. If the value of Q4 was too low then there was little production and the system crashed.

Simulation of the Pulse model

Single Run Simulations

A simulation of the base run pulse model (Figure 14) is shown in Figure 37a. As Q2 increased, the available carbon or nutrient carbon tank (Q4) decreased proportionately. As the stored biomass increased there was a threshold level at which the consumer (Q3) began to grow rapidly and pulsed. This pulse consumed Q2 and released the carbon back into the available carbon pool (Q4). The threshold of pulsing was dependent on the level of both Q2 and Q3. The level of Q3 before the pulse was, however, directly related to the level of Q2 and the input diffusion pathway. After the pulse, the consumer (Q3) decayed back to a low level.

The cycle repeats itself at a frequency of approximately 325 years. The power used varied during the simulation with the highest rate occurring shortly after the pulse, when the nutrients have been concentrated in Q4 as available carbon.

Figure 37. Simulation for pulse model (Figure 14) with base run coefficients (See Appendix).

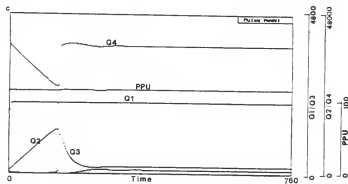
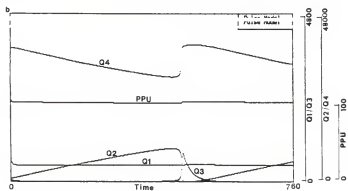
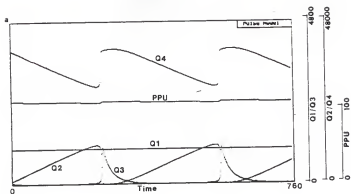
(a) Base run of model.

(b) Input energy one-half of base run.

(c) Input energy two times the base run.

Legend:

PPU = Percent power used
Q1 = Production unit
Q2 = Stored biomass
Q3 = Pulse consumer
Q4 = Nutrient storage



If the input energy was less ($J_0=50$, half of the base run) then the pulse came at a later time (Figure 37b) and the frequency of pulsing had a longer period. The production was lower and the stored biomass (Q_2) took longer to reach the level that would trigger the pulse in the consumer (Q_3).

When the input energy was raised to twice the level of the base run ($J_0=200$), the consumer pulsed only one time (Figure 37c) and then remained at a low level instead of decaying away entirely as in the base run. With a low level of consumer, the stored biomass was not able to build up and remained at a lower steady-state level.

The total power used for each of these runs was related to the input power. As the input power went up, the percent power used also went up from 93.3 at 50%, to 96.5 at 100% and 98.3 at 200%.

The quadratic pathway between the stored biomass (Q_2) and the consumer (Q_3) was responsible for the pulsing much as the autocatalytic pathway of a Lotka-Volterra model is responsible for its oscillating limit-cycle behavior. With only the linear path between Q_2 and Q_3 , the behavior was not pulsing or oscillatory (Figure 38). The stored biomass grew while the nutrients were used up. In this time frame (760 years), the values did not reach a steady state and 93% of the available power was used. When simulated for 2000 time units (Figure 38b), the percent power used dropped off to a low steady state value. The system became nutrient limited

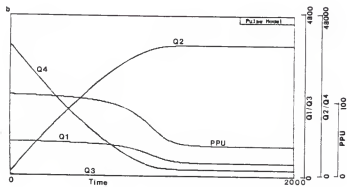
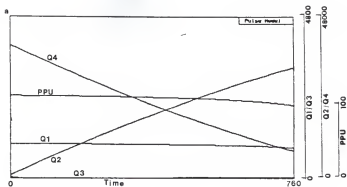
Figure 38. Simulation of pulse model (Figure 14) without a quadratic pathway ($K7, K8, K9 = 0.0$).

(a) Simulation for 760 years.

(b) Simulation for 2000 years.

Legend:

PPU = Percent power used
Q1 = Production unit
Q2 = Stored biomass
Q3 = Pulse consumer
Q4 = Nutrient storage



because most of the nutrients were tied up in the stored biomass.

When the pulse model was run without feedbacks into Q4 (pathways R6 and R8 cut off) the model continued to pulse but began to decline (Figure 39). The percent power used dropped as the level of Q4 dropped until one final pulse and then everything decayed to a low steady state condition.

Multiple-run Simulations

When the input power was increased, the result was most noticeable on the stored biomass (Q2) and the consumer (Q3, Figure 40). At low values of J0 there was no pulsing within the time frame of the simulation (760 years). As J0 was increased, the pulsing began as a result of the stored biomass (Q2) increasing to a threshold level at which Q3 pulsed and consumed the stored biomass (Q2). As J0 was further increased, the pulsing frequency increased. At high levels of J0 the first pulse decayed and the system switched to a steady state with Q2 being maintained at a low level (see Figure 37c for example). The total power used (Figure 40e) increased linearly as J0 increased with small fluctuations over time due to the pulsing of Q3. The percent power used (Figure 40f) was less than 80% for low values of J0 then rose rapidly through the pulsing and leveled off as J0 approached 250. The percent power used was reduced by the initial consumption but returned to a maximum after the pulse. The percent power used increased as the available

Figure 39. Simulation of pulse model (Figure 14) without feedbacks into Q4 ($K_6, K_8 = 0.0$)

(a) Simulation for 760 years.

(b) Simulation for 2000 years.

Legend:

PPU = Percent power used
Q1 = Production unit
Q2 = Stored biomass
Q3 = Pulse consumer
Q4 = Nutrient storage

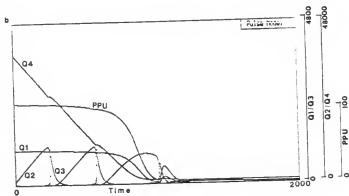
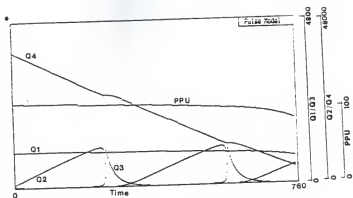
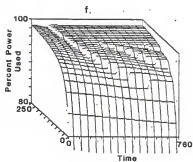
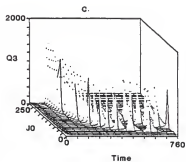
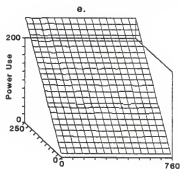
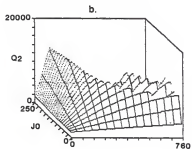
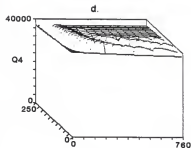
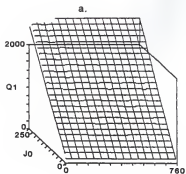


Figure 40. Multi-run simulation of the pulse model (Figure 14) with variation in input energy. (J0 varied from 0 to 250).

- (a) Production unit (Q1).
- (b) Stored biomass (Q2).
- (c) Pulse consumer (Q3).
- (d) Nutrient storage (Q4).
- (e) Power used (J0-Jr)
- (f) Percent power used $100 \cdot (J0 - Jr) / (J0)$



power was increased (similar to three path models seen earlier) with local maxima immediately after the pulse.

The total amount of nutrients in the system also had an important effect on the behavior of the model (Figure 41a-f). At higher initial levels of Q4 there was little effect on the model. At these higher ranges, the model was no longer nutrient limited but was energy limited. At low values for the initial concentration of Q4 the pulsing greatly affected the labile production (Q1), the stored biomass (Q2) and the pulsing consumer (Q3). At the lowest level of Q4, there was no pulsing, Q2 remained at a low steady state value, and Q3 also remained at a low steady state value. There was a small shift in the pulsing frequency at the lowest initial levels of Q4 but no frequency shift at the higher levels. The power used was greatly affected at low initial levels of Q4 but rose only slightly at higher values of Q4. For the same amount of change in Q4, the variability of the power used was greater when Q4 was small than when Q4 was high. However, the percentage change was greater in the beginning than at the end.

The turnover time of the pulsing consumer affected the behavior of the system and use of power (Figure 42a-f). The pulse model was simulated with the value of the drain coefficient (K12) of the consumer (Q3) varied with each run. As the turnover time increased, the frequency of pulsing shifted to a shorter period with the amplitude decreasing until there is no pulse at all but a continually rising consumer.

Figure 41. Multi-run simulation of pulse model (Figure 14) with variation in total carbon in model. (Q4 varied from 2000 gC/m² to 100,000 gC/m²).

- (a) Production unit (Q1).
- (b) Stored biomass (Q2).
- (c) Pulse consumer (Q3).
- (d) Nutrient storage (Q4).
- (e) Power used (J0-Jr)
- (f) Percent power used $100 \cdot (J0 - Jr) / (J0)$

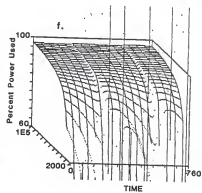
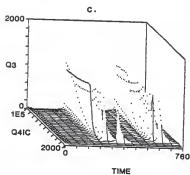
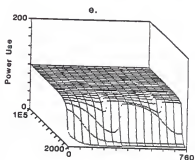
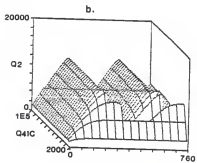
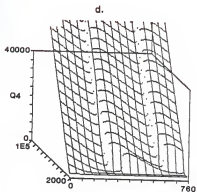
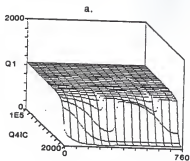
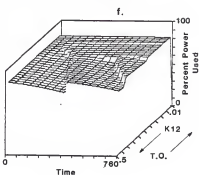
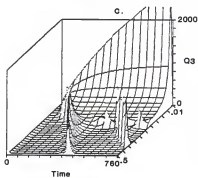
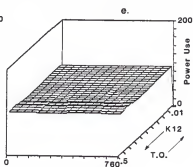
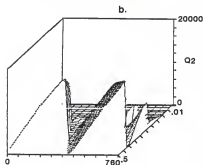
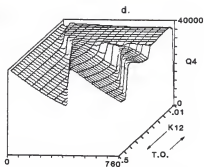
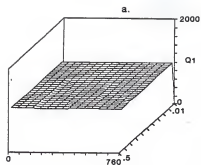


Figure 42. Multi-run simulation of pulse model (Figure 14) with variation is turnover time of pulsing consumer. (K12 varied from .01 to .5).

- (a) Production unit (Q1).
- (b) Stored biomass (Q2).
- (c) Pulse consumer (Q3).
- (d) Nutrient storage (Q4).
- (e) Power used (J0-Jr)
- (f) Percent power used $100 \cdot (J0 - Jr) / (J0)$



This implies there is a 'window' of size for the consumer to pulse.

Changing the rate constant (K9) of the quadratic pathway caused the pulsing consumer to change frequency, increasing the frequency of pulsing with an increasing coefficient value (Figure 43). There was a point in this set of simulations where the pulsing ceases but in this case the size of the consumer remains small. When the quadratic pathway became dominant at low consumer levels, the system did not pulse but completely consumed the stored biomass storage (Q2).

When simulated without the quadratic pathway and changing the coefficient of the linear pathway (K11), the model did not pulse, the consumer (Q3) remained at a low level and the stored biomass (Q2) built up (Figure 44, compare to single run Figure 38). As the linear pathway increased, there was a slight increase in the consumer (Q3) with less of a build-up in the stored biomass (Q2). In all cases, through time the power use and percent power used dropped off.

Simulation of Pulse Model with Prey-Predator Sectors

Simulation of the pulse model with an additional prey-predator sector (Figure 15) investigated how turnover time is related to hierarchical consumers (Figure 45). With a drain coefficient on Q5 the same as or larger than that of the normal pulsing consumer ($K17=0.05$ or 0.5), the effect

Figure 43. Multi-run simulation of pulse model (Figure 14) with variation in quadratic pathway (K9 varied from $0.5\text{E-}6$ to $0.53\text{E-}5$ with K7 and K8 varied proportionately).

- (a) Production unit (Q1).
- (b) Stored biomass (Q2).
- (c) Pulse consumer (Q3).
- (d) Nutrient storage (Q4).
- (e) Power used (J0-Jr)
- (f) Percent power used $100 \cdot (J0 - Jr) / (J0)$

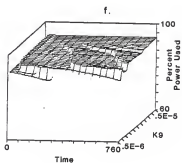
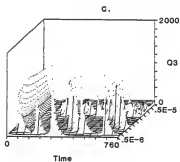
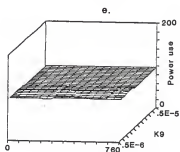
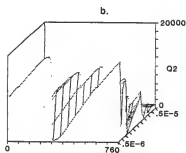
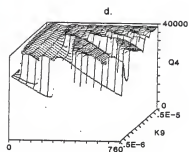
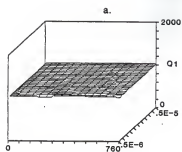


Figure 44. Multi-run simulation of pulse model (Figure 14) with variation in linear pathway (K11 varied from 0.0 to 0.12E-2 and K5 and K6 varied proportionately) with quadratic pathway held at zero.

- (a) Production unit (Q1).
- (b) Stored biomass (Q2).
- (c) Pulse consumer (Q3).
- (d) Nutrient storage (Q4).
- (e) Power used (J0-Jr)
- (f) Percent power used $100 \cdot (J0 - Jr) / (J0)$

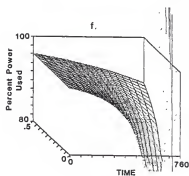
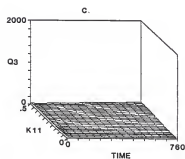
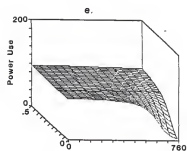
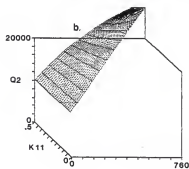
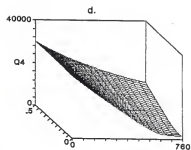
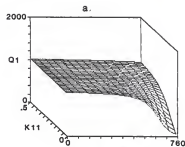
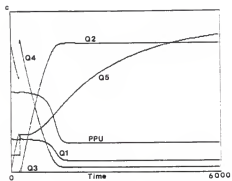
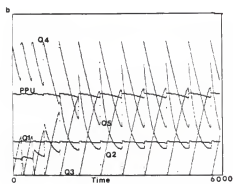
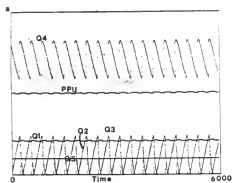


Figure 45. Simulation of pulse model with prey-predator sectors (Figure 15).

- (a) Simulation with turn-over time of higher level pulsing consumer (Q5) set equal to lower level pulsing consumer (Q3).
- (b) Simulation with turn-over time of higher level pulsing consumer (Q5) set to ten times longer than the turn-over time of lower level pulsing consumer (Q3).
- (c) Simulation with turn-over time of higher level pulsing consumer (Q5) set to one hundred times longer than the turn-over time of the lower level pulsing consumer (Q3).



was hardly detectable in the simulation result (Figure 45a). The frequency of pulsing was not changed and the power utilized was only negligibly changed. The higher level consumer (Q5) was near zero for the entire simulation.

When the model was run with a turnover time ($K17=0.005$) of the top consumer (Q5) longer than the normal pulsing consumer (Figure 45b), pulsing occurred at the normal frequency but the higher level consumer grew over time until it began pulsing. The period of pulsing became longer and the pulse amplitude of the stored producer and nutrient storages became greater. The normal pulsing consumer (Q3) remained at a low level, acting as a feeder to the higher level consumer (Q5). The power utilized dropped slightly to 95.3.

When the turnover time of the higher level consumer (Q5) was raised by another order of magnitude ($K17= 0.0005$) the outcome was quite different (Figure 45c). The higher level pulsing consumer (Q5) climbed toward an asymptote while the stored production (Q2) also climbed to a steady state value. the normal pulsing consumer (Q3) again remained at a low level. In this case the nutrients (Q4) became tied up in the stored biomass (Q2) the power used dropped to 36.1 at steady state. The percent power used for the entire simulation was 48.2.

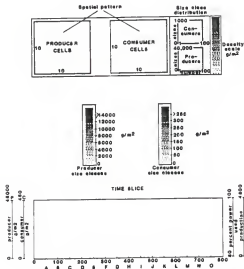
Simulation of the Ring Model

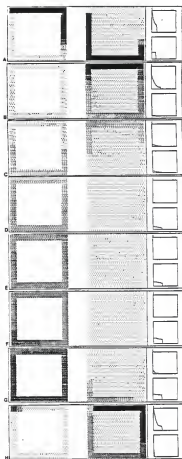
The linear array ring model was simulated with high diffusion ($DK=.1$) between consumers in adjacent cells (Figure 46). Initially the concentration of producers and consumers around the ring was constant except for a single consumer at a high level ($Q3(2,2)=100$; lower left hand corner of consumer matrix). At $T=50$ years (Figure 46A), the consumers had pulsed in both directions around the ring and completely encircled the ring by $T=100$ (46B). At $T=150$ (46C), the production was beginning to spread around the ring from the lower left corner and continued through $T=200, 250, 300, 350$ (46D-H). The consumers again began to grow ($T=350$, 46H) and spread around the ring again. This was followed by another wave of production and consumption ($T=500-750$, 46J-O).

In runs with lower diffusion (0.01) between consumers, the pulse wave traveled slow enough that the wave only moved part way around the entire ring before the internal pulse frequency allowed the remainder of the consumers to pulse, thus stopping the wave. With an even lower diffusion coefficient of 0.001 , the wave moved 3 cells before stopping. With a diffusion coefficient of 0.01 , the wave moved 10 cells before being stopped by the natural internal pulse frequency.

A different pattern developed when the producers and consumers in the model were distributed in a random pattern around the ring (the individual cell concentration of pro-

Figure 46. Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and diffusion between consumers of each cell in ring ($DK=.1$). For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix. Initial conditions of consumers were set to near zero except for one "seed" consumer at lower left corner of matrix which was set to 100.



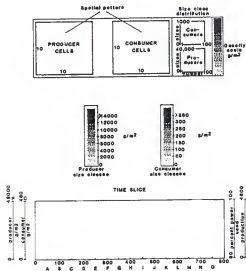


ducers and consumers was constant and the same as the homogeneous initial conditions) and diffusion set to zero (Figure 47). The output was based entirely on the random field from the initial conditions. Each individual cell model was producing and consuming at the same rate but there was no spatial synchronization of the cells. The pattern repeated itself over time (compare T=50, 47A with T=700, 47N).

When diffusion was set at a high level (0.1) between the consumers, with the same random initial distribution of producers and consumers, the resulting pattern was quite different (Figure 48). The pulsing consumers moved in a wave around the ring followed by a wave of production (T=50, 100, 150, 200, 250, 300; Figure 48A-F) followed by another wave of consumption beginning just prior to T=350 (48G). This was similar to the simulation in Figure 46 that began with a homogeneous initial distribution of producers and consumers and had waves of consumption and production around the ring.

When the model was run with random distribution of producers and consumers (Figure 49) and a low value of diffusion ($DK=0.001$), the spatial pattern that developed had some properties of both of the two previous runs. Because speed of movement was less with a lower value of diffusion, a number of focal points for pulse waves were generated which then run into each other and stop. The production follows the pattern of consumption with multiple foci.

Figure 47. Simulation of pulse model (Figures 14 and 18) with cells in a linear ring but without diffusion. For each time unit (e.g. A=0) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix. Initial conditions of producers and consumers were set to random distribution around ring.



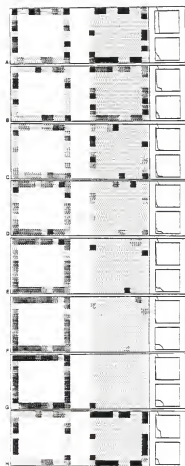
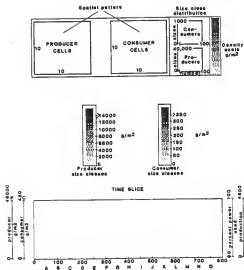


Figure 48. Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and a high level of diffusion between consumers of each cell ($DK=.1$) and random distribution of producers and consumers around ring. For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



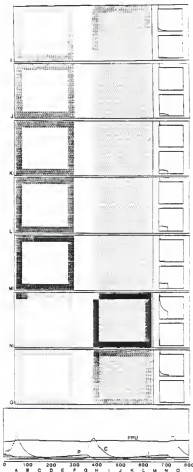
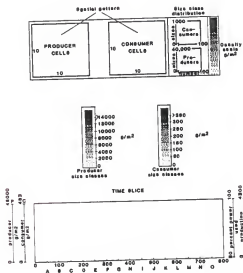


Figure 49. Simulation of pulse model (Figures 14 and 18) with cells in a linear ring and a low level of diffusion between consumers of each cell ($DK=.001$) and random distribution of producers and consumers around ring. For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



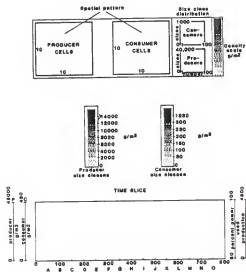


Simulation of Two Dimensional Surface Models

The simplest simulation of the two dimensional pulsing model, with no diffusion and an evenly distributed energy source (Figure 50), had a time series output identical to the basic pulse model (Figure 37a). Even though the model was disaggregated into 100 cells, each of the cells was identical. In this run, each of the cells was synchronized (by the initial conditions) and the pulsing was based only on the internal frequency of the model ($T=250$, 50E and $T=600$, 50L). There was little change in the size distribution of the producers and the consumers during the simulation.

The influence of an energy source that is hierarchically distributed from the center of the matrix outward generates a different pattern (Figure 51). The production was higher in the center of the matrix than at the outer edges. In this simulation without diffusion there was no edge effect. The first pulse came at the center of the matrix (highest input energy) and then moved outward to the edge in a series of pulses. The production and consumption then continued to oscillate. The frequency of pulsing in each individual cell depended on the intensity of the energy input to that cell (see also Figure 40a-f). The center cells pulsed at a higher frequency than the outer cells due to differences in input energy. The time series of the

Figure 50. Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18) without diffusion and with a constant energy source. For each time unit (e.g. A=0) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



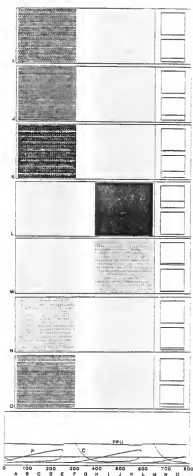
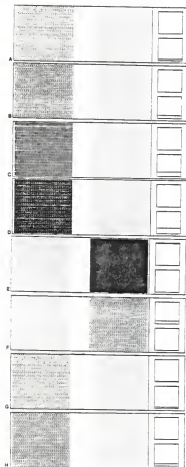
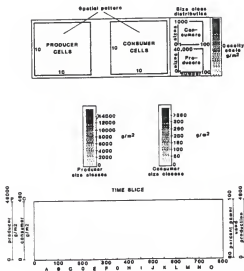
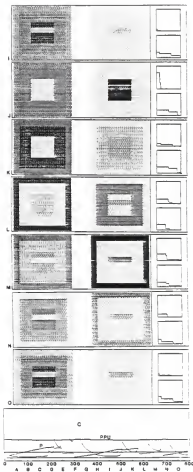
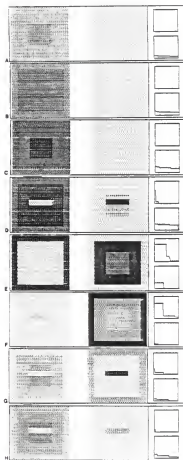


Figure 51. Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source hierarchically is distributed from center outward and no diffusion between cells. For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



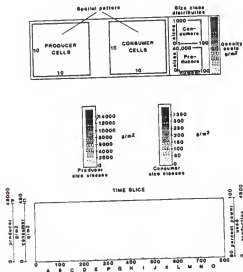


simulation had sharp peaks due to the different frequencies of pulsing of the independent cells. The size distributions of the producers and consumers were based on the input energy and are grouped accordingly. Without diffusion, the pattern formed was entirely dependent on the hierarchical pattern of the input energy.

The addition of diffusion between the consumers of each cell for the previous model smoothed out the time series for the consumers and producers (Figure 52). A low level of diffusion ($DK=0.001$) enabled the first pulsing cells (located at the center of the matrix) to affect the neighboring cells, thus spreading the pulse wave out over the matrix. In this simulation the size distribution of the producers and consumers tended to smooth out over time. The edge effects were minimized in this simulation by allowing the outer non-reactive ring of consumer cells to float at a value that was the average of the total consumers in the matrix.

Diffusion between the consumers at a low level had a much greater effect in this two dimensional version of the model than in the one dimensional ring version of the model. When the two dimensional version was run with a random energy source and a low diffusion coefficient (Figure 53, $DK=0.001$) the effect was similar to that seen in Figure 52. In this case, local foci of high productivity (caused by locally high values of input energy) led to pulses that spread over the entire matrix. This simulation was dif-

Figure 52. Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is hierarchically distributed from center outward and diffusion is between consumers of each cell ($DK=.001$). For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



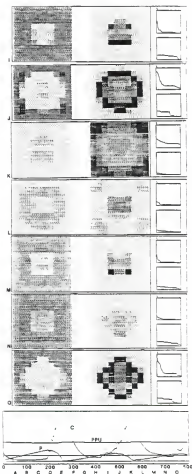
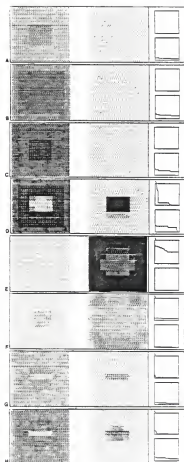
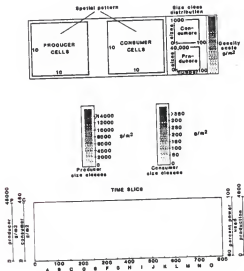
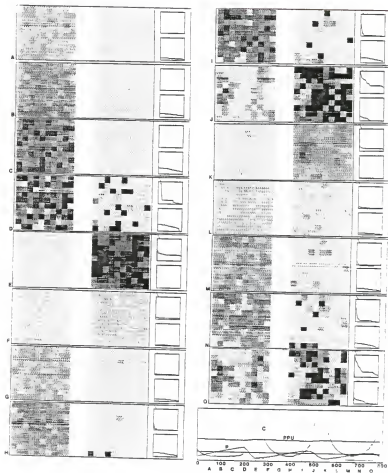


Figure 53. Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is randomly distributed and diffusion is between consumers of each cell ($DK=.001$). For each time unit (e.g. $A=0$) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



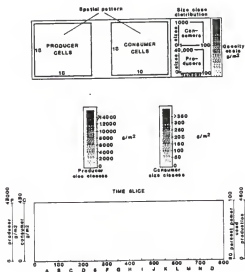


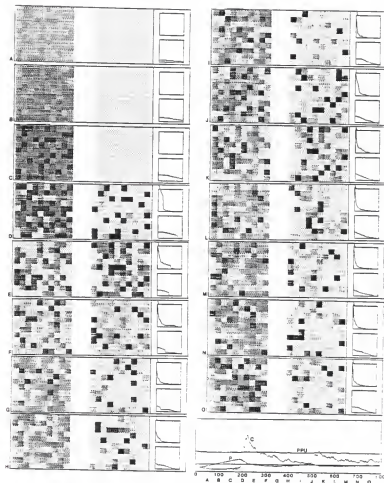
ferent from the random ring simulations (Figures 48 and 49) in that the input energy was randomly distributed while in the case of the ring model the initial producer-consumer pairs were randomly distributed. Little synchronization of the matrix occurred because the random energy distribution caused locally high concentrations of producers every time there was a pulse. In the simulation of the ring with randomly distributed producers and consumers, at a high level of diffusion the pulse wave moved fast enough to reset all of the producers and consumers to similar values. With a low diffusion value, the wave traveled so slowly that it did not get around the ring, and multiple foci of pulsing developed.

Simulation with diffusion between the nutrient compartments of each cell (Q4) of the model instead of to the consumers (Q3) can be seen in Figure 54. With a random distribution of energy and a high level of diffusion ($DK=0.1$) the pulsing was almost totally uncoupled. By the end of the run ($T=750$, Figure 540) there was constant pulsing in one cell or another, and the overall level of producers as seen in the time series graph was fairly constant.

The spatial configuration of the model was also tested with a moving consumer. This is similar to the diffusion runs of the model but represents an active process with discontinuous (non-uniform) movement of consumers from cell to cell. The consumer was allowed to search for the largest producer to consume before moving. The model was tested

Figure 54. Simulation of pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Energy source is randomly distributed and diffusion between nutrient storages (Q4) of each cell is set to high level (DK=.1). For each time unit (e.g. A=0) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.





with a hierarchical energy input and a consumer search length of 1 cell (Figure 55) and a search length set to 5 cells (Figure 56). The simulations are quite different in both the spatial patterns generated and in the time series graph of the simulation.

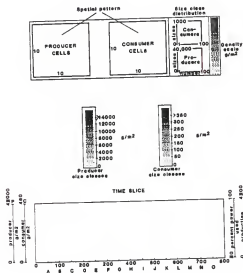
When limited to a search length of 1 cell, the consumption pattern moved like a wave from left to right across the producers after starting in the center. With a longer search length (Figure 56), the consumption began in the center and spread out in a circular pattern over the producers. There are two of these waves of consumption during the time of the simulation for the search length of 5. The run with a search length of 1 cell has slower consumption and only moves across the field once.

Rain Forest Gaps and Hierarchies

Size Class Distributions

Three different size class distributions (Figure 57) were generated from the data set from the radiation site at El Verde to characterize the hierarchical patterns in the vegetation. Figure 57a represents the distribution of plants by diameter. This can be compared to the data from Crow (1980) in Figure 8. The distribution of plants by crown diameter (Figure 57b) and by height (Figure 57c) was hierarchical. The sampling technique affected the results in the lowest size classes.

Figure 55. Simulation of the pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Moving consumer model with search length set to one cell, no diffusion and hierarchical energy distribution. For each time unit (e.g. A=0) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



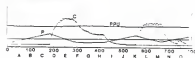
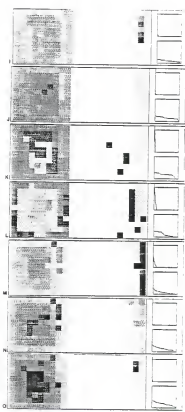
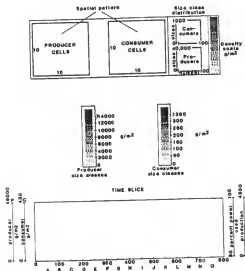


Figure 56. Simulation of the pulse model (Figure 14) with cells arranged in two dimensions (Figure 18). Moving consumer model with search length set to five cells, no diffusion and hierarchical energy distribution. For each time unit (e.g. A=0) density of producer and consumer in the matrix is shown along with size class distribution. The time series from A to O summarizes the temporal pattern of totals in matrix.



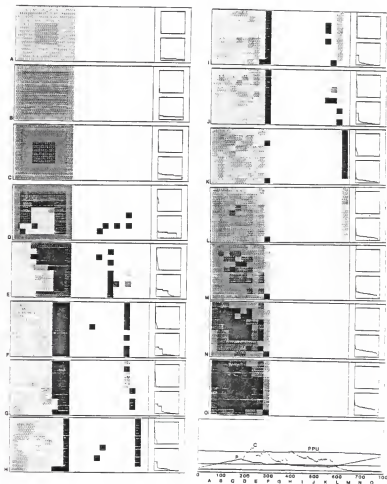
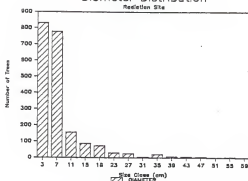


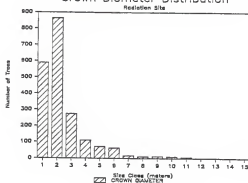
Figure 57. Size class distribution of trees at El Verde radiation site (November 1964)

- (a) Size class distribution by diameter
- (b) Size class distribution by crown diameter
- (c) Size class distribution by height

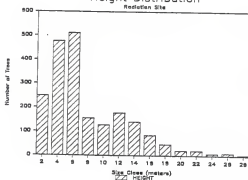
Diameter Distribution



Crown Diameter Distribution



Height Distribution



Gap Size Measurements

The distribution of cecropia gaps at El Verde fall into a hierarchical distribution (Figure 58). Figure 58a is the size distribution of all four of the photographic plots combined and Figure 58b shows the distributions of the individual plots. The percentage of the total area that is in the gap stage is 3.79% (Table 2). The values plotted in Figure 58 are the actual areas measured in square inches on the photograph. The figure shows a minimum size for the gaps and a hierarchical distribution.

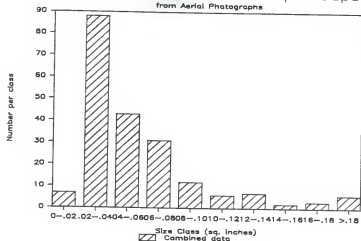
Comparison to Models

For each time slice that the spatial simulation model printed a spatial pattern of producers and consumers, it also printed a graph of the size distribution of the producers and consumers (just to the right of the spatial patterns). The format of the distribution graph is not the same as the size class distributions in Figure 57 but the size distributions do represent the same class size phenomenon. Depending on the energy input conditions and diffusion coefficients some of the size distributions had similar relationships to the natural distribution (see Figures 51, 53 and 56) while others are quite different (see Figure 50). The pulsing in Figure 50 is totally synchronous while the pulsing in Figures 51 and 53 are more spatially asynchronous.

Figure 58. Size distribution of Cecropia gaps in tropical rainforest at El Verde.

- (a) Distribution of gaps in all five photographs.
- (b) Distribution of gaps in each individual photograph.

a Size Distribution of Cecropia Gaps
from Aerial Photographs



b Size Distribution of Cecropia Gaps
from Aerial Photographs

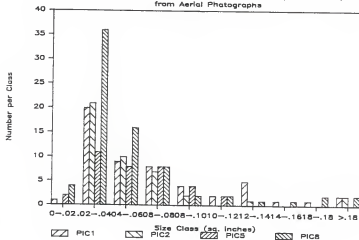


Table 2. Area of gaps digitized from photographs of Luquillo tropical rain forest.

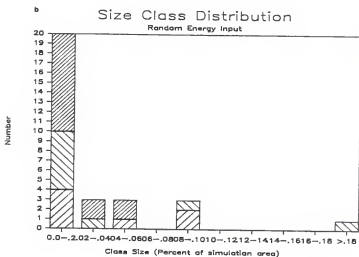
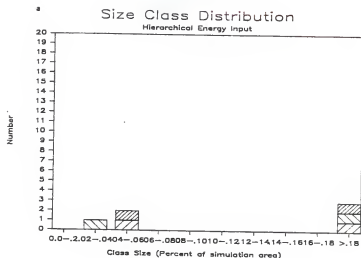
Picture number	1	2	5	8	Total
Number of gaps	53	43	35	74	205
Mean	0.0761	0.0517	0.0455	0.0473	0.0554
Std. Error	0.0212	0.0096	0.0043	0.0083	0.0066
Minimum	0.0093	0.0125	0.0094	0.0067	0.0067
Maximum	1.121	0.360	0.100	0.5525	1.121
Area % of total	5.38	2.97	2.12	4.66	3.785

* Means are not significantly different $p=.005$

The gap size distribution was measured for a set of spatial simulations with input energy distributed hierarchically, evenly and randomly. Figure 59a represents a combined gap size distribution measured from a set of three different simulation runs using a hierarchical input energy source. The gap size distribution is skewed to one set of large gaps and a few smaller patches. With a random energy source the results (Figure 59b) resemble the size class distribution of the natural system (Figure 58) with more small patches and fewer large ones. With an evenly distributed input energy source and no diffusion, the system pulses in a synchronous manner that generates a gap the size of the simulation (100%) with each pulse. With diffusion present, the patch size is dependent on the edge effect. If the edge effect is canceled the result is the same; however with a diffusive loss or gain along the edge, the patch size is reduced from 100% due to the uncoupling of the synchronous pulsing at the edges.

Figure 59. Size distribution of gaps in tropical rainforest pulsing model simulation (Figures 14 and 18) at time =760.

- (a) Size class distribution from three separate model runs with hierarchical energy distribution.
- (b) Size class distribution from three separate model run with random energy distribution.



CHAPTER 4

DISCUSSION

Many of the characteristics of ecosystem function were generated by the simulations in this dissertation. Energy increased with growth. Net production alternated with pulsing net consumption. Hierarchical patterns in space resulted from oscillations in time. Edge effects developed. There were similarities with succession observed in nature. Many characteristics of ecosystems were generated by mini-models that had autocatalysis, recycling, parallel pathways of different order, spatial intercell exchanges and hierarchical distribution of time constants. In other words, simple models emulated many features of more complex ecosystems.

The spatial model in this dissertation differed from many previous spatial ecosystem models that used individual species growing and interacting together (Botkin, Janak and Wallis 1972, Phipps 1979, Doyle 1982). This model was a unit ecosystem model that combined all of the species into compartmentalized production, consumption and nutrient storages. This simplified the model but kept many of the ecosystem characteristics.

Maximum Power Considerations

The class of models studied here duplicate real systems by reinforcing pathways that process more power. The feedbacks simulate useful power processing. These models link kinetics and energetics in ways observed in nature.

Power and Feedback With Paths of Higher Order

Systems that generate higher order pathways to capture varying energy flows may offer a competitive advantage. The maximum power implication is that as systems develop feedbacks (higher order pathways) they can extract more energy from the source. Lotka (1922) stated that as long as there was untapped available energy, systems were capable of growth when rates of flow increased through the system. Odum (1982 and 1983) added that as systems mature they feed back energy which amplifies other pathways and maximizes power. The multiple pathway configuration shown in the three path model provides a possible mechanism for this to occur. In the three path model simulations (Figures 19 - 27) the linear pathway had a fixed efficiency while the autocatalytic and quadratic pathways had variable efficiencies (see Figure 20 and 21) depending on the input power.

The development of multiple pathways in a system is incurred at some energy cost to the system. The energy costs associated with developing and maintaining the non-linear pathways must be competitive to survive. For systems

with small storages (i.e. fast turnover times), the quadratic pathway can be non-functional (Figure 21, pathway J3). Because non-linear pathway flows are a function of both the energy source and the storage, there are conditions when the pathway has a threshold for operation (Figure 21, pathway J2 and J2+J3 and Figure 27 pathway J3). Low energy systems may not have enough energy available to allow development of these higher order pathways.

Human systems may be a good example of how these pathways may operate. Nomadic, subsistence societies can be considered as basically linear systems that utilize available resources with few or no feedbacks. By developing autocatalytic feedbacks, primitive societies move up to developing societies building structures to process more energy (farming, mining, transportation and manufacturing). As growth continues, systems develop within society that have higher order quadratic feedbacks to facilitate processing energy (communications, banking and finance, and information systems). Because the higher order pathways are dependent on storages and energy flows, the structures may not be stable with reduced energy.

For a system pathway to utilize fluctuating energy flows, it must have enough structure to sustain the system when the non-linear pathways are not functioning (at lower energy levels). While the nonlinear pathways were dependent on the frequency and amplitude of input energy (Figures 25, 26 and 27) the linear pathway had no frequency dependency

and thus provided energy to the system under all input regimes. A system with a combination of pathways then shows greater stability under fluctuating regimes and maximizes power with increasing energy inputs.

Multiple pathway models have been used to describe a variety of systems. A disaster model using multiple pathways (linear and autocatalytic) has been used to describe earthquakes and floods (Alexander 1978). Models of chemical reacting systems have often used multiple pathway models to describe the kinetics of the reactions ("Brusselator", Nicolis and Prigogine 1977 and "Oregonator", Field and Noyes 1974). "Chaotic systems" are often modeled with multiple non-linear pathways (Abraham and Shaw 1984b).

Effect of Hierarchies on Performance

Hierarchical subunits of a system generally have increasing turn-over times with increasing trophic levels (Allen and Starr 1982, Urban, O'Neill and Shugart 1987). The addition of an extra consumer (adding a level to the hierarchy) of the pulse model (Figure 15) must have the appropriate turnover time to survive. If the turn-over time was too short, not enough energy was available to that level of the hierarchy to sustain it and the added level did not survive (Figure 45a). If the turnover time was too long, the rate of power use dropped and the whole system collapsed (Figure 45c). The appropriate size consumer modified the output behavior of the model (pulsing with a longer period), but the system was stable and utilized slightly more power.

The highest level of the hierarchy in this model determined the frequency and scale of pulsing. Therefore there are optimum turnover times for maximum performance.

Conversely, as input power increases, a higher level of consumers may be supported. This was seen in the parallel production-consumption model (Figure 32d) and the pulse model (Figure 40c).

Power Used as a Function of Input Power

The general trend for all of the models tested here was that as the input power increased, the percent of input power that is utilized increased. This occurred in the three path model (Figures 21, 22, 23), the parallel production-consumption model (Figures 30e, 32e, and 36), the pulse model (Figure 40f) and the spatial models. This appears to be a function of the non-linear pathways that feed energy back to increase the efficiency with increasing available energy. Individual simulations of these models with only linear pathways did not show this behavior.

Threshold for Stable Feedbacks and Pulsing

The pulse model exhibited a double threshold phenomenon. At low power inputs the model did not pulse and at high power inputs the model did not pulse (Figures 37 and 40). In the middle power range, the model pulsed and the pulse frequency was a function of the input power. Localized maxima of power utilization may occur in the pulsing range due to synchronization of inputs with natural internal

frequencies (Richardson and Odum, 1981). This double threshold behavior has also been shown in a wide variety of prey-predator model configurations (Kuno 1987). Oscillating chemical reactions exhibit this multiple output state behavior (Field 1985).

At low power levels, the pulsing model supported a constant low amount of consumers (dependent on the linear pathway) while at high power levels the consumer was at a constant higher level (sustained by both the linear and quadratic pathways) with the producer at a low level. This was also the case in the chemical reactions and prey-predator models described above. Models with this behavior may describe a variety of ecosystems that show various levels of producers and consumers. A grassland ecosystem such as the Serengeti (McNaughton 1985) may be an example of low levels of producers supporting high levels of consumers.

A similar dependence of the highest trophic level on the input energy was also exhibited with the parallel production-consumption model (Figure 32) although this model did not pulse. It should be noted with this model that the consumer level increased and the 'climax' producer did not.

The pulsing model did not pulse when the consumer quadratic pathway (Figure 38) was removed, the consumer built up to a steady state, and the percent power used declined. There was a lot of structure in the higher level of the hierarchy but the system was not effective at using the extra power that was available. Competitively, a system

with this structure may be at a disadvantage and could be eliminated through consumption by a higher level of the hierarchy or competition by other systems at the same level of the hierarchy.

If a system was not materials conservative (feedbacks from the consumer to the nutrient storage cut off or diverted, Figure 39) then the system ceased pulsing and ran down. The system had no feedback pathways and so did not capture all of the available energy.

Implications for Succession

Role of Individual Units

Early successional producers can be thought of as preparing the way for succession to occur. Although early successional species may have other roles, in the parallel production-consumption model (Figure 13) they can be seen as providing an energy source to the consumer level of the model as the rest of the system builds up. When the early successional species was at a low level, the consumer level (Q4) remained low (Figure 35). This low consumer level did not feed back enough to the producers to stabilize the system and the system crashed. As the early successional species (Q3) reached a threshold initial condition, sufficient structure was built and the system progressed to a steady state.

If the consumer level in a successional system is too low then the system may not be stable. In the parallel production-consumption model, the consumer provided a feedback on the producers through the input production multiplier and through consumption on the producers. When the consumer was at a level that was too low, succession as depicted by the model (Figure 33 and 36) did not begin. At some initial threshold level of consumers, the model proceeded through a successional sequence.

In developing management plans for revegetating sites disturbed by mining, intensive agriculture or natural disturbances, it is imperative that careful attention be paid to the whole structure of the ecosystem that is being rebuilt. Without the proper mix of early, middle, and late successional producers along with a set of consumers that match the producers, the reestablishment of a natural successional sequence may be retarded or destroyed.

Succession and Pulsing

The role of pulsing in succession may be that in some systems it is necessary to have the pulsed recycle to maintain energy flows near maximum levels. Several cases of the pulsing model (Figures 38 and 39) showed that when recycling was disturbed power use dropped. Certain types of succession may need an alternation of production and consumption at a frequency that allows the maximum use of available energy. Systems in which available nutrients become bound in the

biomass may benefit by the fast release from a pulse of consumption and recycle.

Spatial Pattern Formation

Synchronous vs. Asynchronous Systems

When a spatially organized system is totally synchronized (all subunits behaving as one), the system may be like a monoculture with little pattern formation other than that of the local source inputs. In this state, pattern diversity is low. Where cells are not all synchronized with each other, patterns can develop that are dependent on the asynchronous nature of the individual subunits as well as the local energy sources.

When the spatial model was simulated with all of the individual cells uncoupled (not linked through intercell diffusion processes) and totally synchronized (all cells begun with the same initial conditions and an even energy distribution), no pattern was generated (Figure 50). The level of producers and consumers was the same in each cell at every point in time.

Any variation in the energy input over the matrix area lead to individual cells pulsing at frequencies depending on the energy level local to that area (Figure 51). Although the pattern was quite different from the synchronized one, the energy use is the same (Table 5 in Appendix).

Coupling of Spatial Units by Diffusion Processes

In any ecosystem, spatially distributed subunits are connected to each other through a variety of processes. Nutrients and seeds can be carried spatially by transport from wind, water and animal activity. Predation by consumers tends to reorganize the vegetation community structure. The degree to which subunits are connected to one another is strongly reflected in the patterns that may develop.

Connectivity between subunits tends to decrease the asynchronous behavior caused by local energy differences. With a low level of diffusion ($Dk=.001$) the pulsing behavior was propagated across cell boundaries (compare Figure 52 with Figure 51). At higher levels of diffusion (not shown), the effect was to increase the synchronous nature of the pulsing across the matrix. Energy use with various levels of diffusion did not change appreciably (Table 5 in Appendix).

In a single dimension system (ring model) the effect of diffusion was similar. At high levels of diffusion (Figure 48) pulses were propagated around the entire ring, while at a lower level of diffusion the propagation was confined to local areas (Figure 49). The asynchronous pulsing (Figure 47) was thus organized into a more synchronized spatial pattern depending on the degree of connection between the individual cells.

The level of the hierarchy in which inter-cell coupling takes place plays an important part in the development of spatial patterns. When this coupling took place at the level of nutrient exchange from cell to cell (Figure 54), the effect was hardly detectable, even at high diffusion levels.

Spatial patterns generated are not totally dependent on the natural energy inputs but organize using those natural energy regimes. Spatial diversity thus depends on the the landscape energy pattern, the interactions between the sub-units, the hierarchy level of the interaction and the existing pattern of vegetation.

Most of the models in this dissertation used only diffusive coupling between spatial subunits of the model. Many systems have more complex interactions between subunits than this simple linear coupling. The active transport systems of biological systems are good examples of the more complex coupling that can occur in living systems. The moving consumer model represents a more complex coupling between individual cell units.

Organization by Higher Level Consumers

The role of the consumer in these models was very important in organizing pattern formation. When the spatial model was simulated with one consumer spread evenly over the matrix, the result was exactly the same as when the model was simulated with all cells uncoupled and a single consumer in each cell of the matrix (Figure 50). In this case, the

synchronous organization of individual consumers (100 total) over the entire matrix of cells mimiced the effects of a large consumer with the same territory. The percent power used for each of these simulations was the same (Table 5 and 6 in Appendix).

Coupling of the consumers from cell to cell by diffusion organized the consumer action over the whole matrix depending on the strength of that coupling. Low levels of diffusive coupling generated local areas of organization by the consumers (Figure 53) while strong coupling organized the disturbance over the entire matrix, (not shown but similar to Figure 50).

Active coupling between subunits by consumers was simulated using a moving consumer model (Figures 55 and 56). In this case, very different patterns were formed with a smaller number of consumers. The action of organizing the entire landscape (10x10 matrix) was achieved with fewer consumers. The energy use was not significantly different from the other spatial simulations (Table 7 in Appendix). The efficiency of active coupling may be higher than passive (diffusion) coupling.

Organization at a higher level tends to have a larger effect in generating patterns. Some of this may due to a type of 'memory' generated in the landscape by the disturbance-succession sequence generated by these pulsing production consumption models. As the system pulses, small differences between individual cells generate further dis-

continuities. These small differences act as information storage for future pattern development.

Power Use and Edge Effects

No system exists in an infinite plane without edges. Edges were manipulated in the spatial models to understand their role in pattern formation. Some of the simulations allowed consumers to diffuse into or out of the spatial matrix at high and low levels of diffusion.

When the consumer level on the outside ring was kept at a low value (0.0), the percent power used decreased (Table 8 in Appendix) with increasing rates of diffusion. If the outside buffer had a high value for the consumer (Q3 equal 100) then just the reverse was seen. With increasing rates of diffusion there was an increase in the percent power used. This implies that consumer exchange can act as an energy source or a drain in a system depending on the relationship of the system to its surrounding area through its edges.

General Principles

The following are some general principles suggested by model studies, which may be useful hypotheses in future experimental studies.

- 1) Multiple pathways increase efficiencies and enable better use of fluctuating energy sources. Multiple steady states can result from one basic configuration. The

kinetics of these pathway configurations are similar to others studied by chaos theory, bifurcation theory and catastrophe theory.

2) Hierarchical structure is expressed in kinetics as increasing turnover times with increasing territory. Pathways of control of production-consumption systems must match the turnover time of the appropriate hierarchical level in order to cause reinforcement.

3) In early successional systems there may be critical minimum stocks of producers and consumers for a system to grow.

4) Similar maximum power processing may be achieved by a wide variety of spatial patterns.

5) Connectivity in systems has a greater role in pattern formation at higher levels of the hierarchy. Control of patterns and patchiness through consumer control is highly dependent on the spatial connectivity of the consumers.

6) Patch size may be related to the turnover time of the consumer and the spatial connectivity of the consumers.

7) Some of the great complexity of ecosystems may be simplified for human comprehension if varied mechanisms can be grouped according to the basic kinetics, energetics and hierarchical roles they perform.

APPENDIX

Table 3.

Coefficient values for parallel production-consumption
model in Figure 13.

K1	.003	Production coefficient for Q1
K2	.005	Production coefficient for Q2
K3	.007	Production coefficient for Q3
D1	.1	Drain coefficient for Q1
D2	.2	Drain coefficient for Q2
D3	.3	Drain coefficient for Q3
K7	.006	Consumption coefficient for Q1
K8	.015	Consumption coefficient for Q2
K9	.040	Consumption coefficient for Q3
D4	.08	Drain coefficient for Q4
K0	.1	Intake coefficient for Q4
F1	.01	Feedback loss coefficient for Q4

Table 4

Steady state values, coefficients and flows for pulse model.

J0	100.	Sunlight normalized to 100
J1	4.0817993	Available sunlight at ground level
Q1	1000.	Labile storage (Primary producer)
Q2	10000.	Stored Biomass
Q3	50.	Pulse consumer
Q4	30000.	Nutrients (Available carbon)
<hr/>		
K1	.000000417	R1 510.63309
K2	.5	R2 500.
K3	.05	R3 50.
K4	.45	R4 450.
K5	.00005	R5 .5
K6	.00045	R6 4.5
K7	.0000002	R7 5.
K8	.0000018	R8 45.
K9	.000002	R9 50.
K10	.000000417	R10 510.63309
K11	.0005	R11 5.
K12	.05	R12 2.5
K13	7.833E-7	

(Jordan and Drewry 1969, Odum and Pigeon 1970, and Brown, Lugo, Silander and Liegel 1983)

Figure 60. Character set for displaying spatial graphs on GIGI computer terminal suitable for use with screen copy onto printer. Each dot pattern is represented by the hexadecimal code on the left edge of each plot.

- (a) 80 dots
- (b) 40 dots
- (c) 27 dots
- (d) 20 dots
- (e) 16 dots
- (f) 12 dots
- (g) 7 dots
- (h) 3 dots



Table 5. Percent power used as a function of input energy sources and diffusion in different ecosystem levels.

	Successional	Steady state
(a) No Diffusion		
Energy Distribution	Percent Power Used	
Hierarchical	96.5	96.6
Even	96.5	96.6
Random	96.6	96.6

(b) Diffusion between nutrient (Q4) tanks
(Successional initial conditions)

Diffusion rate	.001	.01	.1
----------------	------	-----	----

Energy Distribution

	Percent Power Used		
Hierarchical	96.5	96.5	96.5
Even	96.5	96.5	96.5
Random	96.6	96.6	96.6

(c) Diffusion between consumer (Q3) tanks
(Successional initial conditions)

Diffusion rate	.001	.01	.1
----------------	------	-----	----

Energy Distribution

	Percent Power Used		
Hierarchical	96.6	96.6	96.6
Even	96.5	96.5	96.5
Random	96.6	96.5	96.5

(a) Model DSPl. See Figure 50 for example run.

(b) Model DSPl. See Figure 54 for example run.

(c) Model DSPlQZ. See Figure 53 for example run.

Table 6. Percent power used for various runs of DSP1C spatial model having only one consumer equally distributed across the entire production matrix.

	Successional state	Steady state
High initial condition for consumer Q3 (5000).		
Hierarchical	96.5	96.5
Even	96.5	96.6
Random	96.4	96.4
Low initial condition for consumer Q3 (50).		
Hierarchical	96.5	96.4
Even	96.5	96.4
Random	96.4	96.3

Table 7. Percent power used for DSP100 model as a function of search length and input energy type.

Search length (cells)	Successional state		Steady state	
Hierarchical distribution				
1	96.4	(17) (a)	96.5	(31)
2	96.6	(28)	96.6	(39)
3	96.6	(36)	96.6	(39)
4	96.6	(36)	96.6	(43)
5	96.5	(33) (b)	96.5	(45)
Even distribution				
1	95.7	(15)	crash	(13)
2	96.4	(30)	96.5	(30)
3	96.4	(38)	96.5	(34)
4	96.4	(38)	96.5	(42)
5	96.5	(32)	96.5	(40)
Random distribution				
1	96.4	(20)	95.7	(32)
2	96.6	(34)	96.6	(38)
3	96.6	(40)	96.5	(44)
4	96.6	(42)	96.5	(45)
5	96.6	(41)	96.6	(45)

(n) indicates number of consumers at end of simulation.

(a) see Figure 55

(b) see Figure 56

Table 8. Percent power used as a function of different energy input sources and diffusion rates. Edge effect model with different levels of consumers (Q3) on outside (buffer) edge of spatial matrix.

Diffusion rate		.001	.01	.1
Value of Q3 on outside edge	Energy Distribution	Percent Power Used		
0.0	Hierarchical	96.6	96.5	96.1
	Even	96.5	96.5	95.9
	Random	96.6	96.5	95.9
50.	Hierarchical	96.6	96.5	96.7
	Even	96.6	96.7	96.6
	Random	96.6	96.7	96.6
100.	Hierarchical	96.6	96.7	96.8
	Even	96.6	96.8	96.8
	Random	96.6	96.8	96.8

```

PROGRAM SUC10
C
C SUCGGX
C VERS 1.1
C FEBRUARY 5, 1984
C
      BYTE FILE(16),ESC,DES(40)
      REAL M1,M2,M3,M4,M9
      REAL K1,K2,K3,K4,K5,K6,K7,K8,K9,K0,L1,L2,L3,J,J0
      DIMENSION FILNAM(6),IY(50,200)
      DATA FILE/16*0/
      DATA DES/40*0/
      PT1(A,B)=ABS(AINT(A/B)-A/B)
      D(X,Y)=(X/Y)*ALOG(X/Y)
C
C
      WRITE(5,100)
100  FORMAT(1X,' SUCGGM GENERATES 6 DATAFILES',
      &/' BE SURE THAT THEY DONT ALREADY EXIST',
      &/' WHAT IS THE DATA FILE FOR THIS MODEL RUN ?')
      READ(5,101)(FILE(I),I=1,16)
101  FORMAT(16A1)
C
C
C      WRITE(5,1011)
C1011 FORMAT(' WHICH Q TO SAVE (1,2,3,4,5=% POW USED,6=BIOMSS) '$)
C      READ(5,1012) IQSAV
C1012 FORMAT(I3)
      WRITE(5,1013)
1013  FORMAT(' WHAT IS THE INCREMENT IN J0? [R] '$)
      READ(5,1014) XINC
1014  FORMAT(G15.5)
C
C
C      WRITE(5,99)
C 99  FORMAT(' HOW LONG TO RUN? ')
C      READ(5,98) TIME
C 98  FORMAT(F6.0)
      TIME=100.
C
C      WRITE(5,981)
C981  FORMAT(' DO YOU WANT A HARDCOPY? (1=YES,0=NO) '$)
C      READ (5,982) ICOPY
C982  FORMAT(I2)
      OPEN(UNIT=1,NAME=FILE,TYPE='OLD',FORM='UNFORMATTED')
      READ(1)E1,E2,E3,E4,E5,E6,E7,E8,E9,E10,E11,E12,E13,E14,E15,
C      COEFFICIENTS *****
      +NUM,K0,K1,K2,K3,K4,K5,K6,K7,K8,K9,D1,D2,D3,D4,L1,L2,L3,F1
      +,J0,Q1INIT,Q2INIT,Q3INIT,Q4INIT
      CLOSE(UNIT=1)
C      INITIAL CONDITIONS*****
      XJ0INI=J0
      NSLICE=25
      NCNTS=150
1  CONTINUE
C

```

```

C      BIG OUTER LOOP
C
C      DO 1062 IQSAV=1,6
C
C      NRUN=0
2      CONTINUE
      J0=XJ0INI+NRUN*XINC
      NRUN=NRUN+1
      T=0
      PERCNT=0
      PAVAIL=0
      PUSED=0
      DUSED=0
      Q9=0
      BIOMSS=0
      M1=0
      M2=0
      M3=0
      M4=0
      M9=0
      P=0
      BMAX=0
      Q1=Q1INIT
      Q2=Q2INIT
      Q3=Q3INIT
      Q4=Q4INIT
      Q1SIZE=30.
      Q2SIZE=5.
      Q3SIZE=1.
      Q4SIZE=20.
C      SET OUTPUT VECTOR AND FLAG *****
      DT=.1
C      WRITE(5,108)DT
C 108  FORMAT(' TIME INTERVAL DT= ',F5.3)
C      ISTEP=1/DT          !DT'S PER T
C      IPLOT=0             !PLOTING INTERVAL IN DT'S
C      ITCNT=0             !ITERATION COUNTER
C      WRITE(5,1081)
C1081  FORMAT(' WHAT IS PLOTING INTERVAL PER TIME UNIT [I] '$)
C      READ(5,1082)IPLOT
C1082  FORMAT(I2)
C      WRITE(5,1083)
C1083  FORMAT(1X,' INPUT VALUES FOR SIZES Q1-Q4 [R] '$)
C      READ (5,1084)Q1SIZE,Q2SIZE,Q3SIZE,Q4SIZE
C1084  FORMAT(4F8.3)
C      WRITE GIGI STARTUP INFORMATION
C      CALL GGON
C      CALL GGINIT
C      CALL GGERA
C      CALL GGAXIS(0,0,767,479)
C      CALL GGBOX(7,0,0,767,479)
C      CALL GGBOX(7,0,0,767,350)
C

```

```

C      XDT=DT/10.
C      START OF LOOP *****
5      T=T+DT
C      ITCNT=ITCNT+1
C      RATE EQUATIONS*****
      J=J0/( 1+L1*Q1*Q4+L2*Q2*Q4+L3*Q3*Q4)
      EUSED=J0-J
      R1=DT*K1*Q1*Q4*J
      R2=DT*K2*Q2*Q4*J
      R3=DT*K3*Q3*Q4*J
      R4=DT*Q1*D1
      R5=DT*Q2*D2
      R6=DT*Q3*D3
      R7=DT*K7*Q1*Q4
      R8=DT*K8*Q2*Q4
      R9=DT*K9*Q3*Q4
      R0=DT*D4*Q4
C      LEVEL EQUATIONS *****
      Q1=Q1+R1-R4-R7
      Q2=Q2+R2-R5-R8
      Q3=Q3+R3-R6-R9
      Q4=Q4+K0*( R7+R8+R9 )-R0-F1*( R1+R2+R3 )
      Q9=R1+R2+R3+K0*( R7+R8+R9 )
      DRAIN=( R4+R5+R6+R0 )+( 1.-K0 )*( R7+R8+R9 )
      BIOMSS=Q1+Q2+Q3+Q4
C      M1=AMAX1( M1 ,Q1 )
C      M2=AMAX1( M2 ,Q2 )
C      M3=AMAX1( M3 ,Q3 )
C      M4=AMAX1( M4 ,Q4 )
C      M9=AMAX1( M9 ,Q9 )
C
C
C      P1=Q1/Q1SIZE
C      P2=Q2/Q2SIZE
C      P3=Q3/Q3SIZE
C      P4=Q4/Q4SIZE
C      P1=AMAX1( P1 ,1E-5 )
C      P2=AMAX1( P2 ,1E-5 )
C      P3=AMAX1( P3 ,1E-5 )
C      PMAX=P1+P2+P3+P4
C      DIVERS=-( D( P1 ,PMAX )+D( P2 ,PMAX )+D( P3 ,PMAX )+D( P4 ,PMAX ) )
C
D      WRITE( 5 ,103 )P1 ,P2 ,P3 ,P4 ,PMAX
D103    FORMAT( 1X,5( 2X,G12.5 ) )
C
C
C      BMAX=AMAX1( BMAX,BIOMSS )
      P=P+Q9
      PAVAIL=PAVAIL+J0*DT
      PUSED=PUSED+EUSED*DT
      DUSED=DUSED+DRAIN
      PERCNT=EUSED/J0
C
C      FIND WHICH Q TO SAVE

```

```

20000  GOTO(21000,22000,23000,24000,25000,26000) IQSAV
      GOTO1101
21000  IY(NRUN,INT(T*1.5+1))=INT(Q1/.5)
      GOTO1101
22000  IY(NRUN,INT(T*1.5+1))=INT(Q2/.5)
      GOTO1101
23000  IY(NRUN,INT(T*1.5+1))=INT(Q3/.5)
      GOTO1101
24000  IY(NRUN,INT(T*1.5+1))=INT(Q4/.5)
      GOTO1101
25000  IY(NRUN,INT(T*1.5+1))=INT(PERCNT*1000.)
      GOTO1101
26000  IY(NRUN,INT(T*1.5+1))=INT(BIOMSS/.5)
      GOTO1101
C
C      SKIP PLOTTING IN THIS VERSION
C
C
C      GOTO 1101
C      IF(FT1(T,.1).GE.DT)GOTO 1101
C      IF(ITCNT.LT.IPLOT)GOTO1101
C      ITCNT=0
C      IX=T*7.
C      IY=Q1
C      CALL GGPLT(6,IX,IY,1)      !YELLOW FOR CLIMAX SPECIES
C      IY=Q2
C      CALL GGPLT(1,IX,IY,1)      !BLUE FOR TRANSITIONAL SPECIES
C      IY=Q3
C      CALL GGPLT(2,IX,IY,1)      !RED FOR WEEDS
C      IY=Q4
C      CALL GGPLT(3,IX,IY,1)      !MAGENTA FOR CONSUMERS
C      IY=Q9/DT
C      CALL GGPLT(4,IX,IY,1)      !GREEN FOR PRODUCTIVITY
C      IY=BIOMSS
C      CALL GGPLT(5,IX,IY,1)      !CYAN FOR BIOMASS
C
C
C      IY=EUSED*100/J0              !SCALE EUSED TO 0-100
C      CALL GGPLT(7,IX,IY+350,1)  !PLOT POWER USED WHITE
C      IY=(DRAIN/DT)*100/J0        !SCALE DRAIN TO 0-100
C      CALL GGPLT(5,IX,IY+350,1)  !CYAN FOR DRAINS
C      IY=DIVERS*50
C      CALL GGPLT(2,IX,IY+350,1)
1101  IF(T.LT.TIME)GOTO 5
      WRITE(5,11011)J0,Q1,Q2,Q3,Q4,PERCNT*100.,BIOMSS
11011  FORMAT(1X,7(1X,F10.4))
      IF(NRUN.LT.NSLICE)GOTO2
      CALL ASSIGN(2,'SUCMANY',6)
      ENCODE(40,25001,DES)IQSAV,FILE
25001  FORMAT(1X,' TANK Q',I1,' FOR DATA FILE ',16A1)
      WRITE(2)(DES(I),I=1,40),NSLICE,NCNTS,
+      ((IY(JCNT,KCNT),KCNT=1,NCNTS),JCNT=1,NSLICE)
      CLOSE(UNIT=2)
      WRITE(5,1061)IQSAV

```



```

1061   FORMAT(' END OF RUN # ',I4)
1062   CONTINUE

C      ESC=27
C      IF (ICOPY.EQ.0)GOTO1102
C      WRITE(3,11021)
C11021  FORMAT(' S(H)')
C      CALL GGERA
C1102   CALL GGOFF
C      WRITE(5,1009)ESC,ESC,ESC
C1009   FORMAT(1X,A1,'Prtn1',A1,'*',A1,'[H'//
C      & ' INITIAL VALUES OF VARIABLES')
C      WRITE(5,114)
C      WRITE(5,112)Q1INIT,Q2INIT,Q3INIT,Q4INIT,0.,0.
C      WRITE(5,111)
C111    FORMAT(' MAXIMUM VALUES OF VARIABLES ')
C      WRITE(5,114)
C114    FORMAT(6X,'Q1',7X,'Q2',7X,'Q3',7X,'Q4',6X,'PROD',5X,'BIOMASS')
C      WRITE(5,112)M1,M2,M3,M4,M9/DT,BMAX
C112    FORMAT(' ',6F9.3)
C      WRITE(5,113)
C113    FORMAT(' FINAL VALUES OF VARIABLES')
C      WRITE(5,114)
C      WRITE(5,112)Q1,Q2,Q3,Q4,Q9/DT,BIOMSS
C      WRITE(5,115)PAVAIL,P,PUSED,(PUSED/PAVAIL)*100,DUSED
C115    FORMAT(
C      &1X,' ENERGY AVAILABLE = ',F12.4/
C      &1X,' TOTAL PRODUCTIVITY = ',F12.4/
C      &1X,' ENERGY USED = ',F12.4,' PERCENT USED = ',F12.4/
C      &1X,' ENERGY DRAINED = ',F12.4)
C      WRITE(5,116)
C116    FORMAT(6X,'K0',8X,'K1',8X,'K2',8X,'K3',8X,'K7',8X,'K8',8X,
C      +'K9',8X,'F1')
C      WRITE(5,117)K0,K1,K2,K3,K7,K8,K9,P1
C117    FORMAT(' ',8(2X,F8.4))
C      WRITE(5,118)
C118    FORMAT(6X,'D1',8X,'D2',8X,'D3',8X,'D4',8X,'L1',8X,'L2',8X,
C      +'L3',8X,'J0')
C      WRITE(5,117)D1,D2,D3,D4,L1,L2,L3,J0
C      WRITE(5,119)DT,TIME
C119    FORMAT(' DT THIS RUN = ',F6.4,' TOTAL T= ',F6.2)
C      WRITE(5,120)(FILE(I),I=1,16)
C120    FORMAT(' DATA FILE DESIGNATION FOR THIS RUN ',16A1)
C      WRITE(5,121)Q1SIZE,Q2SIZE,Q3SIZE,Q4SIZE
C121    FORMAT(3X,'Q1SIZE Q2SIZE Q3SIZE Q4SIZE'/1X,4F7.1)
C      IF (ICOPY.EQ.0)GOTO1201
C      CALL GGON
C      WRITE(3,11021)
C      CALL GGOFF
1201   END

```

```

1 REM THREPATH MODEL VERSION 7/1/84
2 REM WITHINPUT COEFFICIENTS CHANGED
3 REM NAME=> TPMOD7.BAS
90 PRINT "WHAT IS VALUE FOR ENERGY INPUT (J0-J1)";
91 INPUT J1
100 REM AND PRINT FNV$(C,X,Y) FOR PLOTTING VECTORS. C=COLOR(1-7)
110 PRINT "DO YOU WANT GRAPHICS ON" * INPUT Q$
120 IF Q$<>"Y" GO TO 150
130 PRINT CHR$(27)+"Pp$(E)W(R,I(G),P1,N0,A0,S0)S(A[0,479](767,0))";
140 DEF FNV$(C,X,Y)="W(I"+STR$(C)+"")V(""+STR$(X)+"",""+STR$(Y)+"")";
150 DEF FNP$(C,X,Y)="W(I"+STR$(C)+"")P(""+STR$(X)+"",""+STR$(Y)+"")V()";
160 DEF FNT$(C,N,A$)="W(I"+STR$(C)+"")T(S"+STR$(N)+"")'"+A$+"";
170 DEF FNB$(C,X,Y,X1,Y1)=FNP$(C,X,Y)+FNV$(C,X,Y1)+FNV$(C,X1,Y1)
    +FNV$(C,X1,Y)+FNV$(C,X,Y)
180 A$=CLK$
190 A9=TTYSET(255,132)
200 N9=-1.8
210 T9=1
220 W=0
230 Q=100
240 K1=.5
250 K2=1.00000E-03
260 K3=1.00000E-06
270 K4=.2
275 K6=K1
276 K7=10*K2
277 K8=10*K3
280 T=0
290 A$="Threepath Model"
300 PRINT FNP$(7,626,475);FNT$(7,1,A$)
310 PRINT FNB$(7,620,456,767,479)
330 PRINT FNB$(7,0,0,767,479)
340 PRINT FNP$(7,0,270);FNV$(7,767,270)
350 PRINT FNP$(7,0,380);FNV$(7,767,380)
360 PRINT FNP$(7,0,244);FNV$(7,767,244)
370 J0=J1/2+COS(W*T/57.2958)*J1/2
380 J9=J0/(1+K6+K7*Q+K8*Q*Q)
390 P1=P1+J0-J9
400 J7=J7+J0
410 R1=K1*J9
420 R2=K2*Q*J9
430 R3=K3*Q*Q*J9
440 R4=K4*Q
450 Q9=T9*(R1+R2+R3-R4)
460 Q=Q+Q9
470 X0=R1+R2+R3
480 X1=100*R1/X0
490 X2=100*R2/X0
500 X3=100*R3/X0
510 IF Q$="Y" THEN 580
520 PRINT "J0=";J0,"J9=";J9,"T=";T
530 PRINT "Q=";Q,"Q9=";Q9
540 PRINT "R1=";R1,"R2=";R2,"R3=";R3,"R4=";R4
550 PRINT "X1=";X1,"X2=";X2,"X3=";X3

```

```

560 PRINT
570 IF Q$<>"Y" THEN 640
580 PRINT FNP$(1,T*2,X1+275),FNP$(2,T*2,X2+275)
    ,FNP$(3,T*2,X3+275),FNP$(4,T*2,5+J9/1)
590 PRINT FNP$(5,T*2,J0/100+5)
600 PRINT FNP$(7,T*2,Q/1000+385)
610 PRINT FNP$(4,600,270);"T(S1)'JR=";J9;" "
620 PRINT FNP$(6,T*2,170+(100*J9/J0))
630 Q7=Q7+Q * REM TOTAL Q TO GET AVERAGE
640 T=T+T9 * IF T<360 THEN 370
650 PRINT FNP$(4,600,270);"T(S1)' " " "
660 J5=P1/J7*100
670 PRINT FNP$(7,0,270);"T(S1)'POW USED=";P1
    ;"POW AVAIL=";J7;"PERCENT USED=";J5;"AVE Q=";Q7/T;" "
680 INPUT X
690 PRINT CHR$(27)+"*"
700 PRINT P1/J7;"FRACTION OF TOTAL POWER USED"
710 END

```

GIGI GRAPHICS SUBROUTINE PACKAGE
WRITTEN BY JOHN R. RICHARDSON

SEPTEMBER 1982

VERS 11: ALL UPDATES AND CURRENT TO SEPTEMBER 1982

VERS 12: FEBRUARY 28 1984 ADDITIONS
ADDED GGPILOT (CALL TO GGPILOT)
ADDED GGDMP (HARDCOPY DUMP)
ADDED GGVERS

ALL I/O IS TO LOGICAL UNIT 3

THE NORMAL CALLING SEQUENCE TO SET UP THE GIGI WOULD BE
AS FOLLOWS:

CALL GGON	!TURNS GRAPHICS ON
CALL GGINIT	!SENDS NORMAL INITIALIZATION
CALL GGERA	!ERASE THE SCREEN
CALL GGAXIS(0,0,767,479)	!SETS NORMAL AXIS WITH ORIGIN
	! AT THE LOWER LEFT CORNER

TASKBUILDING USING THE GIGI ROUTINES
RUN THE TASK BUILDER (TKB <CR>)
TKB>MYPROG=MYPROG, LB:[1,1]GGLIB/LB <CR>
TKB>/
ENTER OPTIONS
TKB>ASG=TTn:3 !WHERE n EQUALS GIGI TERMINAL NUMBER
TKB>// ! COULD USE TI: INSTEAD

SUBROUTINE GGVERS(IVERS)
CALL TO THIS WILL GIVE THE CURRENT VERSION OF THE GGLIB
IVERS=12
RETURN
END

SUBROUTINE GGON
THIS WILL SEND THE ESC Pp SEQUENCE TO THE GIGI TO ENABLE THE
GRAPHICS
BYTE ESC
ESC=27
WRITE(3,100)ESC
100 FORMAT('+',1A1,'Pp')
RETURN
END

```

C
C
C
SUBROUTINE GGOFF
C   THIS WILL SEND THE ESC @ NEEDED
C   TO TURN OFF THE GIGI GRAPHICS MODE
  BYTE ESC
  ESC=27
  WRITE(3,100)ESC
100  FORMAT('+',1A1,'@')
      RETURN
      END

C
C
C
SUBROUTINE GGERA
C   ROUTINE TO PERFORM SCREEN ERASE
  WRITE (3,100)
100  FORMAT('+','S(E)')
      RETURN
      END

C
C
C
SUBROUTINE GGDMP
C   ROUTINE TO PERFORM SCREEN DUMP TO LA34/LA100 PRINTER
  WRITE(3,100)
100  FORMAT('+','S(H)')
      RETURN
      END

C
C
C
SUBROUTINE GGINIT
C   ROUTINE TO INITIALIZE THE GIGI
  WRITE(3,100)
100  FORMAT('+','W(R,I4,P1,N0,S0,A0)')
      RETURN
      END

C
C
C
SUBROUTINE GGAXIS(IX,IY,IFX,IFY)
C
C   ROUTINE TO INITIALIZE THE AXIS OF THE GIGI
C   WHERE IX = LOWER LEFT CORNER X VALUE
C           IY = LOWER LEFT CORNER Y VALUE
C           IFX= UPPER RIGHT CORNER X VALUE
C           IFY= UPPER RIGHT CORNER Y VALUE
  WRITE(3,100)IX,IFY,IFX,IY
100  FORMAT('+','S(A['',I5,',',',I5,'] ['',I5,',',',I5,']'))
      RETURN
      END

C

```

```

C
C
      SUBROUTINE GGPLT(COLOR,IX,IY,IFLAG)
C  SUBROUTINE TO POSITION GRAPHICS CURSOR ON THE GIGI
C  SET IFLAG TO NUMBER > 0 TO PLOT POINT AND TO 0
C  TO MOVE CURSOR TO POINT WITHOUT PLOTTING POINT
C      COLOR = BYTE variable 0-7 for color
C      IX = Integer value of X
C      IY = Integer value of Y
C      IPT = Integer flag >1 plot a point
C
      BYTE COLOR
      IF(IFLAG.GT.0)GOTO10
      WRITE(3,100)COLOR,IX,IY
100  FORMAT('+ W(I',I1,')P(',I4,',',I4,')')
      GOTO20
10   WRITE(3,101)COLOR,IX,IY
101  FORMAT('+ W(I',I1,')P(',I4,',',I4,')V[]')
20   CONTINUE
      RETURN
      END

C
C
C
      SUBROUTINE GGPlot(COLOR,IX,IY,IFLAG)
C  ROUTINE TO ALLOW FOR VARIATION IN SPELLING OF GGPLT ROUTINE
C  ADDED IN VERS 12
C  BYTE COLOR
C  CALL GGPLT(COLOR,IX,IY,IFLAG)
C  RETURN
C  END

C
C
C
      SUBROUTINE GGVEC(COLOR,IX,IY)
C  SUBROUTINE TO DRAW A VECTOR ON THE GIGI FROM ITS PRESENT POSITION
C  TO THE IX,IY POSITION IN THE PARAMETER LIST.  USE GGPLT FOR
C  INITIAL COORDINATES IF NEEDED.
C      COLOR = BYTE variable 0-7 for color
C      IX = Integer value of X
C      IY = Integer value of Y
C
      BYTE COLOR
      WRITE(3,100)COLOR,IX,IY
100  FORMAT('+ W(I',I1,')V(',I4,',',I4,')')
      RETURN
      END

C
C
C
      SUBROUTINE GGBOX(COLOR,IX,IY,IX1,IY1)
C  SUBROUTINE TO DRAW A BOX ON THE GIGI GIVEN THE OPPOSITE COORDINATE
C  PAIRS FOR THE RECTANGLE.
C      COLOR = BYTE variable 0-7 for color
C      IX0 = Integer value of X
C      IY0 = Integer value of Y

```

```

C          IX1 = Integer value of X opposite
C          IY1 = Integer value of Y opposite
C
C      IF THE FILL IS TURNED ON THE BOX WILL BE FILLED AUTOMATICALLY
C
C      BYTE COLOR
C      CALL GGPLT(COLOR,IX,IY,1)
C      CALL GGVEC(COLOR,IX1,IY)
C      CALL GGVEC(COLOR,IX1,IY1)
C      CALL GGVEC(COLOR,IX,IY1)
C      CALL GGVEC(COLOR,IX,IY)
C      RETURN
C      END
C
C
C
C      SUBROUTINE GGCIRC(COLOR,IX,IY,IRAD)
C      SUBROUTINE TO DRAW A CIRCLE AT POINT IX,IY WITH A RADIUS OF IRAD
C          COLOR = BYTE variable 0-7 for color
C          IX = Integer value of X
C          IY = Integer value of Y
C          IRAD = Integer radius of circle
C
C      IF THE FILL IS TURNED ON THE CIRCLE WILL BE FILLED AUTOMATICALLY
C
C      BYTE COLOR
C      CALL GGPLT(COLOR,IX,IY,0)
C      WRITE(3,100)COLOR,IX,IY+IRAD
100  FORMAT('+ W(I',I1,')C['',I4,',',',I4,']')
C      CALL GGPLT(COLOR,IX,IY,1)          !LEAVE CURSOR AT CENTER
C      RETURN
C      END
C
C
C
C      SUBROUTINE GGTEXT(COLOR,IX,IY,TEXT,ISIZE,ITILT)
C      SUBROUTINE TO WRITE TEXT AT IX,IY ON SCREEN
C      Writes text at ix,iy with size and rotation of
C      characters given
C          COLOR = BYTE variable 0-7 for color
C          IX = Integer value of X
C          IY = Integer value of Y
C          TEXT = BYTE array containing 80 char or less
C          ISIZE = Integer value for text size 0-8
C          IROT = Integer value of degrees of rotation for
C                  line of text (multiple of 45)
C
C      THIS SUBROUTINE CALLS LENGTH TO DETERMINE
C      THE LENGTH OF THE STRING
C
C      BYTE COLOR,TEXT(1)
C      N=0
C      CALL GGPLT(COLOR,IX,IY,0)
C      CALL LENGTH(TEXT,N)

```

```

WRITE (3,100) ITILT, ISIZE, ITILT, (TEXT(I), I=1, N)
100  FORMAT(' + T(D', I4, ')(S', I2, ')(D', I4, ')', 1H', <N>A1, 1H')
      RETURN
      END

C
C
C
      SUBROUTINE LENGTH(TEXT, N)
      BYTE TEXT(80)
      IFLAG=0
      DO 20 I=80, 1, -1
      IF(TEXT(I).GT.32) IFLAG=1
         N=I
         IF (IFLAG.EQ.0) GOTO 20
      GOTO 99
20    CONTINUE
99    RETURN
      END

C
C
C
      SUBROUTINE GGFILL(IFLAG)
      SUBROUTINE TO TURN ON/OFF COLOR FILL CHARACTERISTIC
      IFLAG=0 NOFILL, IFLAG=1 FILL

C
      WRITE(3,100) IFLAG
100  FORMAT(' + ', 'W(S', I1, ' )')
      RETURN
      END

```



```

PROGRAM PLOTZ

C
C
C   **6/27/83
C   CHANGED AXIS ROUTINE FOR THREECORNERED ORIGIN**
C
C   VERSION 1.6
C   WRITTEN BY JOHN RICHARDSON
C   APRIL 27, 1983
C
C   SURFACE PLOTTING PROGRAM
C
C   DIMENSION IY(50,200),IOUT(200),IOUTY(200)
C   DIMENSION IX(200),MASK(800)
C   BYTE FNAME(20),DES(40),GON(3),GOFF(2),COLOR
C   BYTE BLACK,BLUE,RED,MAGENT,GREEN,CYAN,YELLOW,WHITE,ESC
C   INTEGER DELTAX,DELTAY
C   COMMON /IAREA/MASK
C   DATA FNAME/15*0,',' , 'D', 'A', 'T', 0/
C   DATA MASK/800*0/,DELTAX/6/,DELTAY/6/
C   BLACK=0
C   BLUE=1
C   RED=2
C   MAGENT=3
C   GREEN=4
C   CYAN=5
C   YELLOW=6
C   WHITE=7
C   COLOR=GREEN
C   IXSCALE=3
C   ESC=27
C   WRITE(5,499)ESC,ESC
499  FORMAT('+',A1,'PrIM1',A1,'@')
C   !SET TERMINAL TO ANSI MODE
C   TYPE 500
500  FORMAT(1X,'INPUT FILE NAME ')
C   ACCEPT 501,(FNAME(I),I=1,15)
501  FORMAT(15A1)
C   OPEN(UNIT=1,NAME=FNAME,FORM='UNFORMATTED',TYPE='OLD')
C   READ(1),((DES(I),I=1,40),NRUN,NCNTS
C   +,((IY(J,K),K=1,NCNTS),J=1,NRUN)
C   CLOSE(UNIT=1)
C   TYPE 5
5   FORMAT(' REVERSE THE SLICES? (1=YES, 0=NO) ')
C   ACCEPT 6,NSLICE
6   FORMAT(15)
C   WRITE(5,61)
61  FORMAT(' SHIFT SUCCESSIVE SLICES (1 = LEFT, -1 = RIGHT) '$)
C   READ (5,62)ISHFT
62  FORMAT(I3)
C
C
C   WRITE(5,621)
621  FORMAT(' WHAT ARE THE VALUES FOR DELTAX, DELTAY, IXSCALE [I] '$)

```

```

        READ(5,622)DELTAX,DELTAY,IXSCLE
622      FORMAT(3I4)
C
C
        WRITE(5,623)
623      FORMAT('  WHAT IS CROSS HATCH INTERVAL [I] '$)
        READ(5,624)NXHTC
624      FORMAT(I3)
C
C
        DELTAX=DELTAX*ISHFT
171      CALL GGON
        CALL GGINIT
        CALL GGAXIS(0,0,767,479)
        CALL GGERA
C      CALL GGBOX(7,0,0,767,479)
C
C      SET UP DATA POINTS FOR X AXIS
C
        DO 19 NPOINT=1,NCNTS
        IX(NPOINT)=NPOINT*IXSCLE
19      CONTINUE
        nline=1
        DO 11 NPOINT=1,NCNTS
        IOUTY(NPOINT)=IY(IABS(NLINE-NSLICE*NRUN),NPOINT)/4
11      CONTINUE

        DO 20 NLINE=1,NRUN,1
        DO 10 NPOINT=1,NCNTS
        IOUT(NPOINT)=IY(IABS(NLINE-NSLICE*NRUN),NPOINT)/4
10      CONTINUE
        CALL GG3DX(COLOR,IX,IOUT,IOUTY,NCNTS,NLINE,DELTAX,DELTAY,NXHTC)
        DO 30 NPOINT=1,NCNTS
        IOUTY(NPOINT)=IOUT(NPOINT)
30      CONTINUE
        20      CONTINUE
        CALL AXIS(COLOR,NRUN,NCNTS,DELTAX,DELTAY,IXSCLE)
C
C
        CALL GGOFF
        WRITE(5,2000)ESC,FNAM
2000      FORMAT('+',A1,'[H/' ' ',20A1)
        WRITE(5,2001)ESC
2001      FORMAT('+',A1,'[H 0-QUIT, 1-SCREENDUMP, 2-SCRDMP NO LABEL '$)
        READ(5,2002)IANS
2002      FORMAT(I2)
        IF(IANS.EQ.0)GOTO2100
        WRITE(5,2004)ESC
2004      FORMAT('+',A1,'[H',80X)
        IF(IANS.NE.2)GOTO20035
        WRITE(5,2005)ESC
2005      FORMAT('+',A1,'[H',80X/80X)
20035      CALL GGON
        WRITE(5,2003)

```

```

2003  FORMAT(' S(H)')
      CALL GGOF
2100  END
C
C
C
C
      SUBROUTINE GG3DX(COLOR,IX,IY,IYX,NPNTS,N,DELTAX,OELTAY,NXHTC)
      BYTE COLOR
      DIMENSION IX(1),IY(1),MASK(1),IYX(1)
      COMMON /IAREA/MASK
      INTEGER OELTAY,OELTAX
      IXOFF=200
      IF(OELTAX.LT.0) IXOFF=50
      IF(N.NE.1)GOTO10

C
C
      SET UP MASK FOR FIRST SLICE
      DO 5 I=1,NPNTS
      MASK( IX(I)+( IXOFF-N*DELTAX) )=IY(I)+N*OELTAY
5      CONTINUE
C
C
10     CONTINUE
      DO 20 I=1,NPNTS
      IXOUT=IX(I)+( IXOFF-N*OELTAX)
      IYOUT=IY(I)+N*OELTAY+20
      IF( IYOUT.GE.MASK( IXOUT) )GOTO50
      GOTO 20
50     MASK( IXOUT)=IYOUT
      CALL GGPLT(COLOR,IXOUT,IYOUT,1)
           IF(N.LE.1)GOTO20
           IF(I.EQ.1)GOTO19
           IF(IMOD( I,NXHTC).NE.0)GOTO20
19     IX2=IXOUT+OELTAX
           IY2=IYX(I)+( N-1)*DELTAY+20
           IF(DELTAX.LT.0)GOTO190
           IF( IY2.LT.MASK( IX2) )GOTO20
190    CALL GGVEC(COLOR,IX2,IY2)
20     CONTINUE
      GOTO 33
C
      IF(N.EQ.1)GOTO33
C
      M1=MASK(IXOFF-(N-1)*DELTAX)
C
      DO 33 I=1 ,DELTAX
C
      MASK(IXOFF-(N*DELTAX)+I)=M1
33     CONTINUE
      RETURN
      END

C
C
      SUBROUTINE AXIS(COLOR,NLINE,NPNTS,DELTAX,DELTAY,IXSCLE)
      BYTE COLOR
      INTEGER OELTAX,DELTAY,MASK(1)
      INTEGER X0,Y0,X1,Y1,X2,Y2,X3,Y3,X4,Y4,X5,Y5,X6,Y6,XORG,YORG
      INTEGER X7,Y7

```

```

COMMON /IAREA/MASK
IXOFF=200
IF(DELTA $\times$ .LT.0) IXOFF=50
ISIGN=DELTA $\times$ /IABS(DELTA $\times$ )

C
C
X0=IXOFF
Y0=20

C
X1=IXOFF+IXSCLE*NPNTS
Y1=20

C
X2=IXOFF-NLINE*DELTA $\times$ 
Y2=20+NLINE*DELTAY

C
X3=X2
Y3=Y2+250

C
X4=X2+NPNTS*IXSCLE
Y4=Y2

C
X5=X0
Y5=Y0+250

C
X6=X4
Y6=Y3

C
XORG=X2
YORG=Y2

C
X7=X1
Y7=Y5

C
CALL GGPLT(COLOR,X6,Y6,1)
IF(DELTA $\times$ .LT.0)GOTO15
IYTEMP=MASK(X4)
CALL GGVEC(COLOR,X6,IYTEMP)
GOTO16
15 CALL GGVEC(COLOR,X4,Y4)
CALL GGVEC(COLOR,X1,Y1)
16 CALL GGPLT(COLOR,X1,Y1,1)
CALL GGVEC(COLOR,X0,Y0)
IF (DELTA $\times$ .GT.0)CALL GGVEC(COLOR,X2,Y2)
CALL GGPLT(COLOR,X2,Y2,1)
161 IF(DELTA $\times$ .GT.0)GOTO191
IYTEMP=MASK(X2)
CALL GGPLT(COLOR,X2,IYTEMP,1)
191 CALL GGVEC(COLOR,X3,Y3)
IF (ISIGN.GT.0)GOTO200
C SURFACE FOR LEFT SHIFT
CALL GGPLT(COLOR,X3,Y3,1)
CALL GGVEC(COLOR,X5,Y5)
CALL GGVEC(COLOR,X0,Y0)
199 GOTO201

```

```

C      SURFACE FOR RIGHT SHIFT
200    CALL GGPLT(COLOR,X6,Y6,1)
      CALL GGVEC(COLOR,X7,Y7)
      CALL GGVEC(COLOR,X1,Y1)
201    CONTINUE
C
C      VERTICAL AXIS TICS
C
      DO 20 I=0,10
        IY0=(I*25)+Y2
        IF(DELTA $\times$ .LT.0)GOTO19
        CALL GGPLT(COLOR,X2,IY0,1)
        CALL GGVEC(COLOR,X2-6,IY0)
        GOTO20
19      CALL GGPLT(COLOR,X4,IY0,1)
        CALL GGVEC(COLOR,X4+6,IY0)
20      CONTINUE
C
C      HORIZONTAL AXIS TICS
C
      DO 25 I=0,10
        IX0=I*NPNTS*IXSCLE/10+X0
        CALL GGPLT(COLOR,IX0,Y0,1)
        CALL GGVEC(COLOR,IX0,Y0-6)
25      CONTINUE
C
C      ANGLE AXIS TICS
C
      ZLINE=NLINE
      DO 35 ZI=0.,ZLINE,ZLINE/10.
        IF(DELTA $\times$ .LT.0)GOTO27
        IX0=X0-DELTA $\times$ *ZI
        IY0=Y0+DELTAY*ZI
        GOTO28
27      IX0=X1-DELTA $\times$ *ZI
        IY0=Y1+DELTAY*ZI
28      CONTINUE
        IC4=ISIGN*6
        CALL GGPLT(COLOR,IX0,IY0,1)
        CALL GGVEC(COLOR,IX0-IC4,IY0-6)
35      CONTINUE
C
C      BACK AXIS LINE
C
      CALL GGPLT(COLOR,X2,Y2,1)
      CALL GGVEC(COLOR,X4,Y4)
C
C      TOP AXIS LINE
C
      CALL GGPLT(COLOR,X3,Y3,1)
      CALL GGVEC(COLOR,X6,Y6)
      RETURN
      END

```

```

1 ' PROGRAM MEASURE3 WRITTEN BY JOHN R. RICHARDSON
2 VERSION=2!
3 ' VERSION 1.0 BASELINE SET 6/1/85
5 ' MAIN PROGRAM BEGINS AT LINE 1000
6 ' VERSION 1.5 6/3/85
7 ' CLEANED UP OLD FORTRAN CODE, ADDED DOUBLE OUTPUT FILE MOOE
8 ' SAVE TRUE DIGITIZER VALUES FOR PLOTTER FILE OUTPUT
9 ' CALCULATE AREAS BASED ON SCALED DATA
10 ' VERSION 1.6 6/7/85
11 ' FIXED ERROR IF NO FILES OF B DRIVE,
12 ' CHANGED DATA ARRANGEMENT IN OUTPUT FILES
13 ' VERSION 1.7 6/24/85
14 ' ADDED ERROR OUTPUT ROUTINE FOR ERRORS OTHER THAN NO FILES
15 ' VERSION 2.0 ADDED SCALE3 SUB FOR DIFFERENT XSCALE AND YSCALE
16 ' 7/2/85
99 ' *****
100 ' SUBROUTINE DIGINI (LINE 3000-3490) OPENS DIGITIZER
110 ' AND SETS INITIAL PARAMETERS FOR PROGRAM
130 ' SUBROUTINE STREAM MOOE (3800-3899) TURNS ON STREAM MOOE
150 ' SUBROUTINE POINT MODE (3900-3999) TURNS ON POINT MOOE
170 ' SUBROUTINE FILE HANDLER (4000-4220) OPENS DATA FILE FOR OUTPUT
190 ' SUBROUTINE SCALE2 (5000-5610) HANDLES SETTING UP USER
200 ' COORDINATES AND ORIGINS AND OFFSETS
220 ' SUBROUTINE DELAY (6000-6010) ARE TIMING ROUTINES THAT
230 ' MAY BE NEEDED FOR SENDING SETUP INFORMATION TO DIGITIZER
250 ' SUB INPUT (8000-8070) GETS DATA SENT FROM DIGITIZER
270 ' SUB DIGURU (9000-9070) SCALES DIGITIZER INPUT TO REAL WORLD
290 ' COORDINATES
300 ' SUBROUTINE AREAP (1660-2030) GETS INPUT POINTS FOR AN AREA
330 ' SUBROUTINE AREAX (2070-2580) CALCULATES THE AREA
350 ' SUBROUTINE PERIX (2610-2810) CALCULATE THE CLOSED AND OPEN
370 ' PERIMETERS FROM A SET OF GIVEN POINTS
1000 '*****
1010 '***** MAIN PROGRAM START *****
1020 '*****
1040 ON ERROR GOTO 20000
1060 CLS:PRINT:PRINT:PRINT:PRINT
1070 PRINT "AREA MEASUREMENT PROGRAM VERSION ";VERSION
1120 GOSUB 4000:' CALL FILE HANDLER
1130 GOSUB 3000:' CALL DIGINI
1140 GOSUB 5000:' CALL SCALE2
1260 'CONTINUE
1270 GOSUB 1660:' CALL AREAP (X,Y,AREA,NPOINT,IERR,RESOL)
1280 IF (IERR=0) THEN GOTO 1290 ELSE PRINT "ERROR ";IERR;"
HAS OCCURRED NOT ENOUGH POINTS FOR AN AREA":GOTO 1270
1290 '
1340 GOSUB 2070:' CALL AREAX(X,Y,AREA,NPOINT)
1350 GOSUB 2610:' CALL PERIX(X,Y,PERI1,PERI2,NPOINT)
1351 AREA=AREA/IO
1370 PRINT " THE MEASURED AREA IS [";AREA/IO;" ] FOR ";NPOINT;" POINTS"
1380 PRINT " CLOSED PERIMETER= ";PERI2
1390 PRINT " OPEN PERIMETER= ";PERI1
1400 PERIOUT=PERI2
1410 PRINT BELL$;" KEEP THIS AREA OR RE-MEASURE [ K or R ] ";

```

```

1420 INPUT ANSS$
1440 IF (ANSS$="R")GOTO 1260
1480 PRINT #2,XT(1),YT(1),PENOUT;AREA;PERIOUT;NPOINT
1481 PRINT #3,AREA;PERIOUT
1490 PRINT #2,XT(1),YT(1),PENUP
1500 FOR I=2 TO NPOINT
1510 PRINT #2,XT(I),YT(I),PENDWN
1520 NEXT I:'200      CONTINUE
1525 IF WET5=99 THEN 1590
1530 PRINT #2,XT(1),YT(1),PENOWN
1590 PRINT " DO YOU WANT TO INPUT ANOTHER AREA (Y OR N) ";
1600 INPUT ANSS$
1620 IF (ANSS$ = "Y") GOTO 1260
1630 CLOSE:PRINT "TYPE SYSTEM TO EXIT FROM BASIC OR RUN TO RERUN":END
1640 '*****
1641 '***** END OF MAIN PROGRAM *****
1642 '*****
1660 PRINT "SUBROUTINE AREAP":IERR=0
      : SUBROUTINE AREAP(X,Y,AREA,NPOINT,IERR,RESOL)
1700 IERR=0
1710 NPOINT=0
1720 AREA=0
1740 PRINT " ENTER FIRST POINT BY PRESSING THE '1' KEY  "
1745 PRINT " ENTER REMAINING POINTS BY PRESSING ANY KEY BUT '2'"
1750 PRINT "          THEN QUIT ENTERING POINTS BY PRESSING '2' "
1760 GOSUB 9000:' CALL DIGURU (XIN,YIN,CODE)
1770 XOLD=XIN
1780 YOLD=YIN
1790 IF (CODE$ <> "1") GOTO 1760
1800 NPOINT=1
1810 X(NPOINT)=XOLD
1811 XT(NPOINT)=XTRUE
1820 Y(NPOINT)=YOLD
1821 YT(NPOINT)=YTRUE
1830 IF (CODE$ = "2") GOTO 1950
1840 GOSUB 9000:'200      CALL DIGURU (XIN,YIN,CODE)
1850 IF (CODE$ = "2" ) GOTO 1950
1870 NPOINT=NPOINT+1
1880 X(NPOINT)=XIN
1881 XT(NPOINT)=XTRUE
1890 Y(NPOINT)=YIN
1891 YT(NPOINT)=YTRUE
1900 XOLD=XIN
1910 YOLD=YIN
1930 PRINT XIN,YIN,"CODE =";CODE$:BEEP
1940 GOTO 1840
1950 IF (NPOINT < 3) THEN IERR =1: '300
1970 IF (IERR <> 0)THEN RETURN
2020 IERR=0
2025 'GOSUB 3900
2030 RETURN
2070 PRINT " SUBROUTINE AREAX(X,Y,AREAIO,NPOINT)"
2130 PRINT " ***** OIGITIZER AREA CALCULATION *****"
2140 NPOINT=0:'200

```

```

2150 A1=0!
2160 A2=0!
2170 AREAIO=0!
2180 NUMPNT=NUMPNT+1
2190 'C READ FIRST PAIR
2200 XF=X(NUMPNT)
2210 YF=Y(NUMPNT)
2220 XP=XF
2230 YP=YF
2240 '300 CONTINUE
2250 'C
2260 NUMPNT=NUMPNT+1
2270 XC=X(NUMPNT)
2280 YC=Y(NUMPNT)
2290 A1=A1+(XP*YC)
2300 XP=XC
2310 IF(NUMPNT = NPOINT)GOTO 2330
2320 GOTO 2240
2330 IF(NUMPNT > 2)GOTO 2370:'400
2340 ' WRITE(LUNC,401)
2350 PRINT " ?NOT ENOUGH DATA POINTS FOR AREA CALCULATION"
2360 RETURN
2370 A1=A1+(XC*YF):'450
2380 NUMPNT=1
2390 XF=X(NUMPNT)
2400 YF=Y(NUMPNT)
2410 XP=XF
2420 YP=YF
2430 NUMPNT=NUMPNT+1:'500
2440 YC=Y(NUMPNT)
2450 XC=X(NUMPNT)
2460 A2=A2+(YP*XC)
2470 YP=YC
2480 IF (NUMPNT = NPOINT)GOTO 2500
2490 GOTO 2430
2500 A2=A2+(YC*XF):'600
2510 AREAIO=ABS((A1-A2)*.5)
2520 RETURN
2530 '700 AREAIO=0.
2540 ' RETURN
2550 '800 CONTINUE
2560 ' AREAIO=0.
2570 RETURN
2580 ' END
2590 'C
2600 'C
2610 PRINT " SUBROUTINE PERIX(X,Y,PERI1,PERI2,NPOINT)"
2620 ' DIMENSION X(1),Y(1)
2630 PERI1=0!
2640 PERI2=0!
2650 NUMPNT=1
2660 XIN=X(1)
2670 YIN=Y(1)
2680 XL=XIN

```



```

2690 YL=YIN
2700 NUMPNT=NUMPNT+1:'100
2710 XN=X(NUMPNT)
2720 YN=Y(NUMPNT)
2730 PERI1=PERI1+FNRDIST(XN,YN,XL,YL)
2740 XL=XN
2750 YL=YN
2760 IF (NUMPNT = NPOINT)GOTO 2780
2770 GOTO 2700
2780 PERI2=FNRDIST (XIN,YIN,XL,YL):'300
2790 PERI2=PERI2+PERI1
2800 RETURN
2810 ' END
2820 '
2830 '
3000 PRINT "SUBROUTINE DIGINI" SUBROUTINE DIGINI
3001 LCB=13
3002 DEF FNRDIST(X1,Y1,X2,Y2)=ABS((X1-X2)^2+(Y1-Y2)^2)^.5
3003 DEF FNANGLER(X1,Y1,X2,Y2)=ATN((Y2-Y1)/(X2-X1))
      +(SGN(ABS(X2-X1))-SGN((X2-X1)))*1.570796
3005 PRINT "INITIALIZATION SEQUENCE FOR DIGITIZER":$EEP
3006 PRINT " PLEASE MAKE SURE DIGITIZER IS ON"
3007 INPUT " HIT RETURN WHEN READY ",DUM$
3008 DIM X(1000),Y(1000),XT(1000),YT(1000)
3009 PENUP=3:PENDOWN=2:PENDUM=6:BELL$=CHR$(7)
3010 OPEN"COM1:9600,E,7,2,RS,CS,DS,CD" AS #1:'OPEN AUX PORT FOR I/O
3011 CLS
3020 LD$="#]":QT$="/"
3025 PRINT #1,"#]L":PRINT " DIGITIZER BEING RESET ":GOSUB 6005
3030 PRINT #1,"#]{"#]:SET RESOLUTION TO .001
3031 GOSUB 6001
3040 PRINT #1,"#]6":SET RATE TO 2/SEC
3041 GOSUB 6001
3050 PRINT #1,"#]02":SET INCREMENT TO .01
3051 GOSUB 6001
3060 'PRINT #1,"#]M":TURN ON INCREMENTAL MODE
3061 'GOSUB 6001
3070 'PRINT #1,"#]J":TURN ON STREAM MODE
3071 'GOSUB 6001
3080 PRINT #1,"#]9":SET SERIAL TAG AS LAST CHARACTER
3081 GOSUB 6001
3090 PRINT #1,"#]>":SET NO FIELD DELIMITERS
3091 GOSUB 6001
3100 PRINT #1,"#]I":RESET FOR POINT MODE FOR BEGINNING SETUP
3110 PRINT #1,"#]/":SEND END OF REMOTE FORMATTING
3111 GOSUB 6001
3310 XSCALE=1:'USER X AXIS SCALE FACTOR
3320 XOFF=0:' USER X AXIS OFFSET
3330 YSCALE=1:'USER Y AXIS SCALE FACTOR
3340 YOFF=0:' USER Y AXIS OFFSET
3350 ANGLE=0:' USER SKEW CORRECTION FACTOR
3360 ' XROUND=0.
3370 ' YROUND=0.
3380 UXSCAL=1:'USER PLOTTER X SCALE FACTOR

```

```

3390      UYSCAL=11:'USER PLOTTER Y SCALE FACTOR
3400      UROT=01  : 'USER PLOTTER ROTATION ANGLE
3410      '      ARRLEN=.15
3420      '      ARRWID=.07
3430      '      ARROFF=.03
3440      '      IARTTY=3
3450      '      PDLEN=.1
3460      '      PULEN=.05
3470      KLAST=01:'LAST X COORD CALCULATED
3480      YLAST=01:'LAST Y COORD CALCULATED
3490      RETURN
3500      'CLOSE FILE THEN REOPEN IT
3510      CLOSE #1
3520      OPEN"CDM1:9600,E,7,2,RS,CS,DS,CD" AS #1:'OPEN AUX PORT FOR I/O
3530      RETURN
3800      PRINT "STREAM MODE SUBROUTINE"
3810      PRINT #1,"#J":' TURN DN STREAM MODE
3811      GOSUB 6001
3820      PRINT #1,"#M":' TURN DN INCREMENTAL MODE
3821      GOSUB 6001
3899      RETURN
3900      PRINT " SUBROUTINE FOR SETTING POINT MODE"
3910      PRINT #1,"#I":' RESET PDR POINT MODE FOR BEGINNING SETUP
3911      GOSUB 6001
3999      RETURN
4000      PRINT "FILE HANDLING SUBROUTINE":' SUBROUTINE FOR FILE HANDLING
4004      PRINT "CURRENT DATA FILES: ":PRINT
4005      FILES "B:*.**"
4006      PRINT:PRINT:PRINT:
4010      'PRINT "FILE HANDLING"
4020      PRINT "WOULD YOU LIKE TO OPEN A NEW FILE DR APPEND TO AN EXISTING"
4030      INPUT "      FILE (1-NEW, 2-OLD)",FILEMODE
4040      IF FILEMODE <1 OR FILEMODE >2 THEN 4020
4050      IF FILEMODE =2 THEN 4100
4060      INPUT "WHAT IS THE NAME FOR THE FILE (1-8 CHARACTERS) ",FILENAME$
4061      IF LEN (FILENAME$)>8 THEN 4060
4062      IF INSTR(FILENAME$,".") <>0 THEN PRINT "INPUT FILENAME
      ONLY WITHOUT DRIVE SPECIFIER":GOTO 4000
4070      NTEMP=INSTR(FILENAME$,".")
4075      IF NTEMP=0 THEN 4085
4078      NLEN=LEN(FILENAME$)
4080      FILENAME$=MID$(FILENAME$,1,NTEMP-1)
4085      FILENAME$="B:"+FILENAME$
4090      OPEN "D",2,FILENAME$+ ".DAT"
4091      OPEN "D",3,FILENAME$+ ".PRN"
4093      INPUT "WHAT IS DESCRIPTION OF THIS DATA SET",DESC$
4094      PRINT #3,CHR$(34)+DESC$
4095      GOTO 4220
4100      'OPEN PDR APPEND
4110      INPUT "WHAT IS THE NAME OF THE EXISTING FILE ",FILENAME$
4120      IF LEN(FILENAME$)>8 THEN 4110
4130      IF INSTR(FILENAME$,".") <>0 THEN PRINT "INPUT FILENAME
      ONLY WITHDOT DRIVE SPECIFIER":GOTO 4100
4140      NTEMP=INSTR(FILENAME$,".")

```

```

4150 IF NTEMP=0 THEN 4200
4160 NLEN=LEN(FILENAMES)
4170 FILENAMES=MID$(FILENAMES,1,NTEMP-1)
4200 FILENAMES="B:"+FILENAMES
4202 OPEN "I",3,FILENAMES+".PRN"
4204 LINE INPUT #3,DUM$:PRINT:PRINT DUM$:PRINT:PRINT
4206 CLOSE #3
4210 OPEN "A",2,FILENAMES+".DAT"
4211 OPEN "A",3,FILENAMES+".PRN"
4220 'INPUT "BASIN NUMBER = ",WET1
4250 RETURN
5000 'PRINT "SUBROUTINE SCALE3" : ' SUBROUTINE SCALE3
5030 GOSUB 3900: ' GO SET POINT MODE FIRST !
5040 PRINT " ***** DIGITIZER THREE-POINT SCALING *****"
5050 PRINT :PRINT:PRINT :BEEP:GOSUB 6001
5060 PRINT " DIGITIZE THE ORIGIN OF THE GRAPH >>":BEEP
5070 GOSUB 8000:XORG=XIN:YORG=YIN:' CALL DIGDRU(XORG,YORG,IBTN)
5080 IF(VAL(CODE$)=10)GOTO 5530
5100 PRINT " DIGITIZE ANY OTHER KNOWN"
5110 PRINT " POINT ON THE SAME HORIZONTAL (X-AXIS) LINE>>"
5120 GOSUB 8000:XHZ=XIN:YDUM=YIN:' CALL DIGDRU(XHZ,YHZ,IBTN)
5130 IF(VAL(CODE$)= 10)THEN RETURN
5140 XSCALE=1!
5150 XOFF=0!
5160 YSCALE=1!
5170 YOFF=0!
5180 ANGLE=0!
5190 XROUND=0!
5200 YROUND=0!
5210 XD=FNRODIST(XORG,YORG,XHZ,YDUM)
5220 IF(XD = 0!)THEN RETURN:'GOSUB 3800:RETURN:'STREAM MODE
5240 'PRINT " TWO-POINT X DISTANCE IN DIGITIZER REAL UNITS: ";XD
5242 PRINT "DIGITIZE A THIRD KNOWN POINT ON THE VERTICAL (Y-AXIS) LINE"
5244 GOSUB 8000:XDUM=XIN:YHZ=YIN
5246 ANG1=FNANGLER(XORG,YORG,XHZ,YDUM)
5247 ANG2=FNANGLER(XORG,YORG,XDUM,YHZ)
5248 YANG=1.570796-(ANG2-ANG1)
5249 YD=FNRODIST(XORG,YORG,XDUM,YHZ)*COS(YANG)
5250 IF YD=0 THEN RETURN
5252 PRINT "X-DISTANCE= ";XD;" Y-DISTANCE= ";YD
5260 PRINT " ENTER USER COORDINATES"
5270 PRINT " OF THE FIRST POINT (REAL) [0.0,0.0]: ";
5280 INPUT X1U,Y1U
5290 '5 FORMAT(2F10.0)
5300 XDEF=XD+X1U:YDEF=YD+Y1U
5310 ' WRITE(LUNO,6)XDEF
5320 PRINT " ENTER USER X COORDINATE"
5330 PRINT " OF THE SECOND POINT (REAL) ";XDEF
5340 INPUT X2U
5350 IF(X2U = 0!)THEN X2U=XDEF
5351 PRINT " ENTER USER Y COORDINATE"
5352 PRINT " OF THE THIRD POINT (REAL) ";YDEF
5353 INPUT Y3U
5360 XU=X2U-X1U

```

```

5365      YU=Y3U-Y1U
5370      ANGLE=ANG1
5380      IF(XU <> 0) THEN XSCALE=XU/XD
5390      IF(YU <> 0) THEN YSCALE=YU/YD
5400      IF(X1U = 0 AND Y1U = 0) GOTO 5510
5402      X1U=X1U/XSCALE:Y1U=Y1U/YSCALE
5410      ANGLU=FNANGLER(0!,0!,X1U,Y1U)
5420      ANGLU=ANGLE+ANGLU
5430      DISTU=FNDRIST(0!,0!,X1U,Y1U)
5440      DISTX=DISTU/XSCALE
5450      DISTY=DISTU/YSCALE
5460      XROT=DISTU*CDS(ANGLU)
5470      YROT=DISTU*SIN(ANGLU)
5480      XDFF=XDRG-XROT
5490      YDFF=YDRG-YROT
5500      GOTO 5530
5510      XOFF=XDRG:Y100
5520      YDFF=YDRG
5530      '200 WRITE(LUNO,201)
5540 PRINT " ENTER X-AXIS ROUNDOFF (REAL) [0.0]: ";
5550 INPUT XROUND
5560      '202 FORMAT(F6.0)
5570      ' WRITE(LUND,203)
5580 PRINT " ENTER Y-AXIS ROUNDOFF (REAL) [0.0]: ";
5590 INPUT YROUND
5600 RETURN:'GOSUB 3800:RETURN:'RESET STREAM MODE FIRST!
5610      ' END
6000      ' TIMER LOOPS
6001 BEEP :FOR IDUM=1 TO 375 :NEXT IDUM:PRINT TIMES:RETURN:'1 SEC
6002 BEEP :FOR IDUM=1 TO 750 :NEXT IDUM:PRINT TIMES:RETURN:'2 SEC
6003 BEEP :FOR IDUM=1 TO 1125:NEXT IDUM:PRINT TIMES:RETURN:'3 SEC
6005 BEEP :FOR IDUM=1 TO 1875:NEXT IDUM:PRINT TIMES:RETURN:'5 SEC
6010 BEEP :FOR IDUM=1 TO 3750:NEXT IDUM:PRINT TIMES:RETURN:'10SEC
8000 REM +++++ GET INPUT FROM CDM BUFFER +++++
8010 WHILE LDC(1) < LCB
8020 WEND
8030 'IF LDF(1) < 24 THEN BEEP:BEEP: BEEP
8040 DZ$=INPUT$(LCB,#1)
8041 'PRINT DZ$
8050 X$=LEFT$(DZ$,5) : Y$=MID$(DZ$,6,5) : CODE$= MID$(DZ$,11,1)
8060 XIN=VAL(X$)/1000 : YIN=VAL(Y$)/1000
8061 'PRINT XIN,YIN,CODE$:BEEP
8070 RETURN
9000      ' SUBROUTINE DIGURU(X,Y,ISTN)
9010 GOSUB 8000
9020 DISTU=FNDRIST(XDFF,YOFF,XIN,YIN)
9030 ANGU=FNANGLER(XDFF,YDFF,XIN,YIN)-ANGLE
9040 XIN=DISTU*CDS(ANGU)*XSCALE
9050 YIN=DISTU*SIN(ANGU)*YSCALE
9055 XTRUE=XIN/XSCALE:YTRUE=YIN/XSCALE
9070 RETURN
20000 IF ERR=53 AND ERL=4005 THEN PRINT "NO FILES DN B":RESUME 4006
20030 PRINT "ERROR NUMBER ";ERR;" HAS OCCURRED AT LINE ";ERL

```

```

C
C      PULSING MODEL GIGI VERSION
C      MODIFIED TO WRITE DATA FILE FOR 3-D GRAPHICS PROGRAM
C
C      PULSEGGM.FTN VERSION
C      BASELINE MODEL 2.0 PREVIOUS TO AUG 29,1984
C      VERS 2.1 CHANGED FORMAT OF HARDCOPY PRINTOUT OF VARIABLES
C
C      VERS 2.11 ADDED TOTALS AND DESCRIPTION TO OUTPUT LIST
C
C      VERS 2.12 ADDED K8 TO OUTPUT LIST
C
C      VERS 2.121 (1/24/85) ADDED TRACKING COEFFICIENTS DN K2,K9,K11
C      AND CHANGED FDMAT 11003 FOR VARS(IVAL) FROM F6.1 TO G15.4
PROGRAM PULSE
  BYTE XTEXT(80),DES(40),YTEXT(80)
  DIMENSION VARS(20),ALPHA(20)
  DIMENSION FILE(3)
  REAL M1,M2,M3,M4,M9,K10,K11,K12,K13
  REAL K1,K2,K3,K4,K5,K6,K7,K8,K9,J,J0,JNDRM
  EQUIVALENCE (VARS(1),K1),
+ (VARS(2),K2),
+ (VARS(3),K3),
+ (VARS(4),K4),
+ (VARS(5),K5),
+ (VARS(6),K6),
+ (VARS(7),K7),
+ (VARS(8),K8),
+ (VARS(9),K9),
+ (VARS(10),K10),
+ (VARS(11),K11),
+ (VARS(12),K12),
+ (VARS(13),K13),
+ (VARS(14),XJOINI),
+ (VARS(15),Q1IC),
+ (VARS(16),Q2IC),
+ (VARS(17),Q3IC),
+ (VARS(18),Q4IC)
  VIRTUAL IY(6,25,180)

  DATA FILE/3* ' /
  DATA XTEXT/' ','P','u','l','s','e',' ','M','o','d','e'
+ , 'l',' ',67*0/
  DATA DES/40*0/
  DATA YTEXT/80*0/
  DATA ALPHA/'K1 ','K2 ','K3 ','K4 ','K5 ','K6 ','K7 '
+ , 'K8 ','K9 ','K10 ','K11 ','K12 ','K13 ','JOIN','Q1IC'
+ , 'Q2IC','Q3IC','Q4IC',2* ' /
  FT1(A,B)=ABS(AINT(A/B)-A/B)
  . VERS=2.121          19/7/84 ; 1/24/85
  WRITE(5,100)
100  FORMAT('  WHAT IS THE DATA FILE FOR THIS MODEL RUN ?')
  READ(5,101)(FILE(I),I=1,3)
101  FDMAT(3A4)

```

```

        WRITE(5,1011)FILE
1011    FORMAT(1X,3A4)
C      WRITE(5,1016)
C1016  FORMAT(' DO YOU WANT HARDCOPY (1=YES, 0=NO) '$)
C      READ(5,1017)ICOPY
        ICOPY=0
C1017  FORMAT(I2)
C      WRITE (5,1018)
C1018  FORMAT(' WHICH Q TO SAVE (1,2,3,4,5=JR,6=%POW USED) '$)
C      READ (5,1019)IQSAV
        IQSAV=1
C1019  FORMAT(I3)
C      WRITE(5,1020)
C1020  FORMAT(' DO YOU WANT TO PLOT THE GRAPHS (1=YES, 0=NO) '$)
C      READ(5,1021)IPLOT
        IPLOT=0
C1021  FORMAT(I1)
C      WRITE(5,99)
C99     FORMAT(' HOW LONG TO RUN? ')
C      READ(5,98)TIME
C98     FORMAT(G6.0)
        CALL ASSIGN(1,FILE)
        READ(1)E1,E2,E3,E4,E5,E6,E7,E8,E9,E10,E11,E12,E13,E14,E15,
C      COEFFICIENTS *****
+NUM,K1,K2,K3,K4,K5,K6,K7,K8,K9,K10,K11,K12,K13
+,XJ0INI,Q1,Q2,Q3,Q4
C      INITIAL CONDITIONS*****
        CLOSE (UNIT=1)
        Q1IC=Q1
        Q2IC=Q2
        Q3IC=Q3
        Q4IC=Q4
C*****
C
C
        WRITE(5,1012)K1,K10,K2,K11,K3,K12,K4,K13,K5,XJ0INI,K6,Q1,
+K7,Q2,K8,Q3,K9,Q4
1012   FORMAT(1X,'1-K1 ',G12.6,'          10-K10',G12.6/
+1X,'2-K2 ',G12.6,'          11-K11',G12.6/
+1X,'3-K3 ',G12.6,'          12-K12',G12.6/
+1X,'4-K4 ',G12.6,'          13-K13',G12.6/
+1X,'5-K5 ',G12.6,'          14-XJ0INI',G12.6/
+1X,'6-K6 ',G12.6,'          15-Q1IC',G12.6/
+1X,'7-K7 ',G12.6,'          16-Q2IC',G12.6/
+1X,'8-K8 ',G12.6,'          17-Q3IC',G12.6/
+1X,'9-K9 ',G12.6,'          18-Q4IC',G12.6/
+1X,' INPUT VARIABLE NUMBER TO VARY => '$)
        READ(5,1013)IVAL
1013   FORMAT(I2)
        WRITE (5,1014)ALPHA(IVAL),VARS(IVAL)
1014   FORMAT(' VARIABLE ',A4,' = ',G12.6/
+' HOW MUCH TO INCREMENT? '$)
        READ(5,1015)XINC
1015   FORMAT(G15.6)

```

```

C
C
C
C*****
      CALL ASSIGN (4,'TT0:')
      IF (IPLOT.EQ.0)GOTO499
      CALL GGON
      CALL GGINIT
      CALL GGAKIS(0,0,767,479)
499    Q1IC=Q1
      Q2IC=Q2
      Q3IC=Q3
      Q4IC=Q4
      NSLICE=25
      NCNTS=150
      NRUN=0
500    CONTINUE
C      J0=XJ0INI+NRUN*4.
      IF(NRUN.EQ.0)GOTO501
      VARS(IVAL)=VARS(IVAL)+XINC      ! INCREMENT VALUE WE ARE VARYING
501    NRUN=NRUN+1
      J0=XJ0INI
      J=J0/(1+K13*Q1*Q4)      ! GIVE JR (J) INITIAL VALUE
      T=0.
C*****
C      SET K VALUES TO TRACK FOR MULTIRUN MODEL
C
      K3=.1*K2
      K4=.9*K2
C
      K7=.1*K9
      K8=.9*K9
C
      K5=.1*K11
      K6=.9*K11
C*****
      Q1=Q1IC
      Q2=Q2IC
      Q3=Q3IC
      Q4=Q4IC
      EUSED=0.0
      M1=0.
      M2=0.
      M3=0.
      M4=0.
      R1=0.
      R2=0.
      R3=0.
      R4=0.
      R5=0.
      R6=0.
      R7=0.
      R8=0.
      R9=0.

```

```

R10=0.
R11=0.
R12=0.
EUSED=0.0
PAVAIL=0.0

C
C      WRITE(5,1081)
C1081  FORMAT('  SCALE FACTOR FOR Q2--200. DR 1000.--[ R ] ')
C      READ(5,1082)SFACT
C1082  FORMAT(G7.2)
C      WRITE(5,108)
C108   FORMAT('  WHAT IS THE TIME INTERVAL DT [ R ] ')
C      READ(5,109)DT
C109   FORMAT(G5.3)
      TIME=750.
      DT=.1
      SFACT=100.
      NTIME=TIME
      XDT=DT/10.

C      START OF LOOP *****
      IF (IPLOT.EQ.0)GOTD5
      CALL GGERA
      CALL GGBOX(7,0,0,767,479)
      CALL GGTEXT(7,626,475,XTEXT,1,0)
      CALL GGBOX(7,620,452,767,479)
C      PRINT INITIAL CONDITIONS*****
      5   T=T+DT
C      RATE EQUATIONS*****
      J=J0/(1+K13*Q1*Q4)
      POWUSE=100.*(J0-J)/J0
      PAVAIL=PAVAIL+J0
      EUSED=EUSED+J0-J
      R1=DT*K1*Q1*Q4*J
      R2=DT*K2*Q1
      R3=DT*K3*Q1
      R4=DT*K4*Q1
      R5=DT*K5*Q2
      R6=DT*K6*Q2
      R11=DT*K11*Q2
      R7=DT*K7*Q2*Q3*Q3
      R8=DT*K8*Q2*Q3*Q3
      R9=DT*K9*Q2*Q3*Q3
      R10=DT*K10*Q1*Q4*J
      R12=DT*K12*Q3
C      LEVEL EQUATIONS *****
      1091  CONTINUE
      Q1=Q1+R1-R2
      Q2=Q2+R3-R9-R11
      Q3=Q3+R5+R7-R12
      Q4=Q4+R4+R6+R12+R8-R10
      IF(FT1(T,1.).GT.DT)GOTD 110
      IF(IPLOT.EQ.0)GOTD20000
      ITIME=T
      IXC=Q1/10.

```



```

      CALL GGPLT(4,ITIME,IXC,1)      ! Q1 GREEN
      IXC=Q2/SPACT
      CALL GGPLT(3,ITIME,IXC,1)      ! Q2 MAGENTA
      IXC=Q3/10.0
      CALL GGPLT(1,ITIME,IXC,1)      ! Q3 BLUE
      IXC=Q4/100.
      CALL GGPLT(5,ITIME,IXC,1)      ! Q4 CYAN
      IXC=(J0-J)*(250./J0)
      CALL GGPLT(2,ITIME,IXC,1)      ! POWER USED RED

C
C      FINO WHICH Q TO SAVE IN ARRAY
20000  CONTINUE !GOTO(21000,22000,23000,24000,25000,26000)IQSAV
C      GOTO110
21000  IY(1,NRUN,INT(T/5.)+1)=INT(Q1/2.)
C      GOTO110
22000  IY(2,NRUN,INT(T/5.)+1)=INT(Q2/20.)
C      GOTO110
23000  IY(3,NRUN,INT(T/5.)+1)=INT(Q3/2.)
C      GOTO110
24000  IY(4,NRUN,INT(T/5.)+1)=INT(Q4/40.)
C      GOTO 110
25000  IY(5,NRUN,INT(T/5.)+1)=INT((J0-J)*5.)
C      GOTO110
26000  IY(6,NRUN,INT(T/5.)+1)=INT((POWUSE-80)*50)
      110  CONTINUE
           M1=AMAX1(M1,Q1)
           M2=AMAX1(M2,Q2)
           M3=AMAX1(M3,Q3)
           M4=AMAX1(M4,Q4)
           IF(T.LT.TIME)GOTO 5

C
      ENCODE(80,11003,YTEXT)NRUN,ALPHA(IVAL),VARS(IVAL)
      +,EUSED,100*EUSED/PAVAIL
11003  FORMAT(2X,I2,' VARIABLE ',A4,' = ',G15.4,' POWER USED ',
      +G12.6,' PPU: ',G12.6)
      IF (IPLOT.EQ.0)WRITE(4,11004)YTEXT
11004  FORMAT(1X,80A1)
      IF (IPLOT.EQ.1)CALL GGTEXT(7,0,460,YTEXT,1,0)
      IF (ICOPY.EQ.1)WRITE(3,11001)
11001  FORMAT(''+S(H)')
      IF(NRUN.LT.NSLICE)GOTO500
      IF (IPLOT.EQ.0)GOTO24999
      CALL GGERA
      CALL GGOFF
24999  IQSAV=1
24995  CONTINUE
      CALL ASSIGN(2,'PULSAV',6)
      ENCODE(40,25001,OES)IQSAV,FILE
25001  FORMAT(1X,' TANK Q',I1,' FOR ORTA FILE ',3A4)
      WRITE(2)(OES(I),I=1,40),NRUN,NCNTS,
      + ((IY(IQSAV,J1,K),K=1,NCNTS),J1=1,NRUN)
      CLOSE(UNIT=2)
      IQSAV=IQSAV+1
      IF (IQSAV.LT.7)GOTO24995

```

```

C
C      WRITE(4,114)
114   FORMAT(// '          Q1          Q2          Q3          Q4      TOTAL' )
      WRITE(4,1121)Q1IC,Q2IC,Q3IC,Q4IC,Q4IC+Q3IC+Q2IC+Q1IC
      WRITE(4,1122)M1,M2,M3,M4
      WRITE(4,1123)Q1,Q2,Q3,Q4,Q4+Q3+Q2+Q1
1121  FORMAT(' INIT ',4(2X,G8.2),2X,G12.6)
1122  FORMAT(' MAX ',4(2X,G8.2))
1123  FORMAT(' FINAL',4(2X,G8.2),2X,G12.6)
C
      WRITE(4,116)K1,K2,K3,K4,K5,K6,K7,K8,K9,K10,K11,K12,K13,J0,J
116   FORMAT(/1X,'K1= ',G12.6,' K2= ',G12.6,' K3= ',G12.6/
+' K4= ',G12.6,' K5= ',G12.6,' K6= ',G12.6/
+' K7= ',G12.6,' K8= ',G12.6,' K9= ',G12.6/
+' K10=',G12.6,' K11=',G12.6,' K12=',G12.6/
+' K13=',G12.6,' J0= ',G12.6,' JR= ',G12.6)
      EUSED=EUSED*DT
      PAVAIL=PAVAIL*DT
      PPU=100.*EUSED/PAVAIL
      WRITE(4,119)VERS,DT,EUSED,PAVAIL,PPU
119   FORMAT(/' PULSE MODEL VERS',F6.3,' TIME STEP(DT) = ',F6.4/
+' TOTAL POWER USED = ',G15.6,' POWER AVAILABLE =',G15.6/
+' PERCENT POWER USED = ',G15.6)
      WRITE(4,120)(FILE(I),I=1,3),E1,E2,E3,E4,E5,E6,E7,E8,E9,E10,
+E11,E12,E13,E14,E15
120   FORMAT(' DATA FILE NAME = ',3A4,1X,15A4)
C
      IF(ICOPY.EQ.0)GOTO999
      CALL GGON
      WRITE(3,11001)
      CALL GGOFF
999   END

```

```

C      SURFACE PULSING MODEL PROGRAM  3/24/83
C      ADDITION OF CONSUMER CEILING TO ALLOW UP TO 100 TOTAL
C      CONSUMERS
C
C      DIFFUSION ADDED 7/21/83 TO NUTRIENT TANK Q4
C
C      VERS 3.01 ADDED STARTING CONDITION TO FILE OUTPUT
C      VERS 3.02 ADD TIME AND DATE TO BEGINNING OF PROG
C
C      PROGRAM SURPUL
C      Q1=PRODUCER
C      Q2=STORAGE (PRODUCER)
C      Q3=CONSUMER
C      Q4=NUTRIENTS
      DIMENSION Q1(12,12),Q4(12,12),E(12,12),Q3(100)
      DIMENSION Q4T(12,12)
      DIMENSION ETYPE(3),IX(144)
      DIMENSION Q2(12,12),IXYZ(100)
      INTEGER*4 ICNT(12,12)
      BYTE TITLE(10),ICDN(12,12),BUF1(9),BUF2(8)
      REAL M,K1,K2,K3,K4,K5,K6,K7,K8,K9,K10,MTDT
      REAL K11,K12,K13,J0,JR
      BYTE ESC,TEXT(80),COLOR,ICDLOR,CHAR
      INTEGER X1(100),Y1(100),T1,T2,XTEMP,YTEMP
      FT1(A,B)=ABS(AINT(A/B)-A/B)
      IXJ(I,J)=(I-1)*12+J
      DATA TITLE/'D','S','P','1','0','0',' ',' ',' ',' ' /
      DATA Q4T/144*0.0/                                !DK
      DATA ICDN/144*0/
      DATA ETYPE(1)/'HIER'/
      DATA ETYPE(2)/'EVEN'/
      DATA ETYPE(3)/'RAND'/
      ESC=27
      VERS=3.02
      CALL TIME(BUF2)
      CALL DATE(BUF1)
      WRITE(5,5)ESC,ESC,ESC,ESC,TITLE,VERS,BUF2,BUF1  !3.0
5      FORMAT(1X,A1,'PrTm1',A1,'@',A1,'[2J',A1,'[H',  !3.0
&' SURFACE MODEL ',10A1,' --VERSION-- ',F5.2/        !3.0
&1X,8A1,1X,9A1/                                         !3.02
&' DO YOU WANT GRAPHICS DN (1-YES, 0-NO) '$)
      READ (5,6)IDFLAG
6      FORMAT(I1)
C
C      WRITE (5,7)
7      FORMAT(' PLOTTING INTERVAL FOR PRODUCER AND CDNSUMER [I] '$)
      READ (5,8)ITINT,ITINTC
8      FORMAT(13,13)
      WRITE(5,808)
808      FORMAT(' HARDCOPY AT PLOTTING INTERVAL (1-YES,0-NO) '$)
      READ(5,8081)IPTR
8081     FORMAT(13)

```

```

TINT=ITINT
TINTC=ITINTC
WRITE (5,81)
8082 CONTINUE
81  FORMAT(' HOW LONG TO RUN? [R] '$)
    READ (5,82)TTIME
82  FORMAT(G6.0)
    WRITE(5,83)
83  FORMAT(' WHAT IS DT [R] '$)
    READ (5,84)DT
84  FORMAT(G10.6)
    XDT=DT/TINT
    XDTC=DT/TINTC
    WRITE(5,841)
841  FORMAT(' WHAT IS NUTRIENT CONC. OF OUTER NONREACTIVE'/
& ' RING (39000 IC; 0.0 TO ? ) [R] '$)
    READ (5,842)Q4OIC
842  FORMAT(G16.5)
    WRITE(5,85)
85  FORMAT(' WHAT IS DIFFUSION COEFFICIENT? [R] '$)
    READ (5,86)DK
86  FORMAT(F8.5)
    WRITE(5,9)
9    FORMAT(' INPUT THE SEARCH LENGTH FOR PREDATOR [I] ', $)
    READ (5,11)N
11   FORMAT(I2)
    WRITE(5,91)
91   FORMAT(1X,' FEEDING AND DOUBLING THRESHOLD [R,R] '$)
    READ(5,92)PTHRSH,THRESH
92   FORMAT(2G8.2)
    WRITE(5,121)
121  FORMAT(1X,'INPUT (0-SUCCESSION; 1-STEADY STATE) [I] '$)
    READ(5,122)ISSUC
122  FORMAT(I2)
    WRITE(5,12)
12   FORMAT(' WHAT ENERGY TYPE WOULD YOU LIKE'/
+ ' 1: STD INPUT'/
+ ' 2: CONSTANT INPUT'/
+ ' 3: RANDOM INPUT',20X,'ENERGY TYPE [I] '$)
    READ(5,13) IETYP
13   FORMAT(I1)
C    IF(IETYP.EQ.1)GOTO150
    WRITE(5,14)
14   FORMAT(' WHAT IS THE MEAN VALUE OF ENERGY '$)
    READ(5,15)XMEAN
15   FORMAT(F5.2)
150  CONTINUE

GPP=0.          !GPP COUNTER (TOTAL)
CNSUMP=0.       !CONSUMPTION BY CONSUMERS (TOTAL)
Q1TOT=0.        !AMOUNT OF PRODUCERS
Q2TOT=0.        !AMOUNT OF STORAGE
Q3TOT=0.        !AMOUNT OF CONSUMERS
Q4TOT=0.        !AMOUNT OF NUTRIENTS
PRDD=0.         !TOTAL PRODUCTION (GPP+CNSUMP)

```

```

ETOT=0.          !TOTAL ENERGY INPUT (SUM OF MATRIX)
TOTPOW=0.0       !MEASURE TOTAL POWER USED: SUM OF EUSED
T=0.             !
T1=1             !NUMBER OF CONSUMERS
T2=T1
Q1IC=1000.       !IC CONDITION FOR Q1
Q4IC=39000.
Q2IC=1000.
IF(ISSUC.EQ.0)GOTO147                                13.0
Q4IC=30000.      !IC CONDITION FOR NUTRIENT TANK      13.0
Q2IC=10000.     !IC FOR PRODUCER STORAGE            13.0
147 CONTINUE
Q3IC=50.
C THRESH=500.    !DOUBLING THRESHOLD FOR CONSUMER
IF (IOFLAG.EQ.0)GOTO521
CALL GGON
IF (IPTR.EQ.0)GOTO151                                13.0
WRITE(3,20171)
151 CALL GGINIT
CALL GGAXIS(0,0,767,479)
CALL GGERA
CALL GGBOX(7,0,0,767,479)
WRITE(3,51)
C
C CLEAR MACROS AND DEFINE ONE TO DRAW BOXES
51  FORMAT('+', '0. @:A P[+0,+0]W(S1)V[,+24]V[,+24,]V[, -24]V[-24,]
+ W(S0) @;')
WRITE(3,511)
511 FORMAT('+', '@:B T(A1) P[+0,+0]V[,+24]V[,+24,]V[, -24]V[-24,]
+ W(S0)T(A0) @;')
WRITE(3,551)
551 FORMAT('+L(A1)'/
+'+L"7"FFFFFFFFFFFFFFFFFFFFF;'/
+'+L"6"AA55AA55AA55AA55AA55;'/
+'+L"5"92492492492492492492;'/
+'+L"3"84210842108421084210;')
WRITE(3,552)
552 FORMAT('+L"4"88442211884422118844;'/
+'+L"2"42009100240091004200;'/
+'+L"1"20000840021000042000;'/
+'+L"0"00002000000200002000;'/
+'+L"B"00000000000000000000;')
DO 52 I=0,7
CALL GGPLT(I,735,(I+1)*24-16,0)
CHAR=I+48
52  WRITE(3,398)CHAR
CALL GGBOX(7,725,0,767,248)
CALL GGBOX(7,0,0,767,248)
CALL GGBOX(7,575,0,725,248)
521 CONTINUE
C
C
C
C

```



```

      IF (IETYP.EQ.3)GOTO220
      E(I,J)=XMEAN*100.
220    CONTINUE
221    DO 250 I=2,11
      DO 250 J=2,11
      ETOT=ETOT+E(I,J)
250    CONTINUE
      IF (IETYP.EQ.2)GOTO300          !CHANGED 3 TO 2 IN 3.0
      SF=ETOT/(100.*100.)
      ETOT=0.0
      DO 270 I=2,11
      DO 270 J=2,11
      E(I,J)=E(I,J)*XMEAN/SF
      ETOT=ETOT+E(I,J)
270    CONTINUE
C
C
C>>>>>> LOOP START <<<<<<
C
300    CONTINUE          ! LOOP START
      IT=T              !GET INTEGER VALUE OF TIME FOR MOO FUNCTION
      EUSED=0.0         !ENERGY USED PER TIME I.E. POWER
      SPTMP=0.
      PTEMP=0.
      DO 400 I=2,11
      DO 400 J=2,11
C....  RATE EQUATIONS      ....
C
      I7=0
      INUM=0
      XEQ=0.0
C
      IF (ICON(I,J).NE.0)XEQ=1.0
      J0=E(I,J)
      JR=J0/(1+K13*Q1(I,J)*Q4(I,J))
      R1=DT*K1*Q1(I,J)*Q4(I,J)*JR
      R2=DT*K2*Q1(I,J)
      R3=DT*K3*Q1(I,J)
      R4=DT*K4*Q1(I,J)
      R5=DT*K5*Q2(I,J)
      R6=DT*K6*Q2(I,J)
      R10=DT*K10*Q1(I,J)*Q4(I,J)*JR
      R11=DT*K11*Q2(I,J)
      EUSED=EUSED+(J0-JR)*DT
C....  LEVEL EQUATIONS      ....
C
      PTEMP=PTEMP+R1          !PRIMARY PRODUCTION

      Q1(I,J)=Q1(I,J)+R1-R2
      IF(Q1(I,J).LT.0.0)Q1(I,J)=0.0
      Q2(I,J)=Q2(I,J)+R3-R11
      Q4(I,J)=Q4(I,J)+R4+R6-R10
      Q4(I,J)=Q4(I,J)+R5*(1-XEQ)
C      ADD LINEAR FLOW TO Q4 IF Q3 NOT THERE

```

```

C
C.... CONSUMER CHECKING ROUTINE
C
      IF(XEQ.EQ.0)GOTO350          !SKIP IF NO CONSUMER PRESENT
      IXYLOC=IXY(I,J)             !GET CODED LOCATION
      INUM=1                       !AT LEAST ONE CONSUMER PRESENT
      DO 217 I7=1,T2              !GET CONSUMER NUMBER
      IF (IXYZ(I7).NE.IXYLOC) GOTO217 !WRONG CONSUMER GOTO 217
C... RATE EQUATIONS FOR CONSUMERS
C
      XDT=DT
C... ...IF RATIO OF Q2/Q3 IS TOO LOW THEN ITERATE MORE SLOWLY
      IF(Q2(I,J)/Q3(I7).LT.5.0)XDT=.01
      DO 650 DDT=XDT,DT,XDT
      R7=XDT*K7*Q2(I,J)*Q3(I7)*Q3(I7)*XEQ
      R8=XDT*K8*Q2(I,J)*Q3(I7)*Q3(I7)*XEQ
      R9=XDT*K9*Q2(I,J)*Q3(I7)*Q3(I7)*XEQ
      R12=XDT*K12*Q3(I7)*XEQ
      SPTEMP=SPTEMP+R5*(XDT/DT)+R7          !SPTEMP = CONSUMP
C
C... LEVEL EQUATIONS FOR CONSUMERS
      Q3(I7)=Q3(I7)+R5/(ICON(I,J))*(XDT/DT)+R7-R12
      Q2(I,J)=Q2(I,J)-R9                    !UPDATE PREY CONSUMED
      Q4(I,J)=Q4(I,J)+R8+R12               !UPDATE NUTRIENTS
650  CONTINUE
C
C
C
      IF((T-XTIME).LT.1.)GOTO217 !SKIP MOVEMENT IF NOT WHOLE DT
      XTIME=T
C
C
      CHECK PRESENT POSITION FOR VALUE OF Q2
      QMAX=0
      IF(Q2(I,J).LT.PTHRSH)GOTO 1457
      XTEMP=X1(I7)
      YTEMP=Y1(I7)
      GOTO600
C
C IF Q2 IS STILL CONSUMABLE DON'T MOVE, JUST EAT SOME MORE
1457 DO 600 I2=I-N,I+N
      DO 600 J2=J-N,J+N
      IF (I2.LT.1) GO TO 600
      IF (I2.GT.12) GO TO 600
      IF (J2.LT.1) GO TO 600
      IF (J2.GT.12) GO TO 600
      IF(Q2(I2,J2).LT.QMAX)GOTO580
      QMAX=Q2(I2,J2)
      XTEMP=I2
      YTEMP=J2
580  CONTINUE
600  CONTINUE
      ICON(I,J)=ICON(I,J)-1
C!REMOVE CONSUMER FROM PRESENT LOCATION
      ICON(XTEMP,YTEMP)=ICON(XTEMP,YTEMP)+1
C!MOVE CONSUMER TO NEW LOCATION

```



```

      IXYZ(I7)=IXY(XTEMP,YTEMP)
CICODE NEW LOCATION
C
C...   CHECK TO SEE IF IT IS TIME TO REPRODUCE
C
      IF(Q3(I7).LT.THRESH)GOTO2000      !IF GREATER THAN REPRODUCTION
      T1=T1+1                          !INCREASE NUMBER OF CONSUMERS
      IF(T1.GT.100)GOTO2000             !ALLOW NO MORE THAN 100
      Q3(I7)=Q3(I7)/2.
      Q3(T1)=Q3(I7)
      X1(T1)=XTEMP
      Y1(T1)=YTEMP
      IXYZ(T1)=IXY(XTEMP,YTEMP)
      ICON(XTEMP,YTEMP)=ICON(XTEMP,YTEMP)+1
2000   CONTINUE
C
C
      X1(I7)=XTEMP
      Y1(I7)=YTEMP      !REM REMEMBER WHERE TO START NEXT TIME
C
C
2001   CONTINUE
C
217    CONTINUE
C
350    CONTINUE
C
C
400    CONTINUE
      GPP=GPP+PTEMP      !ACCUMULATE TOTAL GPP
C
      T2=T1
      IF (T2.GE.100)T2=100
C
C
C      END CONSUMER LOOP AND DO BOOKEEPING
C
      CNSUMP=CNSUMP+SPTMP
      PROD=GPP + CNSUMP
      TOTPOW=TOTPOW+EUSED
C
C      COUNT UP THE CONSUMERS
      NPROD=100
      IF(T2.LT.100)NPROD=T2
      Q3TOT=0.
      DO 453 I=1,NPROD
      Q3TOT=Q3TOT+Q3(I)
      ICNT(X1(I),Y1(I))=ICNT(X1(I),Y1(I))+1
453    CONTINUE
C
C      COUNT UP PRODUCERS AND NUTRIENTS
      Q1TOT=0.
      Q4TOT=0.

```

```

Q2TOT=0.
OO 4531 IX1=2,11
DO 4531 IX2=2,11
Q1TOT=Q1TOT+Q1(IX1,IX2)
Q2TOT=Q2TOT+Q2(IX1,IX2)
Q4TOT=Q4TOT+Q4(IX1,IX2)
4531 CONTINUE
Q4TOT=Q4(1,1)*44.
TOT=Q1TOT+Q2TOT+Q3TOT+Q4TOT
IF(IOFLAG.EQ.0)GOTO5000

C
C
C..... WRITE TEMPORARY INFORMATION AND PLOT GPP, POWER (EUSEO)
C
C
IF ((T-PTIME1).LT.1.0)GOTO 5000
PTIME1=T
ENCODE(80,2006,TEXT)T,T2,EUSEO/(100.*DT),ETOT/100.,VERS,TITLE
&,ETYPE(IETYP)
2006 FORMAT(1X,'T=',F6.2,' CONS=',I3,' POW USEO=',F6.2,
& ' AVAIL POW= ',F6.2,' VER:',F5.2,1X,10A1,1A4)
CALL GGTEXT(7,0,475,TEXT,1,0)
IPT=PTEMP/(2.*OT*1000.)
CALL GGPLT(4,IT,IPT+250,1)          !GREEN = GPP
IPOWER=((EUSEO/(100.*XMEAN*DT))-80.)*5. !OUTPUT 80 TO 100
CALL GGPLT(2,IT,IPOWER+250,1)      !RED = POWER

C
ENCODE(80,4532,TEXT)Q1TOT,Q2TOT,Q4TOT,Q3TOT,TOT
4532 FORMAT(1X,'Q1= ',F10.2,' Q2= ',F10.2,' Q4= ',F10.2,
& ' Q3TOT= ',F10.2,' TOT= ',F10.2)
CALL GGTEXT(6,0,460,TEXT,1,0)
IYT=Q2TOT/20000.
CALL GGPLT(3,IT,250+IYT,1)          !MAGENTA = PRODUCERS
IYT=Q3TOT/200.+250.
CALL GGPLT(7,IT,IYT,1)              !WHITE =CONSUMERS

C
C DRAW PRODUCERS
C-----
C
IF((T-PTIME).LT.TINT)GOTO4500
PTIME=T
DO 4050 I=2,11
DO 4050 J=2,11
COLOR=Q2(I,J)/(2*1000.)          !3.0 CHANGED 4*1000 TO 2*1000
IF(COLOR.GT.7)COLOR=7
IX9=I*24-40
JY=J*24-44
CHAR=48+COLOR
IF(CHAR.GT.57)CHAR=57
CALL GGPLT(COLOR,IX9,JY,0)        !POINT TO LOWER LEFT
WRITE(3,398)CHAR
398 FORMAT('+', 'T(A1)W(S',1H',A1,1H',') @B')
399 FORMAT(' @A')                  !ORAW BOX (MACRO)
4050 CONTINUE

```

```

CHAR='B'
WRITE (3,3985)CHAR
CALL GGFLT(0,600,10,0)
CALL GGBOX(0,600,10,700,230)
CALL GGFILL(0)
CALL GGBOX(7,600,10,700,110)
CALL SORT1(Q2,IX,144,400.)
    CALL GGFLT(7,601,IX(1)+10,1)
    DO 3991 IT1=2,100
        CALL GGVEC(3,600+IT1,IX(IT1)+10)
3991    CONTINUE
C
C-----
C
4500    CONTINUE
C
C>>>>>> PLOT CONSUMERS <<<<<<
C-----
C
    ICOLOR=0
    IF((T-PTIMEC).LT.TINTC)GOTO 5000
    PTIMEC=T
    CHAR='B'
    WRITE (3,3985)CHAR
1985    FORMAT('+', 'T(A1)W(S', 1H', A1, 1H', ' '))
    CALL GGBOX(ICOLOR,284,4,560,244)
    CALL GGFILL(0)
    CALL GGFLT(7,0,0,1)
    CALL GGVEC(7,767,0)
    DO 2005 I1=1,T2
        ICOLOR=Q3(I1)/50.
        IF(ICOLOR.GT.7) ICOLOR=7
        CHAR=ICOLOR+48
        CALL GGFLT(ICOLOR,X1(I1)*24-4+284,Y1(I1)*24-44,0)
        WRITE(3,398)CHAR
2005    CONTINUE
        CALL GGBOX(7,600,130,700,230)
        CALL SORT1(Q3,IX,T2,40.)
            CALL GGFLT(7,601,IX(1)+130,1)
            DO 2017 IT1=2,T2
                CALL GGVEC(7,600+IT1,IX(IT1)+130)
2017    CONTINUE
            IF(IPTR.EQ.0)GOTO5000
            WRITE (3,20171)
20171    FORMAT('S(H)')
C
C-----
C
C    SEE IF ITS TIME TO QUIT
5000    CONTINUE
C
C    DIFFUSION
C
C    QXT=0.0

```

1DK
1DK
1DK
1DK

```

DO 5002 I=2,11                                !OK
OO 5002 J=2,11                                !OK
DO 5001 IT=I-1,I+1                            !OK
OO 5001 JT=J-1,J+1                            !OK
QXT=QXT+DK*(Q4(IT,JT)-Q4(I,J))*DT            !OK
5001 CONTINUE                                  !OK
Q4T(I,J)=Q4(I,J)+QXT                          !OK
QXT=0.0                                         !DK
5002 CONTINUE                                  !DK
OO 5003 I=2,11                                !OK
OO 5003 J=2,11                                !OK
Q4(I,J)=Q4T(I,J)                             !DK
5003 CONTINUE                                  !DK
T=T+DT
IF(T.LT.TTIME)GOTO300
C>>>>> END OF MAIN LOOP <<<<<<
C
CALL GGOF
OO 439 I=1,12
OO 439 J=1,12
ICNT(I,J)=ICNT(I,J)*DT
439 CONTINUE
CALL ASSIGN(4,'SURF4')
WRITE(4,440)VERS,TITLE,BUF1,BUF2
440 FORMAT(' ','SURFACE MODEL VERSION NO. ',F6.2,1X,10A1,
& 1X,9A1,1X,8A1)
WRITE(4,454)ETOT,ETYPE(IETYP),PROO,TOTPOW,TOTPOW/(TTIME*100.),
& GPP,CNSUMP,N,ISSUC,OK
454 FORMAT(1X,' INPUT ENERGY TOTAL= ',F10.2,' ENERGY TYPE ',A4/
& 1X,' TOTAL PRODUCTION =',G15.6/
& 1X,' TOTAL POWER USED =',G15.5,' AVE POWER/CELL = ',G15.6/
& 1X,' GPP= ',G15.6,' TOTAL CONSUMPTION= ',G15.6/
& 1X,' SEARCH LENGTH =',I3,' STARTING CONDITION = ',I2/
& 1X,' DIFFUSION COEFFICIENT = 'F7.5)
WRITE(4,455)TIME,DT,Q4TOT/1000.,Q4TOUT/1000.,
& (Q4TOUT+Q4TOT)/1000.
455 FORMAT(1X,' FOR ',F10.0,'ITERATIONS DT= ',F7.3/
& 1X,' TOTAL NUTRIENTS (KG) = ',F10.2/
& 11X,'Q4 OUTER TOTAL (KG) = 'F10.2/
& 11X,'TOTAL INNER AND OUTER (KG) = ',F10.2/
& 1X,10X,' NUTRIENT MATRIX Q4(I,J)')
WRITE(4,456)((Q4(I,J)/1000.,I=1,12),J=12,1,-1)
456 FORMAT(1X,12F7.2)
WRITE(4,457)PTHRSH,THRESH,Q2TOT/1000.
457 FORMAT(//1X,'VALUES FOR Q2(I,J) PRODUCERS'/
& 1X,'PRODUCER THRESHOLD FOR CONSUMER MOVING= ',F10.2/
& 1X,'CONSUMER THRESHOLD FOR DIVIDING INTO = ',F10.2/
& 1X,' TOTAL PRODUCERS (KG) = ',F10.2)
WRITE(4,4561)((Q2(I,J)/1000.,I=2,11),J=11,2,-1)
4561 FORMAT(8X,10F7.2)
WRITE(4,4581)
4581 FORMAT(//' CONSUMER VISITATION MATRIX '/')
WRITE(4,4582)((ICNT(I,J),I=1,12),J=12,1,-1)
4582 FORMAT(12(1X,I6))

```

```

WRITE(4,4584)
4584  FORMAT(// ' FINAL CONSUMER DISTRIBUTION')
WRITE(4,4585)((ICON(I,J),I=1,12),J=12,1,-1)
4585  FORMAT(12(1X,I6))
WRITE(4,4571)Q3TOT
4571  FORMAT(//1X,'VALUES FOR CONSUMERS TOTAL CONSUMERS =' ,G15.6)
WRITE(4,458)((I,Q3(I),X1(I),Y1(I),IXYZ(I)),I=1,NPROD)
458   FORMAT(1X,I4,' Q3= ',F8.2,' X =',I2,' Y =',I2,1X,I4)
CALL CLOSE(1)
END

C
C
C
SUBROUTINE SORT1(X,IX,N,SF)
DIMENSION X(1),IX(1)
DO 20 I=1,N
IX(I)=X(I)/SF
20  CONTINUE
DO 40 I=1,N
DO 40 J=I,N
IF(IX(J).LT.IX(I))GOTO40
      ITEMP=IX(I)
      IX(I)=IX(J)
      IX(J)=ITEMP
40  CONTINUE
RETURN
END

```

```

PROGRAM GRAPH2
vers RGRF

WRITTEN BY JOHN RICHARDSON

CALL TO REGLIN ADDED 6/15/83

MAXIMUM NUMBER OF DATA POINTS SET TO 250

MODIFIED 4/11/83 FOR RGL LIBRARY

BYTE XTEXT(80),YTEXT(80),TITLE(80),ESC
BYTE FNAME(16),IFNAM(16)
LOGICAL IRFLAG,SMOOTH,SHADE
DIMENSION X(250),Y(250),Y1(250)
DATA TITLE/80*0/
DATA XTEXT/80*0/
DATA YTEXT/80*0/
DATA FNAME/16*0/
DATA IFNAM/16*0/
ESC=27
TYPE 10
10  FORMAT(' GRAPHING PROGRAM FOR GIGI'
&'      COMPLIMENTS OF JOHN RICHARDSON'//)
WRITE(5,105)ESC,ESC
105  FORMAT(2X,A1,'PrTM1',A1,'@')
TYPE 111
111  FORMAT(' PROGRAM REQUIRES THE TT: BUFFER BE SET TO NOWRAP'//
&' SET /NOWRAP=TI: '//
&' IF THIS IS NOT DONE PLEASE EXIT PROGRAM AND CORRECT THIS'//)
TYPE 15
15  FORMAT(' IS DATA IN A DATA FILE? (1=YES, 0=NO, -1=EXIT) '$)
ACCEPT 16,IAN$1
16  FORMAT(I2)
IF (IAN$1.LT.0)STOP'MAKE CHANGES AND RERUN'
IF (IAN$1.EQ.0) GOTO 11
TYPE 161
161  FORMAT(' FILE NAME FOR DATA: '$)
ACCEPT 162, (FNAME(I),I=1,16)
162  FORMAT(16A1)
OPEN(UNIT=1,NAME=FNAME,TYPE='OLD',FORM='FORMATTED')
READ (1,1621)TITLE
1621  FORMAT(1X,80A1)
WRITE(5,1621)TITLE
READ(1,1622)NPAIRS
1622  FORMAT(1X,I3)
DO 1630 I=1,NPAIRS
READ(1,*)X(I),Y(I)
C1625  FORMAT(2G15.6)
1630  CONTINUE
N=NPAIRS
GOTO 51
11  TYPE 20

```

```

20     FORMAT(' HOW MANY PAIRS OF POINTS TO PLOT '$)
    ACCEPT 30,N
30     FORMAT(I3)
    IF(I.GT.500)GOTO11
    TYPE 35
35     FORMAT(1X,'DESCRIPTION OF DATA (UP TO 80 CHARACTERS '/')
    ACCEPT 36,(TITLE(K),K=1,80)
36     FORMAT(80A1)
    DO 50 I=1,N
59     TYPE 60,I
60     FORMAT(' X AND Y VALUES FOR POINT ',I3,
&' SEPARATED BY COMMAS [R] ')
    READ (5,*,ERR=9911)X(I),Y(I)
50     CONTINUE
    CLOSE(UNIT=1)
        WRITE(5,601)
601    FORMAT('//1X,'DO YOU WANT TO SAVE DATA (1-YES, 0-NO) '$)
    READ(5,602)ISAVE
602    FORMAT(I1)
    IF (ISAVE.NE.1)GOTO51
    WRITE(5,603)
603    FORMAT(' WHAT IS THE FILE NAME FOR THE DATA '$)
    READ(5,604)IFNAM
604    FORMAT(16A1)
    CALL ASSIGN(2,IFNAM)
    WRITE(2,606)TITLE
606    FORMAT(1X,80A1)
    WRITE(2,608)N
608    FORMAT(1X,I3)
    DO 511 I=1,N
611    WRITE(2,611)X(I),Y(I)
511    FORMAT(1X,G15.6,' ', ' ',G15.6)
    CONTINUE
    CLOSE(UNIT=2)

51     XMAX=0.
    YMAX=0.
    A=0.
    B=0.
    R2=0.
    CEE=0.
    TYPE 5001
5001    FORMAT(' DO YOU WANT TO RUN REGRESSION ON DATA? (1-YES, 0-NO)')
    ACCEPT 5002,IRGS
5002    FORMAT(I1)
    IF (IRGS.NE.0)CALL REGLIN(N,X,Y,A,B,R2,CEE)
    TYPE 501
501    FORMAT(' WHAT IS THE X- AXIS DESCRIPTION')
    ACCEPT 502,XTEXT
502    FORMAT(80A1)
    CALL STRIP(XTEXT,80)
    TYPE 503
503    FORMAT(' WHAT IS THE Y-AXIS DESCRIPTION')
    ACCEPT 504,YTEXT
504    FORMAT(80A1)

```

```

CALL STRIP(YTEXT,80)
TYPE 70
FORMAT(' WANT TO INPUT MINIMUMS AND MAXIMUMS (1=yes, 0=no)'$)
ACCEPT 72,IMIN
72  FORMAT(I1)
    IF (IMIN.EQ.0)GOTO85
    TYPE 74
74  FORMAT(1X,'WHAT ARE XMIN AND XMAX [R] '$)
    ACCEPT *,XMIN,XMAX
    TYPE 76
76  FORMAT(1X,'WHAT ARE YMIN AND YMAX [R] '$)
    ACCEPT *,YMIN,YMAX
85  CONTINUE
    TYPE 89
89  FORMAT(1X,' LINE TYPE (0-9) '$)
    ACCEPT 891,ILIN
891  FORMAT(I1)
8910 TYPE 892
892  FORMAT(1X,'VALUE FOR DATA MARKER (0-9, -1 TO SEE LIST) '$)
    ACCEPT 893,IMARK
    IF (IMARK.GE.0)GOTO8930
    WRITE(5,8921)
8921 FORMAT('/' 0- POINT'
&  '/' 1- SQUARE'
&  '/' 2- OCTAGEN'
&  '/' 3- TRIANGLE'
&  '/' 4- CROSS'
&  '/' 5- X'
&  '/' 6- Y'
&  '/' 7- DIAMOND'
&  '/' 8- ARROWHEAD'
&  '/' 9- HOURGLASS'
&  '/' 10-POINT IN A CIRCLE')
    GOTO8910
8930 CONTINUE
893  FORMAT(I5)
    IF (IMIN.EQ.1)IROUND=0
    IF (IMIN.EQ.1)GOTO9910
    TYPE 90
90  FORMAT(' ROUND MAX AND MIN VALUES? (1=YES, 0=NO) '$)
    ACCEPT 99,IROUND
99  FORMAT(I1)
    IF(IROUND.GT.1)GOTO51
    IF(IROUND.LT.0)GOTO51
9910 IFLAG=.FALSE.
    IF(IROUND.EQ.1)IFLAG=.TRUE.
    WRITE (5,9901)
9901 FORMAT(' CURVEFIT THE DATA LINE (1=YES; 0=NO)'$)
    READ(5,9902)ISM
9902 FORMAT(I1)
    SMOOTH=.FALSE.
    IF(ISM.EQ.1)SMOOTH=.TRUE.
    WRITE(5,991)ESC
991  FORMAT('+ '1A1,'{H')

```

```

ISEND CURSOR HOME

```



```

SHADE=.FALSE.
CALL INITGR(5)
CALL CLRSCR
CALL CLRTXT
CALL SCOLOR('GRAY0',0)
CALL SCOLOR('GRAY1',1)
CALL SCOLOR('GRAY2',2)
CALL SCOLOR('GRAY3',3)
WRITE(5,991)ESC
CALL OPAPER('LIN',10,2,'LIN',10,2,'GRAY3')
IF (IMIN.EQ.0)GOTO1211
CALL LNAXIS('YL',YTEXT,YMIN,YMAX,IRFLAG)
CALL LNAXIS('XB',XTEXT,XMIN,XMAX,IRFLAG)
GOTO1212
1211 CALL LNAXIS('YL',YTEXT,,,IRFLAG)
CALL LNAXIS('XB',XTEXT,,,IRFLAG)
WRITE(5,991)ESC
1212 CALL PDATA(N,X,Y,'L','GRAY2',IMARK,ILIN,SMOOTH,SHADE,0.0)
IF(IRGS.EQ.0)GOTO1234
      OO 1277 I1=1,N
      Y1(I1)=B*X(I1)+A
1277      CONTINUE
      CALL PDATA(N,X,Y1,'L','GRAY3',0,1,.FALSE.,.FALSE.,0.0)
      TYPE 121,ESC
      WRITE (5,1278)B,A,R2,CEE
1278      FORMAT(/1X,' Y= ',G12.4,'*X + ',G12.4,' :R02 = ',G12.4,
+ 'STD ERR = ',G12.4)
1234      TYPE 121,ESC
121      FORMAT('+',1A1,'[H 0-QUIT; 1- REPLOT; 2-SCREENDUMP',5)
ACCEPT 122, IANS
122      FORMAT(I2)
      IF(IANS.EQ.1)GOTO 51
      IF (IANS.NE.2)GOTO 2550
      WRITE(5,1221)ESC
1221      FORMAT('+',1A1,'[H',80X)
      CALL CPYSCR
      GOTO1234
2550      STOP 'END'
9911      WRITE(5,9912)
9912      FORMAT(' ERROR IN ENTRY PLEASE RE-ENTER')
      GOTO 59
      END

C
C
C
SUBROUTINE STRIP (TEXT,N)
BYTE TEXT(1)
DO 20 I=N,1,-1
IF (TEXT(I).EQ.32.OR.TEXT(I).EQ.0)GOTO20
TEXT(I+1)=0
RETURN
20      CONTINUE
RETURN
END

```

```

C
C
C
SUBROUTINE REGLIN(N,X,Y,A,B,R2,CEE)
C
C   BASED ON PROGRAM IN 'COMMON BASIC PROGRAMS' BY
C   LON POOLE AND MARY BORCHERS P. 145
C
C   DIMENSION X(1),Y(1)
C   REAL J,K,L,M
C
C
C
J=0.0
K=0.0
L=0.0
M=0.0
A=0.0
B=0.0
R2=0.0
CEE=0.0
DO 100 I=1,N
J=J+X(I)
K=K+Y(I)
L=L+X(I)*X(I)
M=M+Y(I)*Y(I)
R2=R2+X(I)*Y(I)
100 CONTINUE
XN=N
B=(XN*R2-K*J)/(XN*L-J*J)
A=(K-B*J)/XN
J=B*(R2-J*K/XN)
M=M-(K**2)/XN
K=M-J
R2=J/M
CEE=SQRT(K/(XN-2))
RETURN
END

```

BIBLIOGRAPHY

- Abraham, R. H., and C. D. Shaw. 1984a. Dynamics-The Geometry of Behavior. Part 1: Periodic Behavior. Aerial Press. Santa Cruz, Calif. pp. 220.
- Abraham, R. H., and C. D. Shaw. 1984b. Dynamics-The Geometry of Behavior. Part 2: Chaotic Behavior. Aerial Press. Santa Cruz, Calif. pp. 139.
- Alexander, J. F. 1978. Energy basis of disasters and the cycles of order and disorder. Ph.D. dissertation. University of Florida. Gainesville, Fla.
- Allen, T. F. H., and T. B. Starr. 1982. Hierarchy. Perspectives for Ecological Complexity. University of Chicago Press. Chicago. pp. 310.
- Anderson, D. J. 1986. Ecological sucession. In J. Kikkawa and D. J. Anderson (eds). Community Ecology, Pattern and Process. Blackwell Scientific Publication. Melbourne, Australia.
- Bennett, R. J., and R. J. Chorley. 1978. Environmental Systems. Methuen. London. pp. 624.
- Botkin, D. B., J. F. Janak, and J. R. Wallis. 1972. Some ecological consequences of a computer model of forest growth. J. Ecology 60:849-872.
- Bray, W. C. 1921. A periodic reaction in homogeneous solution and its relation to catalysis. Journal of American Chemical Society 43:1262-1267.
- Brokaw, N. V. L. 1982a. The definition of treefall gap and its effect on measures of forest dynamics. Biotropica 14:158-160.
- Brokaw, N. V. L. 1982b. Treefalls: frequency, timing and consequences. In E. G. Leigh Jr., A. S. Rand, and D. M. Windsor (eds). The Ecology of a Tropical Forest. Smithsonian Institution Press. Washington. pp. 101-108.
- Brokaw, N. V. L. 1985a. Gap-phase regeneration in a tropical forest. Ecology 66:682-687.

- Brokaw, N. V. L. 1985a. Treefalls, regrowth, and community structure in tropical forests. In S. T. A. Pickett and P. S. White (eds). *The Ecology of Natural Disturbances and Patch Dynamics*. Academic Press. Orlando. pp. 53-69.
- Brown, M. T. 1980. Energy basis for hierarchies in urban and regional landscapes. Ph.D. dissertation. University of Florida. Gainesville, Fla. pp. 360.
- Brown, S., A. E. Lugo, S. Silander, and L. Liegel. 1983. Research History and Opportunities in the Luquillo Experimental Forest. General Technical Report SO-44. Southern Forest Experiment Station. U. S. Dept. of Agriculture. New Orleans. pp. 128.
- Calow, P. 1978. *Life Cycles*. Chapman and Hall. London. pp. 164.
- Costanza, R. 1979. Embodied energy for economic-ecologic systems. Ph.D. dissertation. University of Florida. Gainesville, Fla. pp. 254.
- Crow, T. R. 1980. A rainforest chronicle: A 30-year record of change in structure and composition at El Verde, Puerto Rico. *Biotropica* 12:42-55.
- Doyle, T. W. 1982. A description of FORICO, a tropical gap dynamics model of the lower montane rain forest of Puerto Rico. ORNL/TM-8102. Oak Ridge National Laboratory. Oak Ridge, Tenn. pp. 47.
- Doyle, T. W., H. H. Shugart, and D. C. West. 1982. FORICO: gap dynamics model of the lower montane rain forest in Puerto Rico. ORNL/TM-8115. Oak Ridge National Laboratory. Oak Ridge, Tenn. pp. 57.
- Emanuel, W. R., D. C. West, and H. H. Shugart. 1978. Spectral analysis of forest model time series. *Ecological Modelling* 4:313-323.
- Field, R. J. 1985. Chemical organization in time and space. *American Scientist* 73:142-150.
- Field, R. J., and R. M. Noyes. 1974. Oscillations in chemical systems. V. Quantitative explanation of band migration in the Belousov-Zhabotinskii reaction. *J. Am. Chem. Soc.* 96:2001-2006.
- Gardner, M. 1970. The fantastic combinations of John Conway's new solitaire game 'Life'. *Scientific American* 223:120-123.

- Garwood, N. C., D. P. Janos, and N. V. L. Brokaw. 1979. Earthquake-caused landslides: A major disturbance to tropical forests. *Science* 205:997-999.
- Godel, K. 1931. Uber formal unentscheidbare Satze der Principia Mathematica und verwandter System I. Monatshefte fur Mathematik und Physik 38:173-198.
- Haken, H. 1977a. Synergetics, a workshop. Springer-Verlag. Berlin. pp. 267.
- Haken, H. 1977b. Synergetics, an introduction. Springer-Verlag. Berlin. pp. 355.
- Haken, H. 1979. Synergetics and bifurcation theory. *Annals New York Academy of Sciences* 316:357-375.
- Hilborn, R. 1979. Some long term dynamics of predator-prey models with diffusion. *Ecological Modelling* 6:23-30.
- Horn, H. S. 1976. Succession. In R. M. May (ed). *Theoretical Ecology Principles and Applications*. W. B. Saunders. Philadelphia. pp. 187-204.
- Huffaker, C. B. 1958. Experimental studies on predation: dispersion factors and predator-prey oscillations. *Hilgardia* 27:343-383.
- Jantsch, E. 1980. *The Self-Organizing Universe*. Pergamon Press. Oxford. pp. 343.
- Jordan, C. F., and G. E. Drewry. 1969. Secondary succession in the irradiated area. *The Rain Forest Project Annual Report*. PRNC-129 :65-86.
- Kuno, E. 1987. Principles of predator-prey interaction in theoretical, experimental, and natural population systems. *Advances in Ecological Research* 16:249-337.
- Leigh Jr, E. G., A. S. Rand, and D. W. Windsor. 1982. *The Ecology of a Tropical Forest*. Smithsonian Institution Press. Washington, D.C. pp. 468.
- Lotka, A. J. 1920. Undampened oscillations derived from the law of mass action. *J. Amer. Chem. Soc.* 42:1595-1598.
- Lotka, A. J. 1922. Contribution to the energetics of evolution. *Proc. N. A. S.* 8:147-151.
- Martinez-Alier, J. 1987. *Ecological Economics*. Blackwell. New York.

- Meinhardt, H. 1982. Models of biological pattern formation. Wiley. New York. pp. 230.
- Mueller-Dombois, D. 1980. The 'ohai'a dieback phenomenon in the Hawaiian rain forest. In J. Cairns (ed). The Recovery Process in Damaged Ecosystems. Ann Arbor Science. Ann Arbor. pp. 153-161.
- Nicolis, G., and I. Prigogine. 1977. Self-organization in Non-equilibrium Systems. Wiley. New York. pp. 478.
- Odum, E. P. 1969. The strategy of ecosystem development. Science 164:262-270.
- Odum, H. T. 1971. Environment, Power, and Society. John Wiley. New York. pp. 331.
- Odum, H. T. 1982. Pulsing, power and hierarchy. In W. J. Mitsch, R. K. Ragade, R. W. Bosserman, and J. A. Dillon Jr. (eds). Energetics and Systems. Ann Arbor Science Publishers. Ann Arbor. pp. 33-59.
- Odum, H. T. 1983a. Systems Ecology. Wiley. New York. pp. 644.
- Odum, H. T. 1983b. Maximum power and efficiency: a rebuttal. Ecological Modelling 20:71-82.
- Odum, H. T. 1986. Enmergy in ecosystems. In N. Polunin (ed). Ecosystem Theory and Application. John Wiley & Sons Ltd. New York. pp. 337-369.
- Odum, H. T., and E. C. Odum. 1981. Energy Basis for Man and Nature. Second edition. McGraw-Hill. New York. pp. 337.
- Odum, H. T., and R. F. Pigeon. 1970. A Tropical Rain Forest: A study of irradiation an ecology at El Verde, Puerto Rico. NTIS. Springfield, Va.
- Odum, H. T., and R. T. Pinkerton. 1955. Time's speed regulator, the optimum efficiency for maximum output in physical and biological systems. American Scientist 43:331-343.
- Oliver, C. D. 1981. Forest development in North America following major disturbances. Forest Ecology and Management 3:153-168.
- Ostwald, W. 1892. Lehrbadr der allgemeinen. Chemie 2:37.
- Pacault, A. 1977. Chemical evolution far from equilibrium. In H. Haken (ed). Synergetics-A Workshop. Springer-Verlag. New York. pp. 133-154.

- Pearlstine, L., H. McKellar, and W. Kitchens. 1985. Modelling the impacts of a river diversion on bottomland forest communities in the Santee River floodplain, South Carolina. *Ecological Modelling* 29: 283-302.
- Peet, R. K. 1981. Changes in biomass and production during secondary forest succession. In D. C. West, H. H. Shugart, and D. B. Botkin (eds). *Forest Succession Concepts and Application*. Springer-Verlag. New York. pp. 324-338.
- Peet, R. K., and N. L. Christensen. 1980. Succession: a population process. *Vegetatio* 43:131-140.
- Phipps, R. L. 1979. Simulations of wetlands forest vegetation dynamics. *Ecological Modelling* 7:257-288.
- Pickett, S. T. A., and P. S. White. 1985. *The Ecology of Natural Disturbance and Patch Dynamics*. Academic Press. Orlando. pp. 472.
- Platt, T., and K. L. Denman. 1975. Spectral analysis in ecology. *Annual Review Ecol. Syst.* 6:189-210.
- Poundstone, W. 1985. *The Recursive Universe*. William Morrow and Company. New York. pp. 252.
- Prigogine, I. 1978. Time, structure, and fluctuations. *Science* 201:777-785.
- Prigogine, I. 1980. *From Being to Becoming*. W. H. Freeman. San Francisco. pp. 272.
- Prigogine, I. 1982. Order out of chaos. In W. J. Mitsch, R. K. Ragade, R. W. Bosserman, and J. A. Dillon Jr. (eds). *Energetics and Systems*. Ann Arbor Science Publishers. Ann Arbor. pp. 13-32.
- Prigogine, I., and I. Stengers. 1984. *Order Out of Chaos*. Bantam Books, Inc. New York. pp. 349.
- Prigogine, I., and J. M. Wiaume. 1946. *Biology et thermodynamique des phenomenes irreversibles*. Experientia 2:451-453.
- Ransom, R. J. 1981. *Computers and embryos: models in developmental biology*. Wiley. New York. pp. 212.

- Richardson, J. R., and H. T. Odum. 1981. Power and a pulsing production model. In W. J. Mitsch, R. W. Bosserman, and J. M. Klopatek (eds). *Energy and Ecological Modelling*. Elsevier. Amsterdam. pp. 641-647.
- Rosen, R. 1970. *Dynamical System Theory in Biology*. Wiley-Interscience. New York. pp. 302.
- Runkle, J. R. 1985. Disturbance regimes in temperate forests. In S. T. A. Pickett and P. S. White (eds). *The Ecology of Natural Disturbance and Patch Dynamics*. Academic Press. Orlando. pp. 17-33.
- Rushing, W. N. 1970. A quantitative description of vegetation at El Verde sites. In H. T. Odum and R. P. Pigeon (eds). *A Tropical Rain Forest*. NTIS. Washington, D. C. pp. B-169 to B-238.
- Schaffer, W. M., and M. Kot. 1985. Do strange attractors govern ecological systems? *Bioscience* 35:342-350.
- Sergin, V. Y. 1979. Numerical modeling of the glaciers-ocean-atmosphere global system. *Journal of Geophysical Research* 84:3191-3204.
- Sergin, V. Y. 1980. Origin and mechanism of large-scale climate oscillations. *Science* 209:1477-1482.
- Sergin, V. Y., and S. Y. Sergin. 1979. Fluctuations of climate and glaciation of the earth. *Soviet Geography* 19:99-136.
- Shugart, H. H. 1984. *A Theory of Forest Dynamics*. Springer-Verlag. New York. pp. 278.
- Shugart, H. H., A. T. Mortlock, M. S. Hopkins, and I. P. Burgess. 1980. A computer simulation model of ecological succession in Australian sub-tropical rain forest. ORNL/TM-7029. Oak Ridge National Laboratory. Oak Ridge, Tenn. pp. 48.
- Shugart, H. H., and I. R. Noble. 1981. A computer model of succession and fire response of the high altitude Eucalyptus forest of the Brindabella Range, Australian Capital Territory. *Aust. J. Ecol.* 6:149-164.
- Shugart, H. H., and D. C. West. 1977. Development of an Appalachian deciduous forest succession model and its application to assessment of the impact of the chestnut blight. *J. Environ. Management* 5:161-179.
- Shugart, H. H., and D. C. West. 1980. Forest succession models. *Bioscience* 30:308-313.

- Shugart, H. H., D. C. West, and W. R. Emanuel. 1981. Patterns and dynamics of forests: an application of simulation models. In D. C. West, H. H. Shugart, and D. B. Botkin (eds). *Forest Succession Concepts and Application*. Springer-Verlag. New York. pp. 74-94.
- Sprugel, D. G. 1984. Density, biomass, productivity, and nutrient-cycling changes during stand development in wave-generated balsam fir forests. *Ecological Monographs* 54:165-186.
- Sprugel, D. G., and F. H. Bormann. 1981. Natural disturbance and the steady state in high-altitude balsam fir forests. *Science* 211:390-393.
- Thom, R. 1975. *Structural Stability and Morphogenesis*. English translation by D.H. Fowler of French 1972 edition. Benjamin. New York.
- Turing, A. M. 1952. The chemical basis of morphogenesis. *Phil. Trans. Royal Soc. London* 273:37-72.
- Urban, D. L., R. V. O'Neil, and H. H. Shugart. 1987. Landscape ecology. *Bioscience* 37:119-127.
- Veblen, T. T. 1985. Stand dynamics in Chilean Nothofagus forests. In S. T. A. Pickett and P. S. White (eds). *The Ecology of Natural Disturbance and Patch Dynamics*. Academic Press. Orlando. pp. 35-51.
- Weatherhead, P. J. 1986. How unusual are unusual events. *American Naturalist* 128:150-154.
- Winfree, A. T. 1973. Scroll shaped waves of chemical activity in three dimensions. *Science* 181:937-938.
- Wolfram, S. 1984. Cellular automata as models of complexity. *Nature* 311:419-424.

BIOGRAPHICAL SKETCH

John R. Richardson was born in Monett, Missouri, on April 30, 1945. He attended school in Monett and graduated from Monett High School in 1963. After four years at the Missouri School of Mines and Metallurgy in Rolla, Missouri, he graduated with a B.S. degree in chemistry. He attended the University of Missouri in Columbia for two years studying biochemistry. In 1970 he began working at the Molecular Virology Institute in St. Louis, Missouri.

In 1973 he started at the University of Florida and graduated with a M.S. degree in environmental engineering sciences. After working for several years with the Missouri Department of Natural Resources, he returned to the University of Florida to pursue a Ph. D. in 1978. He graduated with a Doctor of Philosophy degree in 1988.

I certify that I have read this study and that in my opinion it conforms to acceptable standards of scholarly presentation and is fully adequate, in scope and quality, as a dissertation for the degree of Doctor of Philosophy.




Howard T. Odum, Chairman
Graduate Research Professor of
Environmental Engineering
Sciences

I certify that I have read this study and that in my opinion it conforms to acceptable standards of scholarly presentation and is fully adequate, in scope and quality, as a dissertation for the degree of Doctor of Philosophy.




John F. Alexander
Professor of Urban and
Regional Planning

I certify that I have read this study and that in my opinion it conforms to acceptable standards of scholarly presentation and is fully adequate, in scope and quality, as a dissertation for the degree of Doctor of Philosophy.




G. Ronnie Best
Assistant Research Professor
of Environmental Engineering
Sciences

I certify that I have read this study and that in my opinion it conforms to acceptable standards of scholarly presentation and is fully adequate, in scope and quality, as a dissertation for the degree of Doctor of Philosophy.



Katherine C. Ewel
Professor of Forest Resources
and Conservation

I certify that I have read this study and that in my opinion it conforms to acceptable standards of scholarly presentation and is fully adequate, in scope and quality, as a dissertation for the degree of Doctor of Philosophy.



Clay L. Montague
Assistant Professor of
Environmental Engineering
Sciences

This dissertation was submitted to the Graduate Faculty of the College of Engineering and to the Graduate School and was accepted as partial fulfillment of the requirements for the degree of Doctor of Philosophy

April 1988



Dean, College of Engineering

Dean, Graduate School

